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Florian Gallet & Jérôme Bouvier

Angular momentum evolution model

: exploring the mass
dependence



4 June 2015 - SF2A - Toulouse



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Studying angular momentum evolution? Why?

Study and understand stellar physics

- 1- wind braking
 - 2- internal redistribution of AM
 - 3- environmental interactions
-

Sun : the angular moment paradox

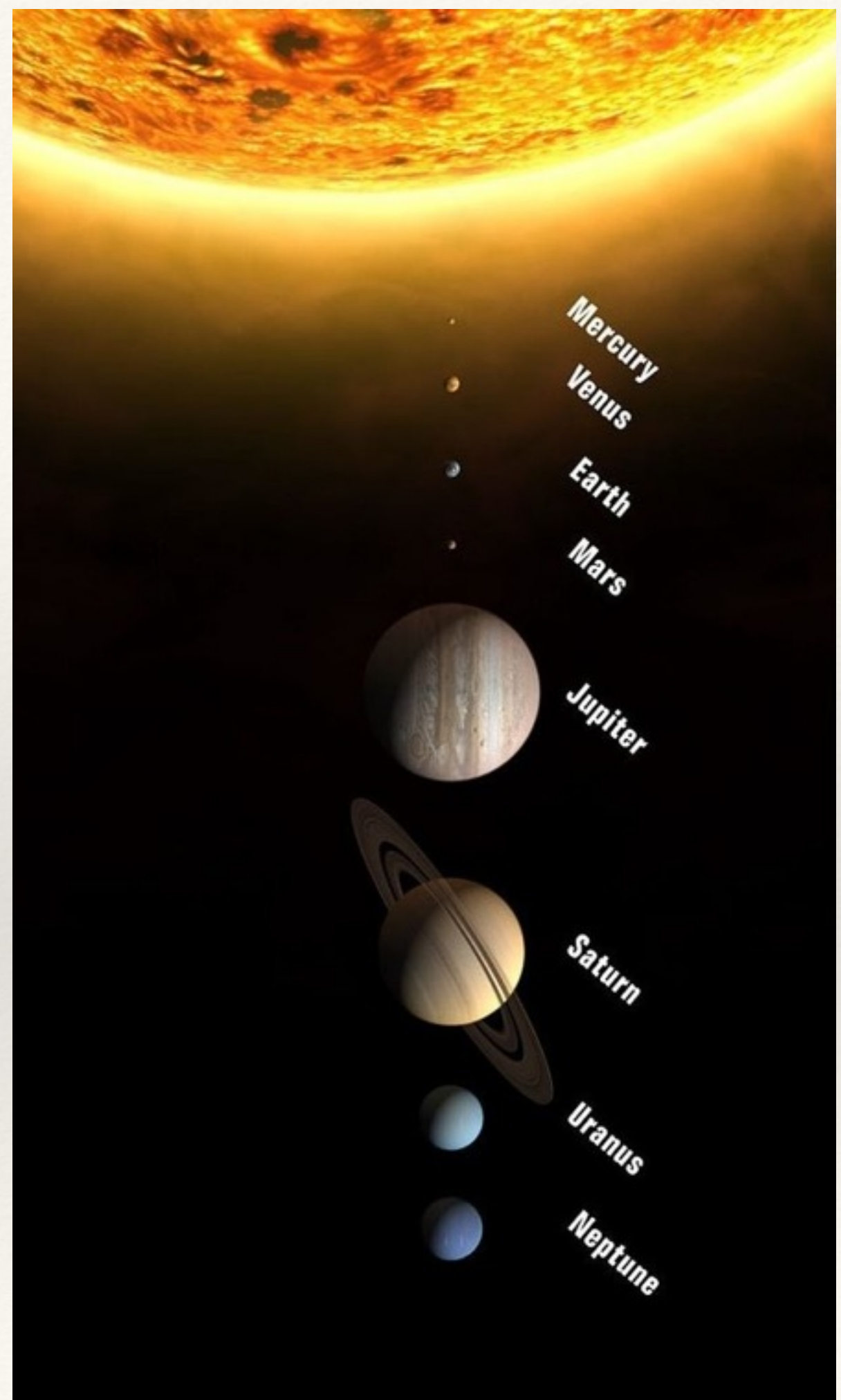
Mass of the Sun = 99% mass of the solar system

BUT

Angular momentum of the Sun = few % of total angular momentum (70% in **Jupiter!!!!**)

$J_{\odot} (1 \text{ Myr}) = 100\text{-}1000 J_{\odot} (4.6 \text{ Gyr})$

Why Sun's angular momentum so low? Physical mechanisms responsible for these huge losses between 1 Myr and 4.6 Gyr?



- ❖ Observational context
 - Observed rotational evolution
- ❖ Numerical models
 - Parametric model
- ❖ Rotational evolution
 - Solar type stars : $1 M_{\odot}$
 - Low mass stars : 0.5 and $0.8 M_{\odot}$
 - Implication for stellar physics
- ❖ Conclusion and perspectives

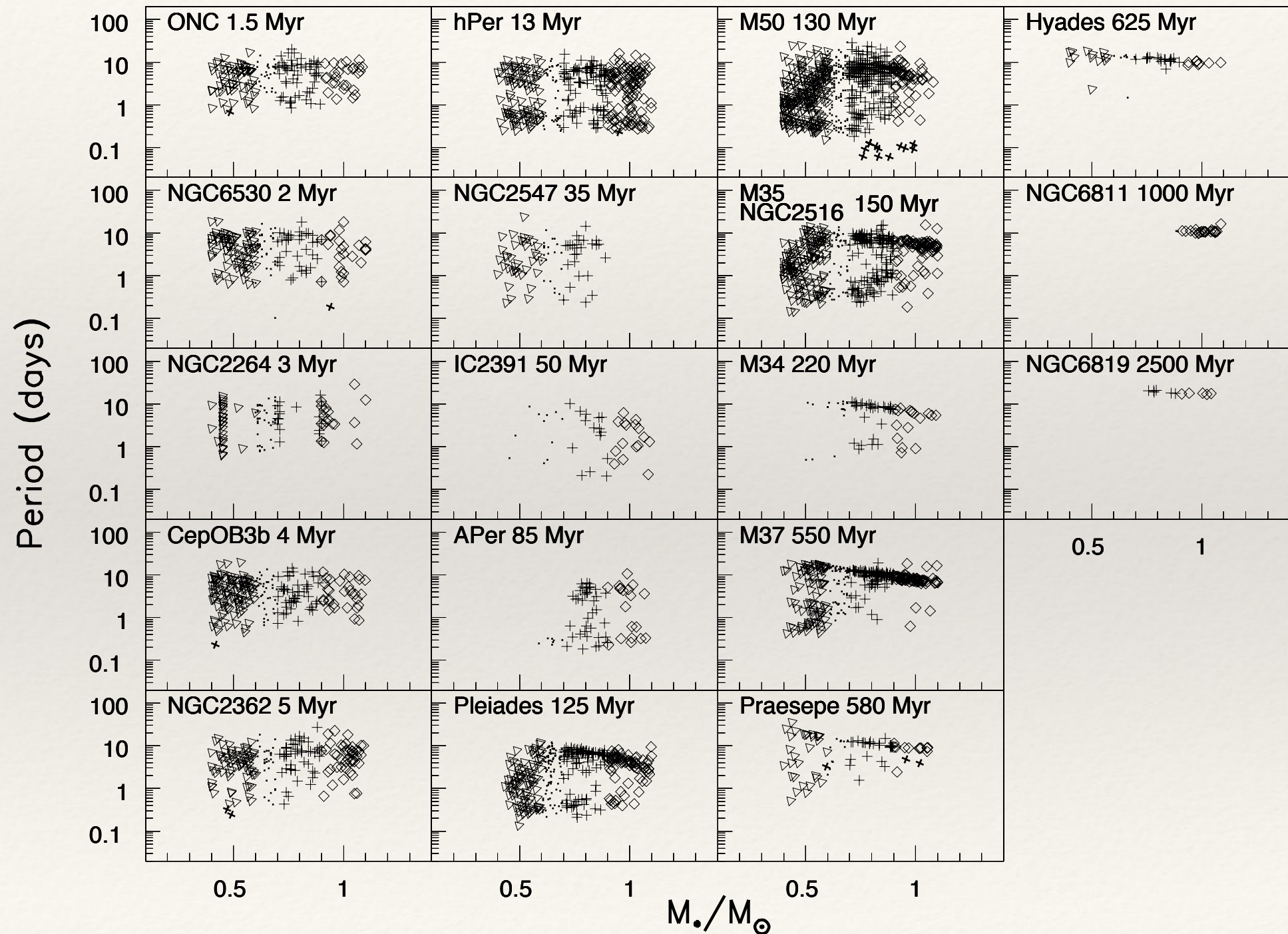
I - Observational context

- Observed rotational evolution

Observed rotational evolution

5

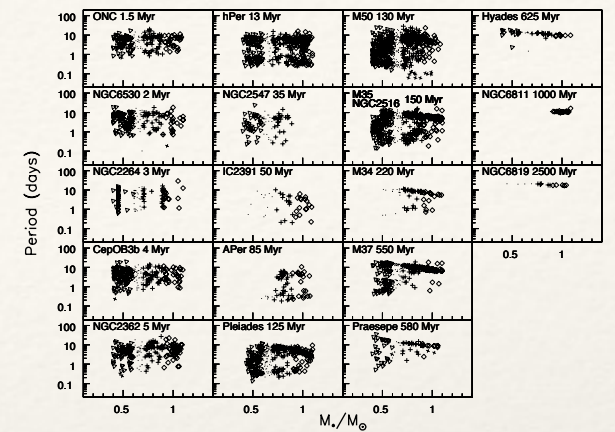
Evolution as a function of time



Observed rotational evolution

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Evolution as a function of time

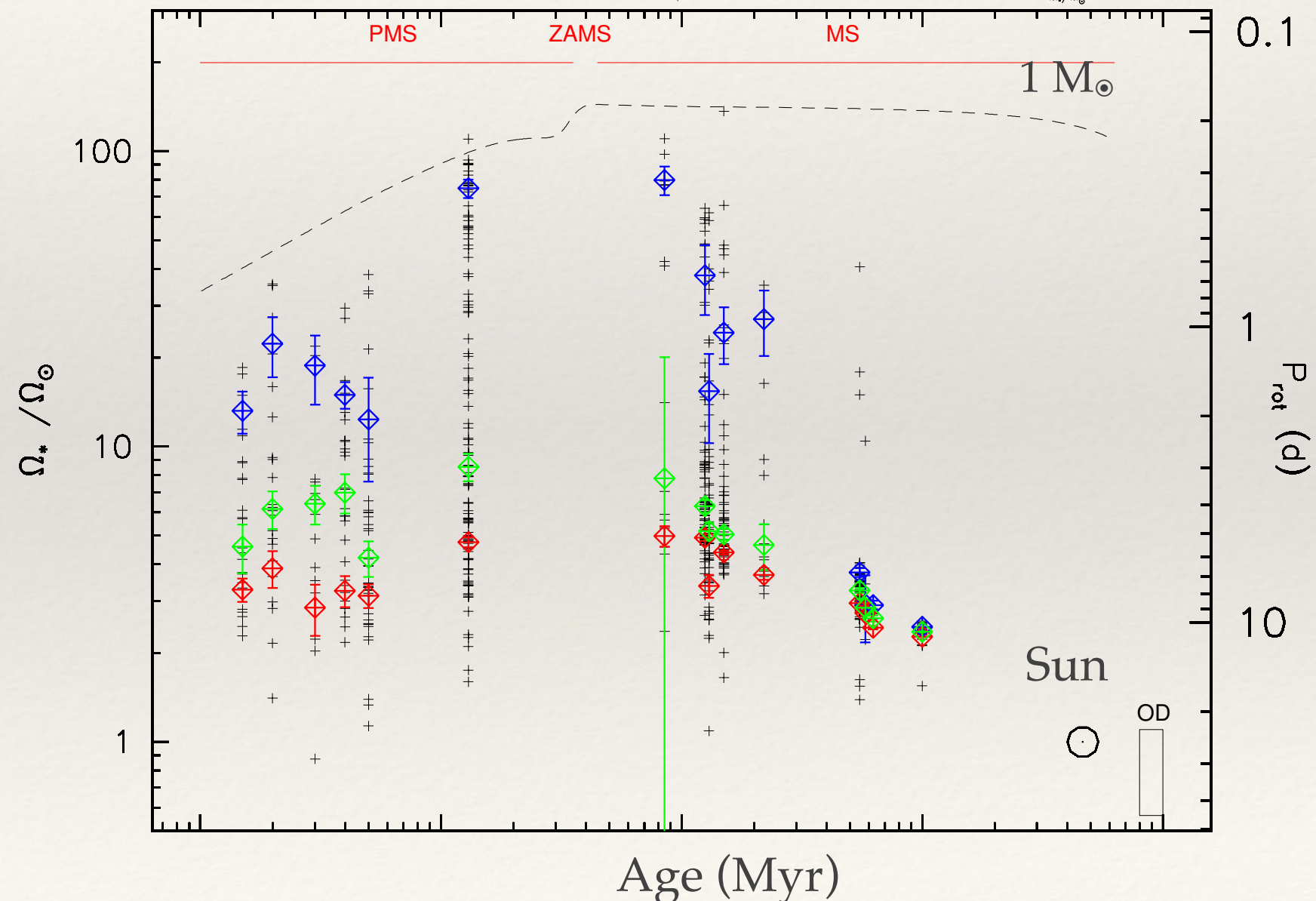
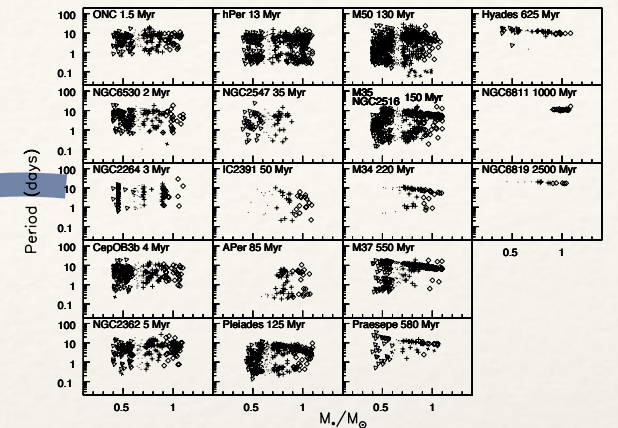


Observed rotational evolution

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Evolution as a function of time

0.9 - 1.1 $M_{\odot}$ mass bin



Observed rotational evolution

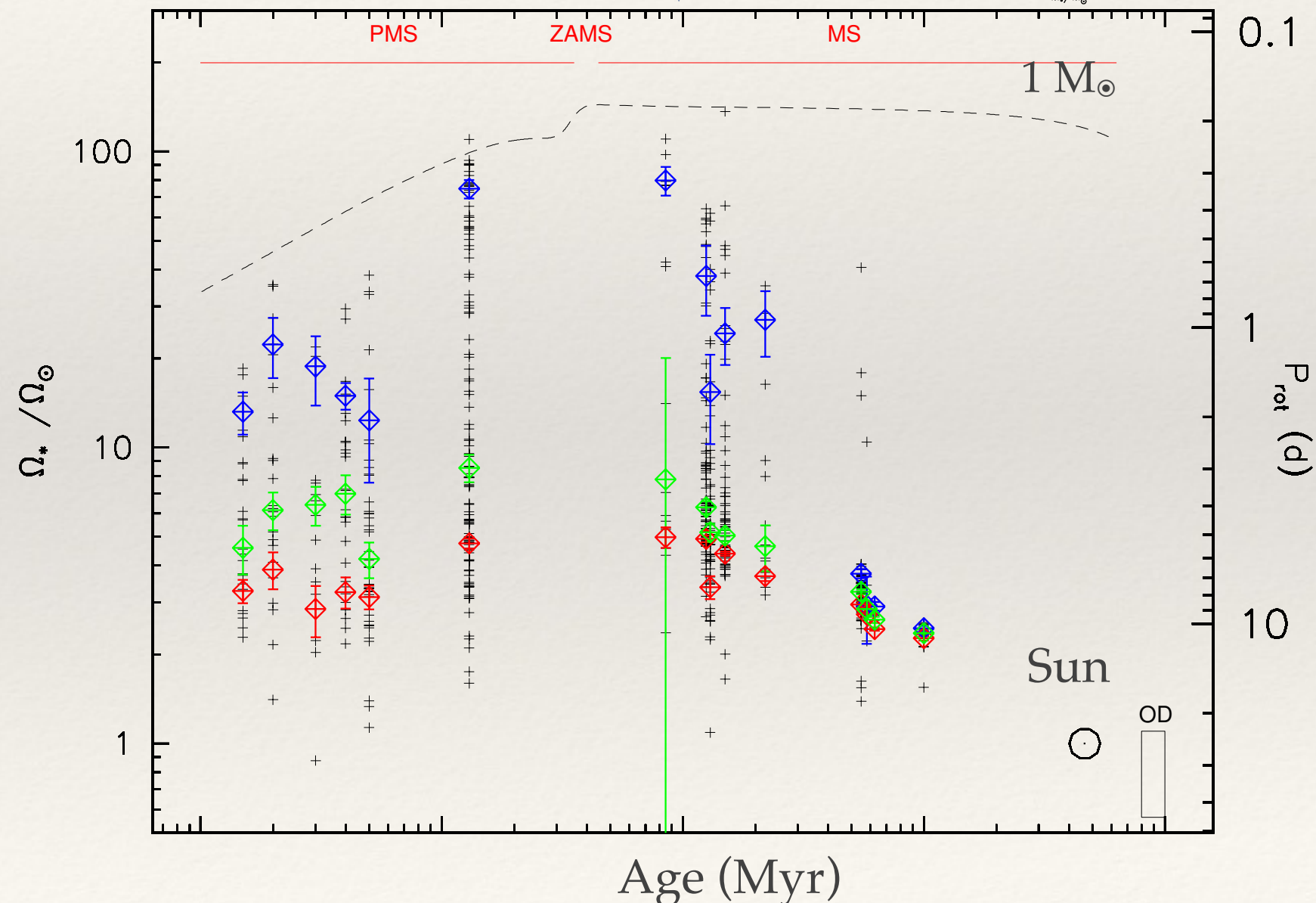
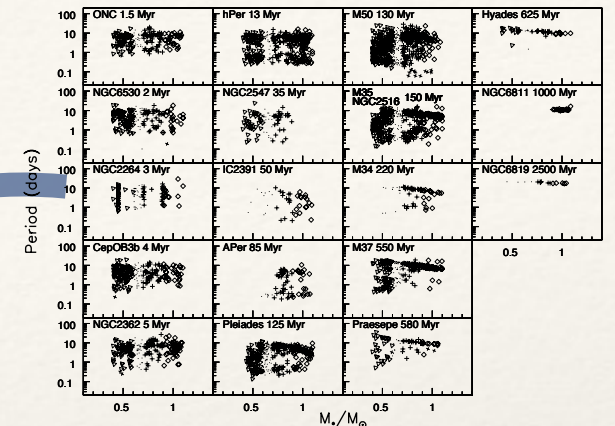
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Evolution as a function of time

❖ 1st, 2nd and 3rd quartiles

- 25th
 - median
 - 90th
- } of each distribution

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Observed rotational evolution

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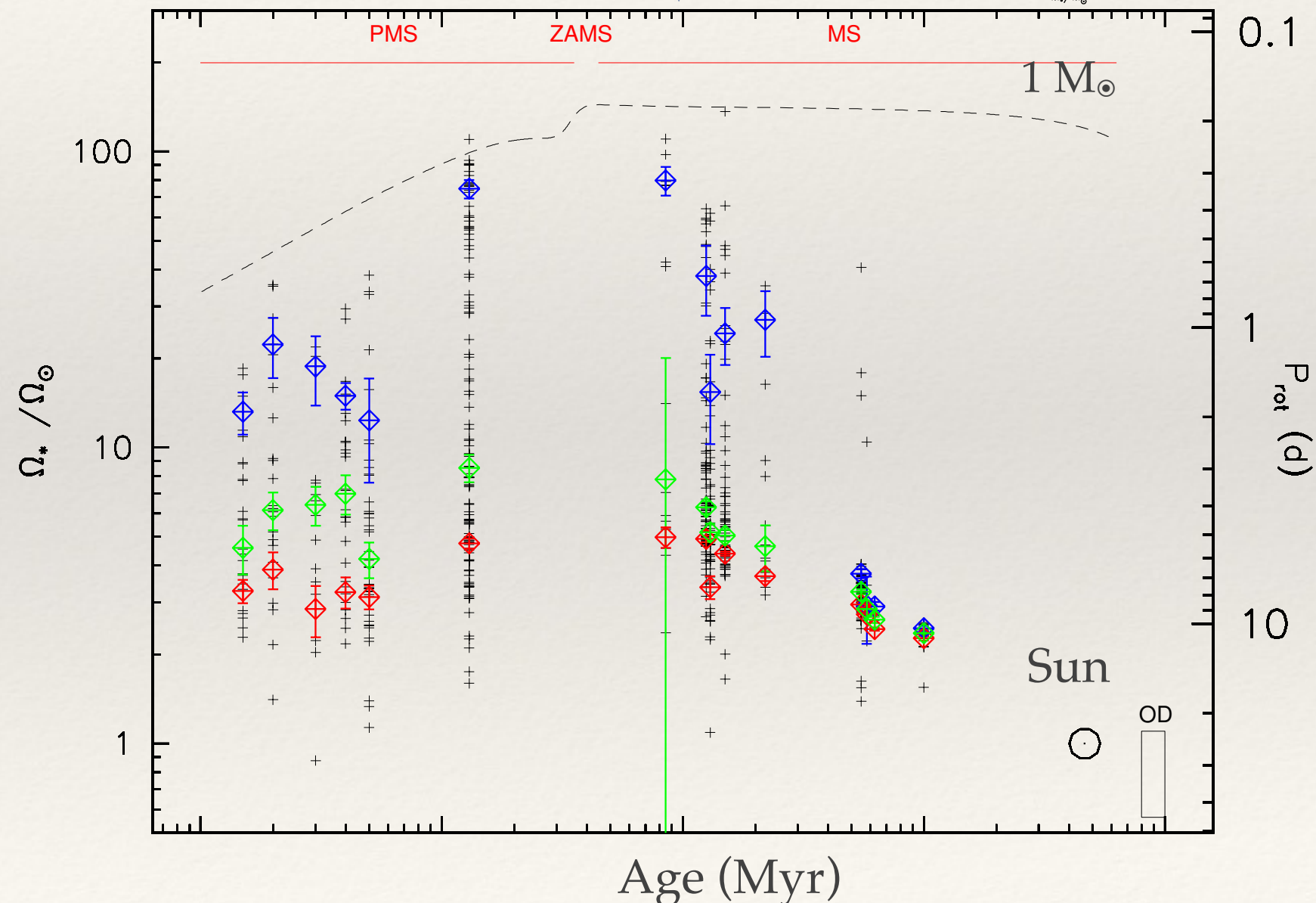
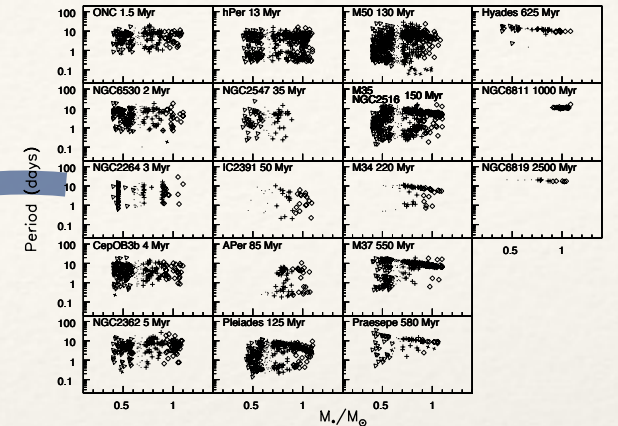
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❖ PMS

- Early PMS : rotation period $\approx$ constant
- Late PMS : spin-up due to contraction (up to 200 km/s)

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Observed rotational evolution

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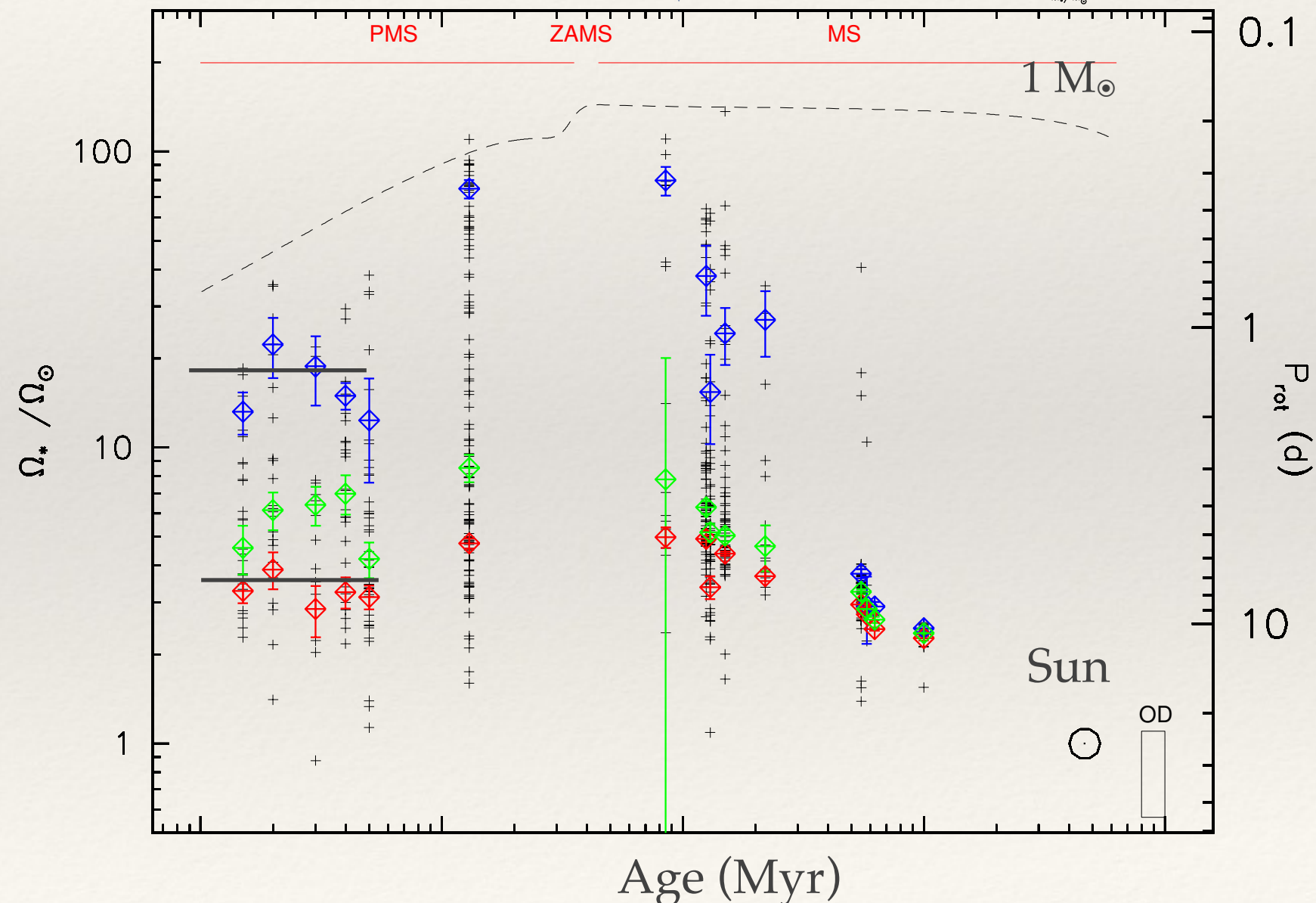
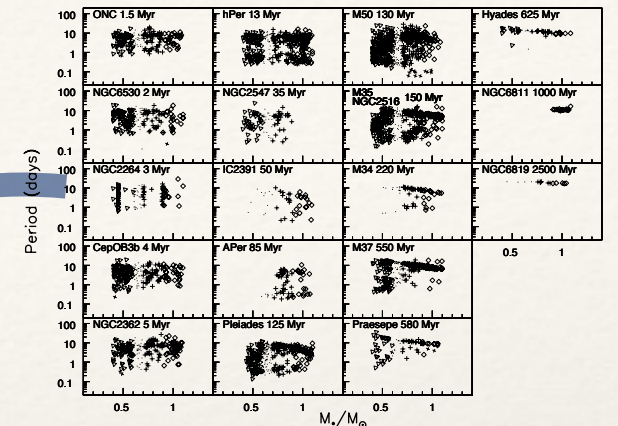
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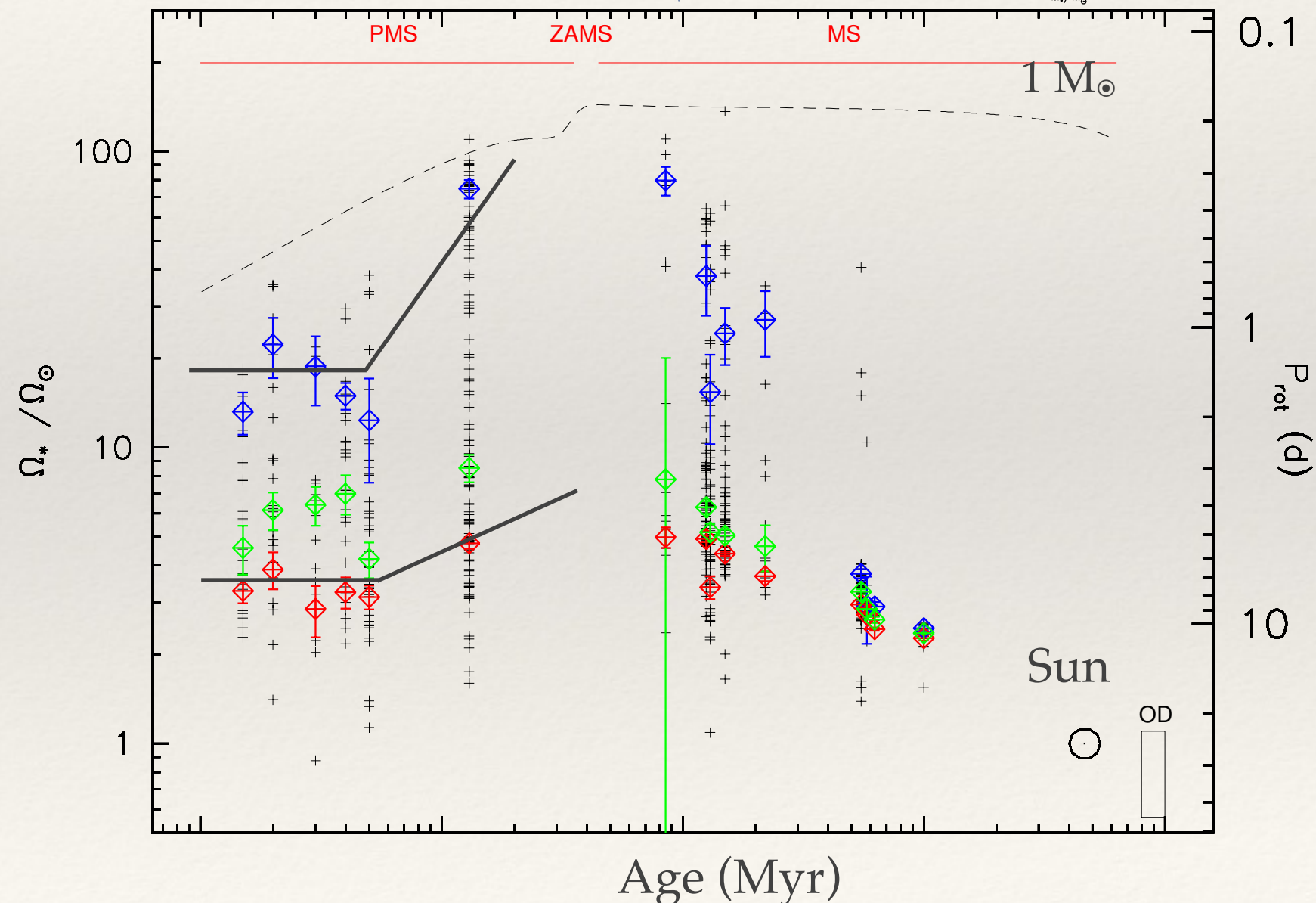
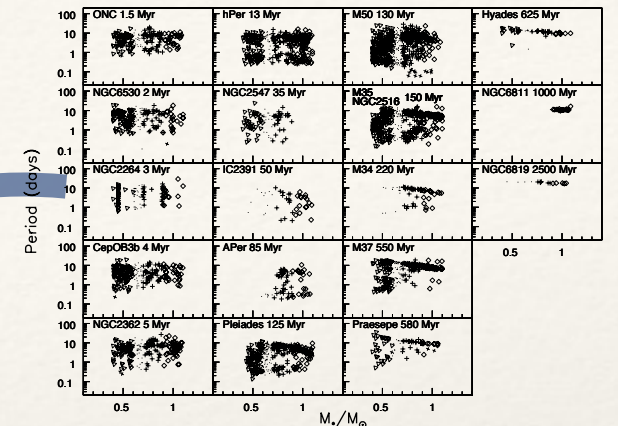
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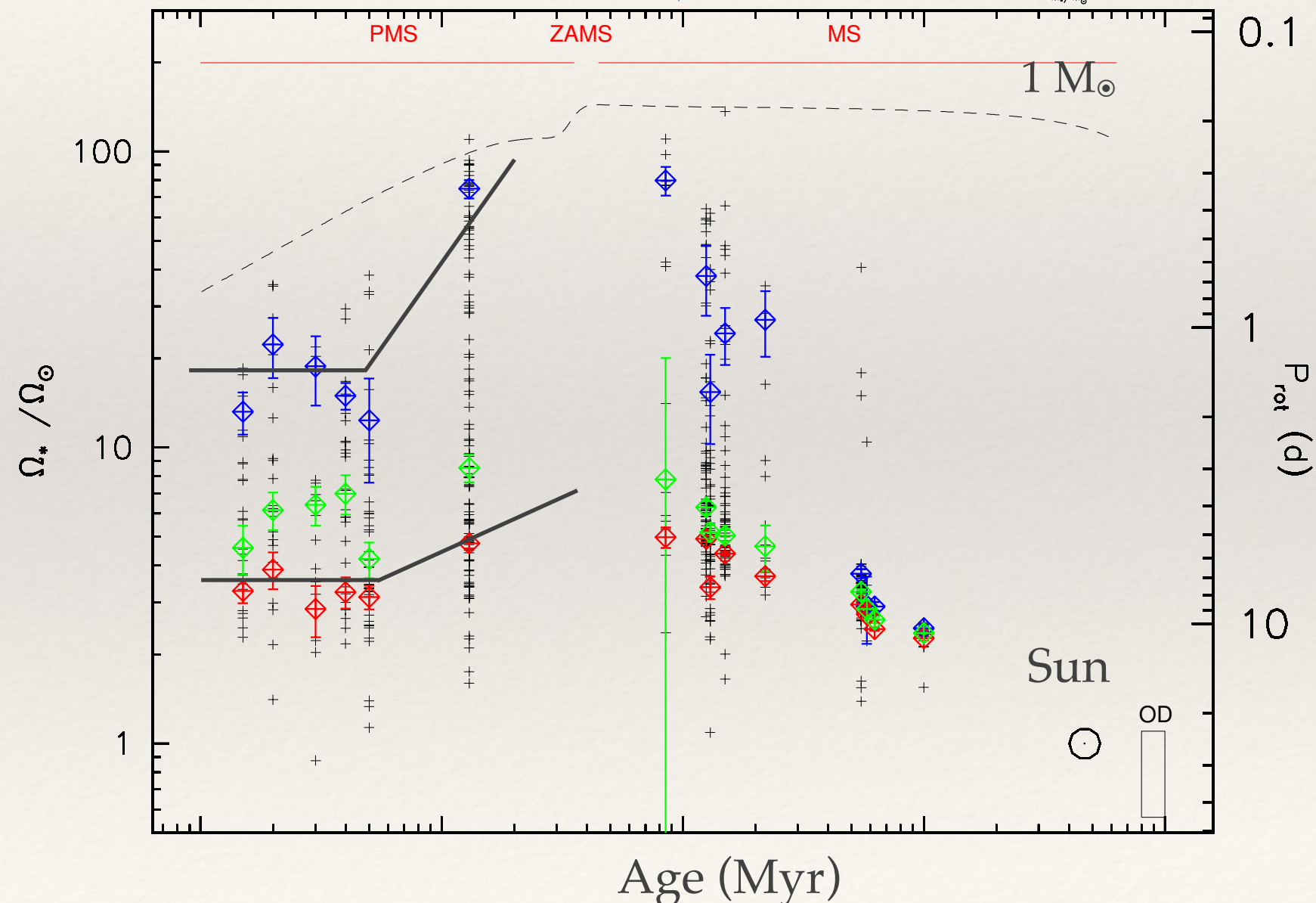
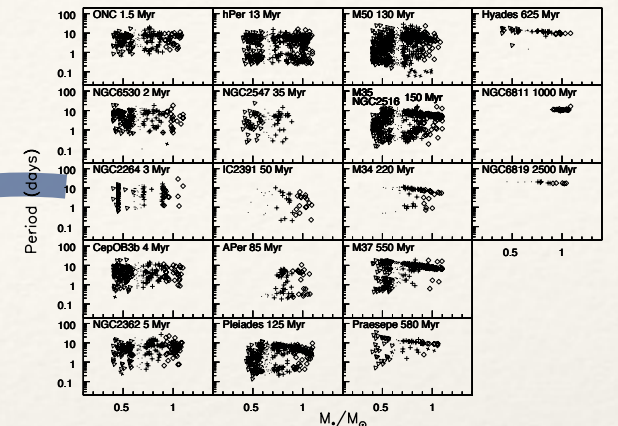
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- Stabilisation of the stellar structure

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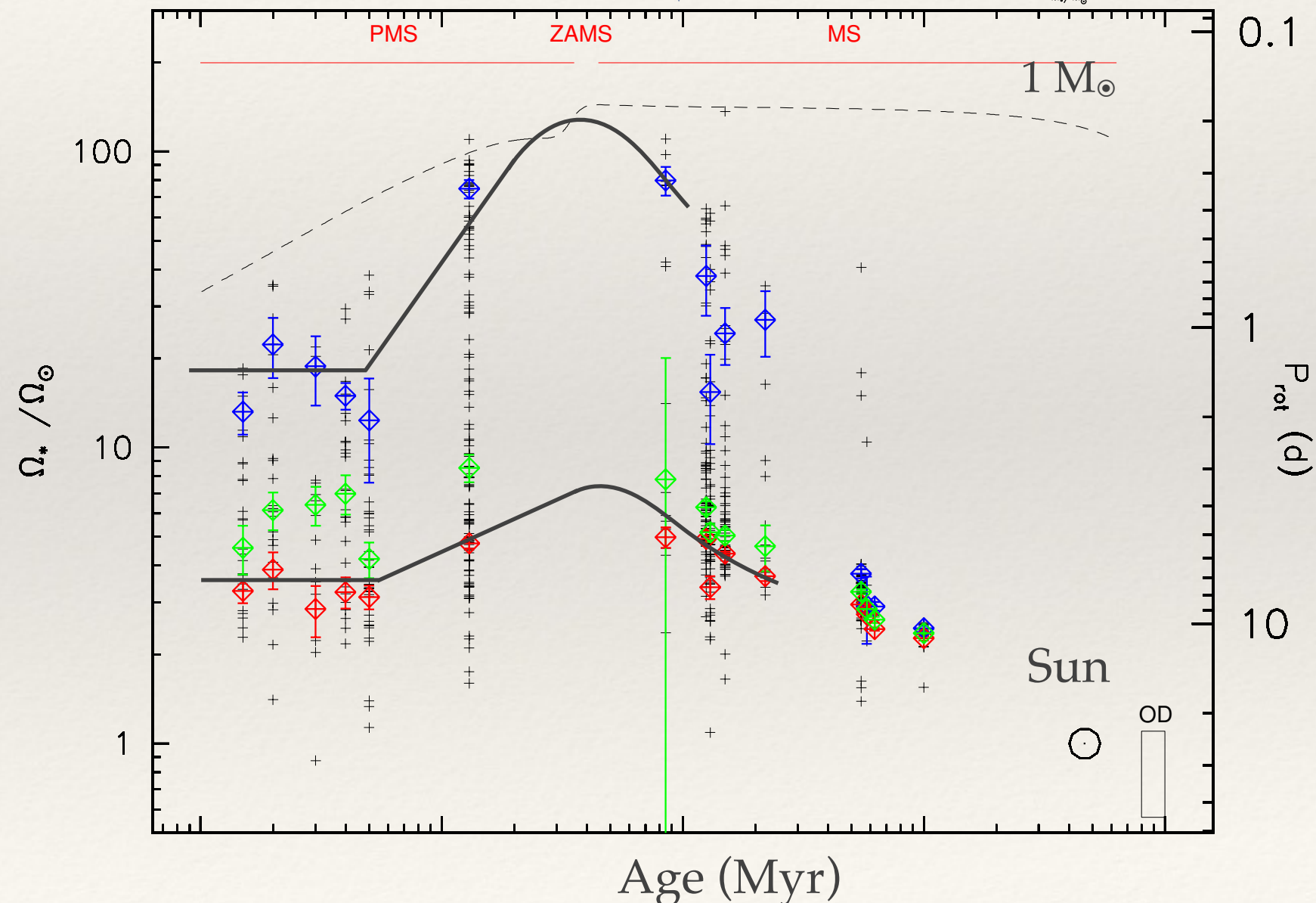
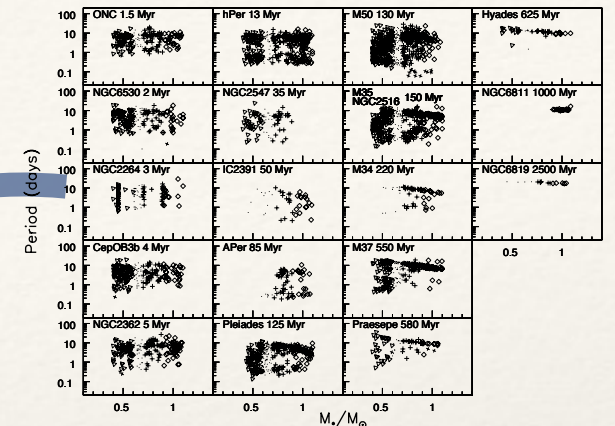
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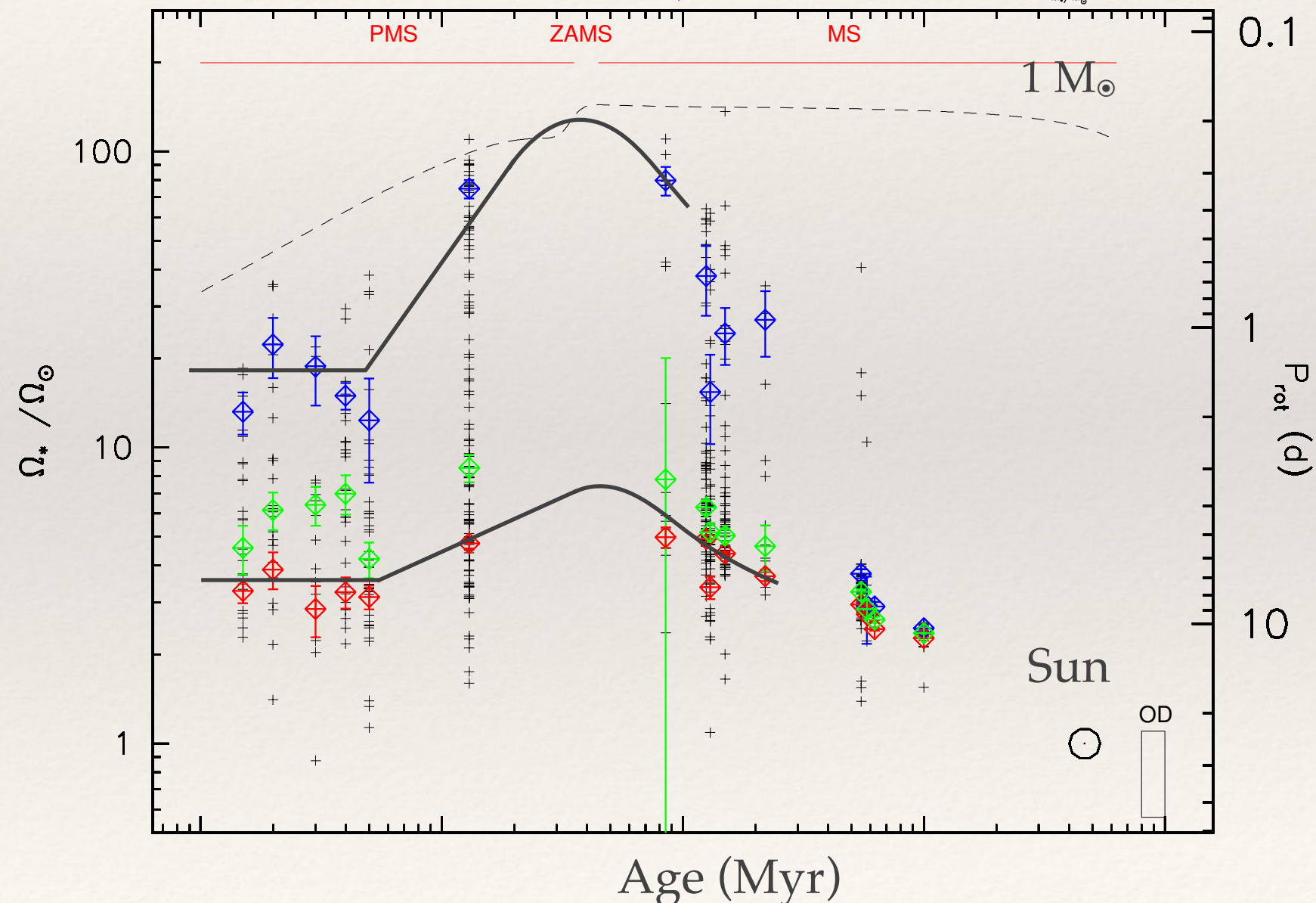
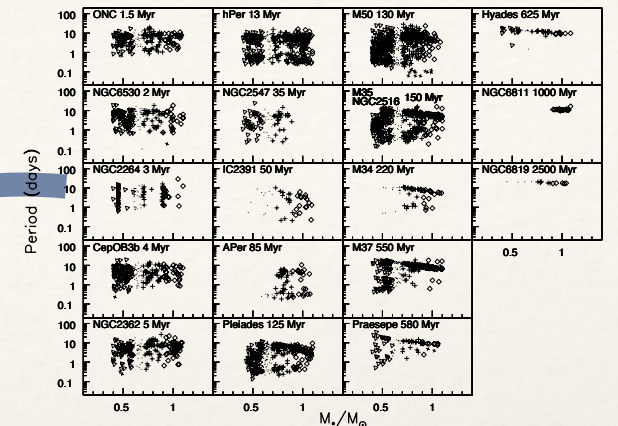
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- Rotational convergence

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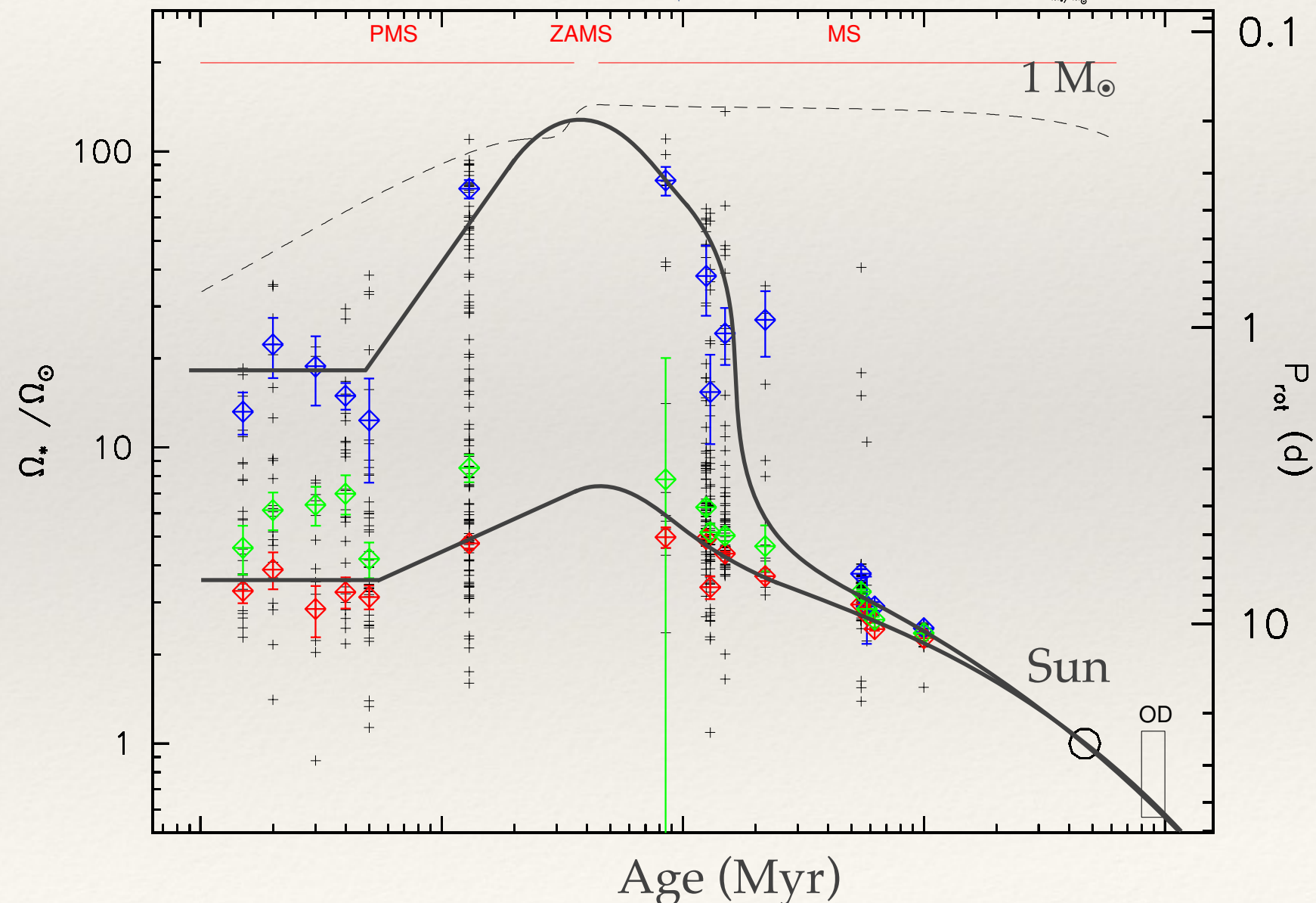
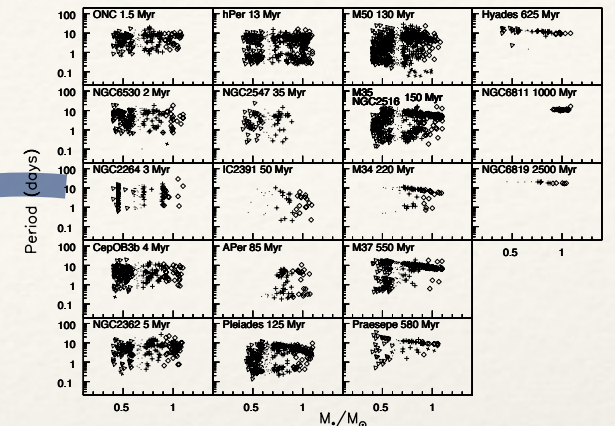
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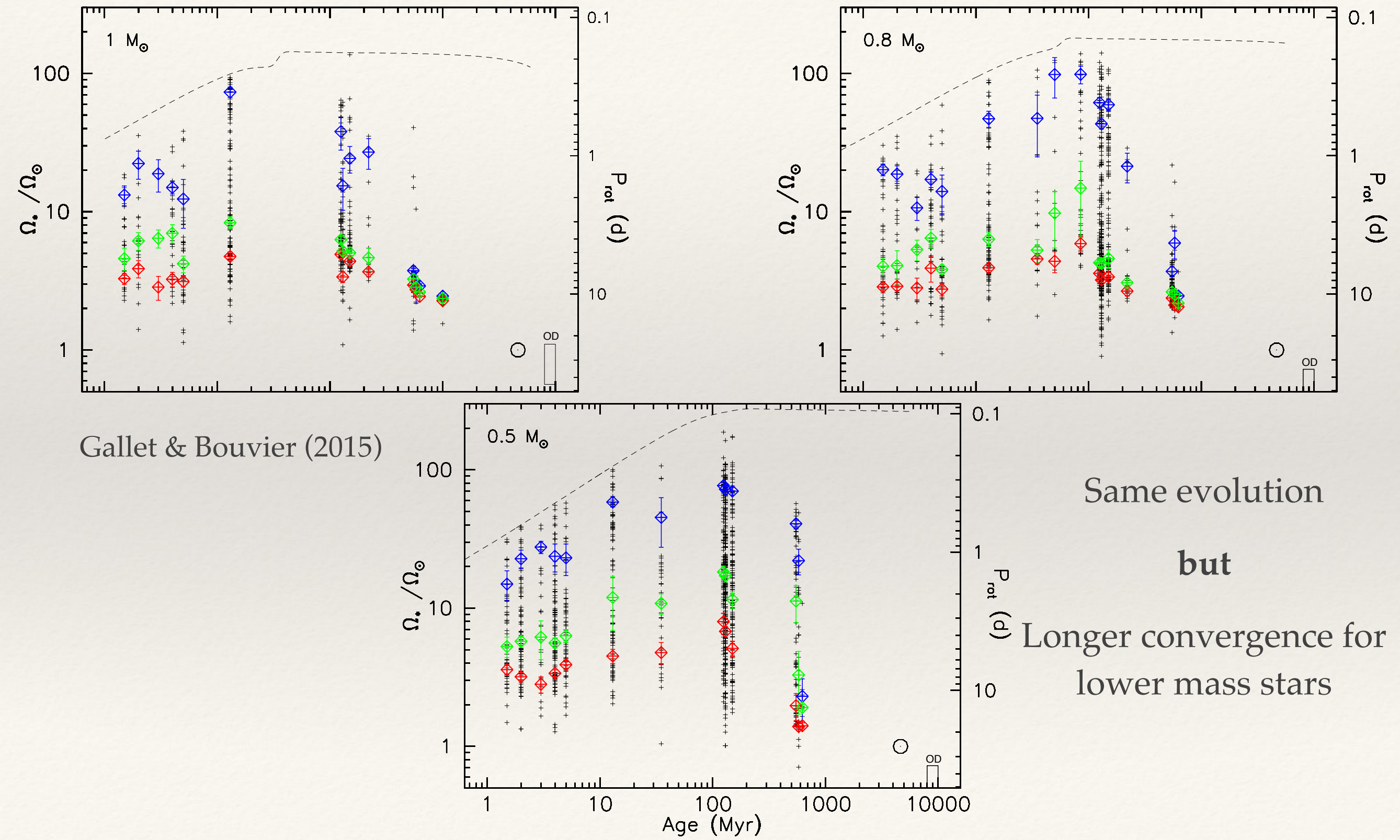
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Observed rotational evolution

6

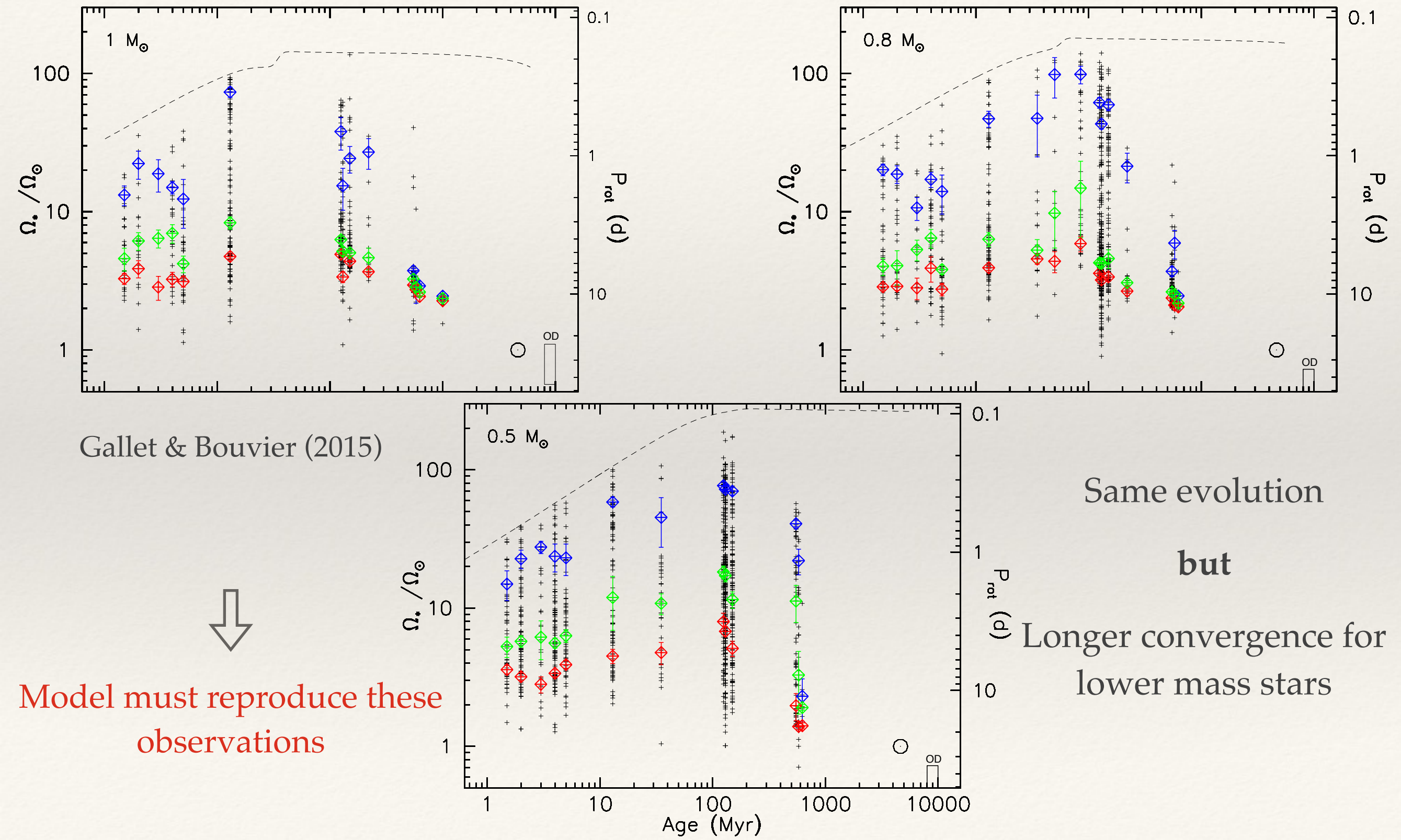
Evolution as a function of mass



Observed rotational evolution

6

Evolution as a function of mass



II - Numerical models

- Parametric model

Parametric model

8

Physical mechanisms

- ❖ **wind braking**
- ❖ **core/envelope decoupling**
- ❖ **star/disk interaction**

Parametric model => free parameters adjusted from observations

Parametric model

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Physical mechanisms

Weber & Davis (1967)

❖ **wind braking** $\left. \frac{dJ}{dt} \right|_{wind} \approx \Omega_* \dot{M}_{wind} r_A^2$

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$$\left. \frac{dJ}{dt} \right|_{wind} \approx \Omega_* \dot{M}_{wind} r_A^2$$

Matt et al. (2012a)

$$r_A = K_1 \left[\frac{B_p^2 R_*^2}{\dot{M}_{wind} \sqrt{K_2^2 v_{esc}^2 + \Omega_*^2 R_*^2}} \right]^m R_*$$

$K_1 = 1.3$
 $K_2 = 0.0506$
 $m = 0.22$

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K_1 (free parameter)

Two unknown => B_p and $\dot{M}_{wind}$ $\Rightarrow$ Cranmer & Saar (2011) BOREAS routine

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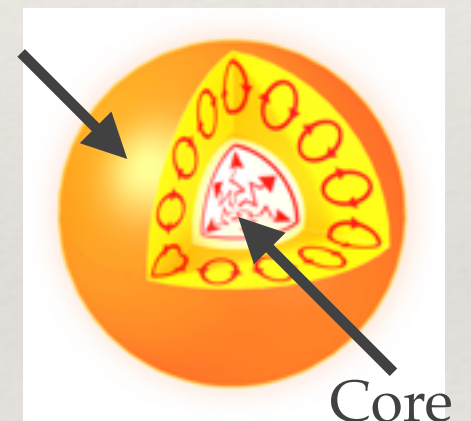
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Cranmer & Saar (2011) BOREAS routine

❖ **core/envelope decoupling**

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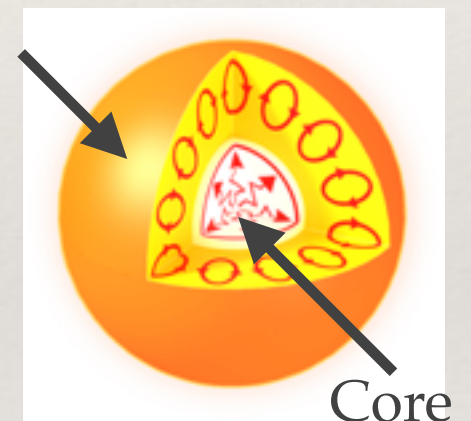
❖ **core/envelope decoupling**

MacGregor & Brenner (1991)

$$\Delta J = \frac{I_{env} J_{core} - I_{core} J_{env}}{I_{core} + I_{env}} \Rightarrow \tau_{c-e} \text{ (free parameter)}$$

❖ **star/disk interaction**

Envelope



Parametric model => free parameters adjusted from observations

Parametric model

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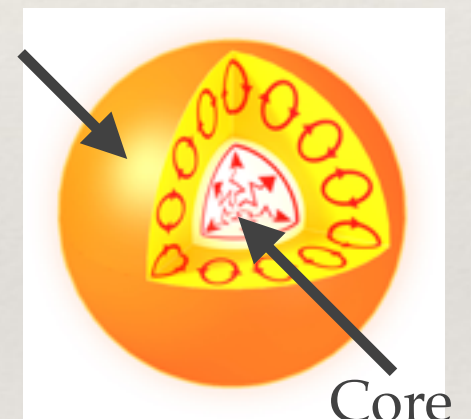
=> τ_{c-e} (free parameter)

$$\tau_{c-e} = cst|_{model}$$

❖ **star/disk interaction**

(Allain 1998; Irwin & Bouvier 2009)

Envelope



Core

Parametric model => free parameters adjusted from observations

Parametric model

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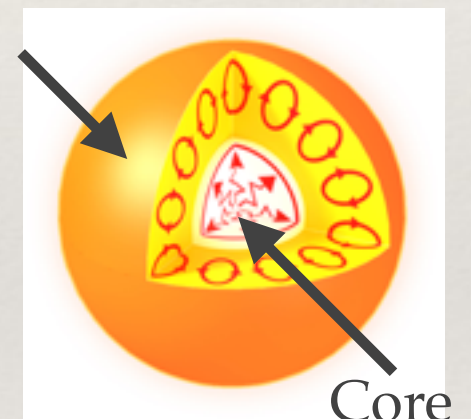
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Envelope



Core

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(Allain 1998; Irwin & Bouvier 2009)

$$\Omega_{conv} = \Omega_{init} = 2\pi / P_{init} = cst$$

=> τ_{disk} (free parameter)

Parametric model => free parameters adjusted from observations

III – Rotational evolution

- Solar type stars : $1 M_{\odot}$
- Low mass stars : 0.5 and $0.8 M_{\odot}$
- Implication for stellar physics

Solar type stars

10

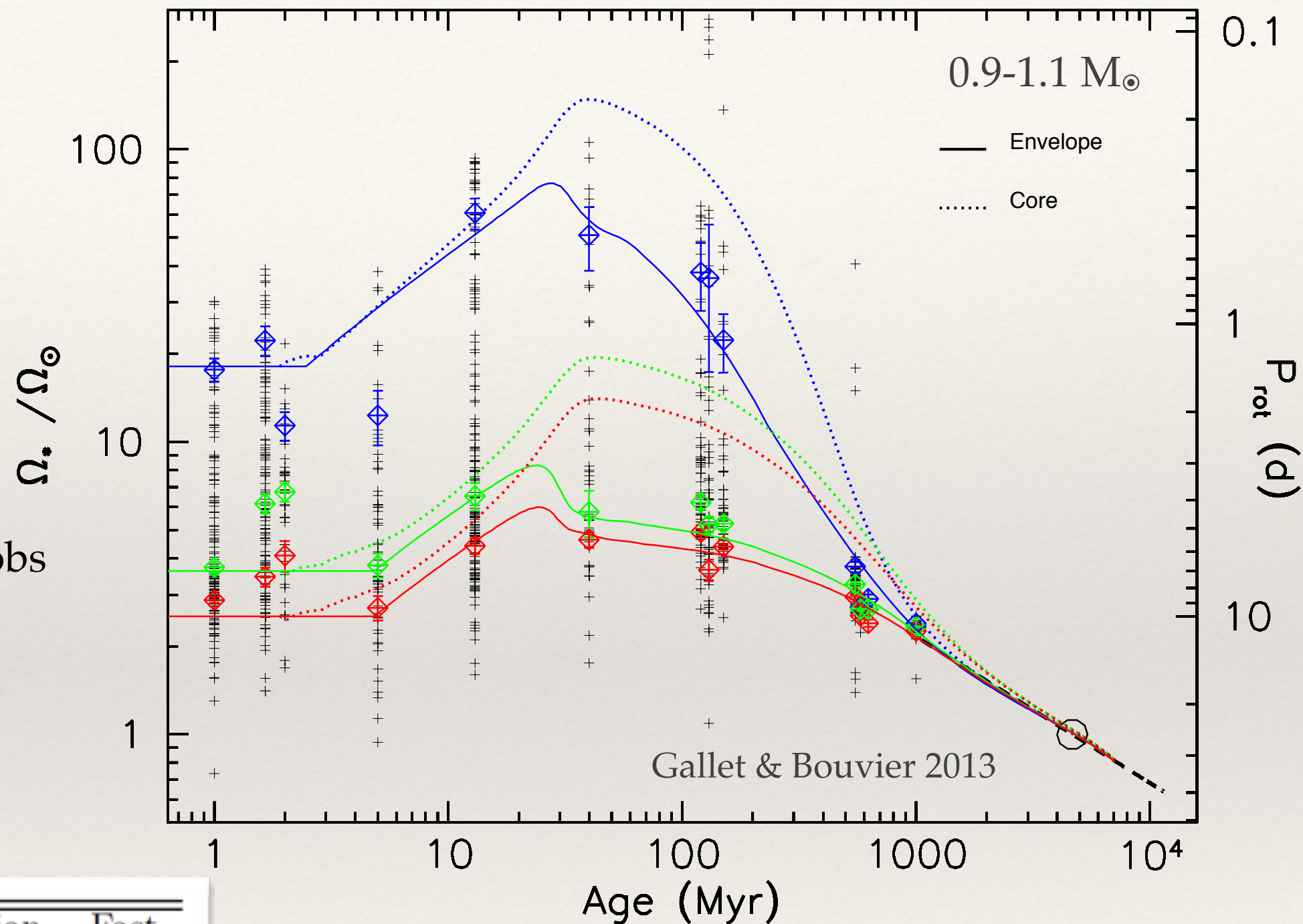
4 free parameters:

$P_{\text{init}} \Rightarrow \text{obs}$

$\tau_{\text{disk}} \Rightarrow \text{obs}$

$\tau_{\text{c-e}} \Rightarrow \text{obs}$

$K_1(dJ/dt) \Rightarrow \text{numerical+obs}$



Parameter	Slow	Median	Fast
P_{init} (days)	10	7	1.4
$\tau_{\text{c-e}}$ (Myr)	30	28	12
τ_{disk} (Myr)	5	5	2.5
K_1	1.8	1.8	1.7

Stellar structure evolution model : Baraffe et al. (1998)

Solar type stars

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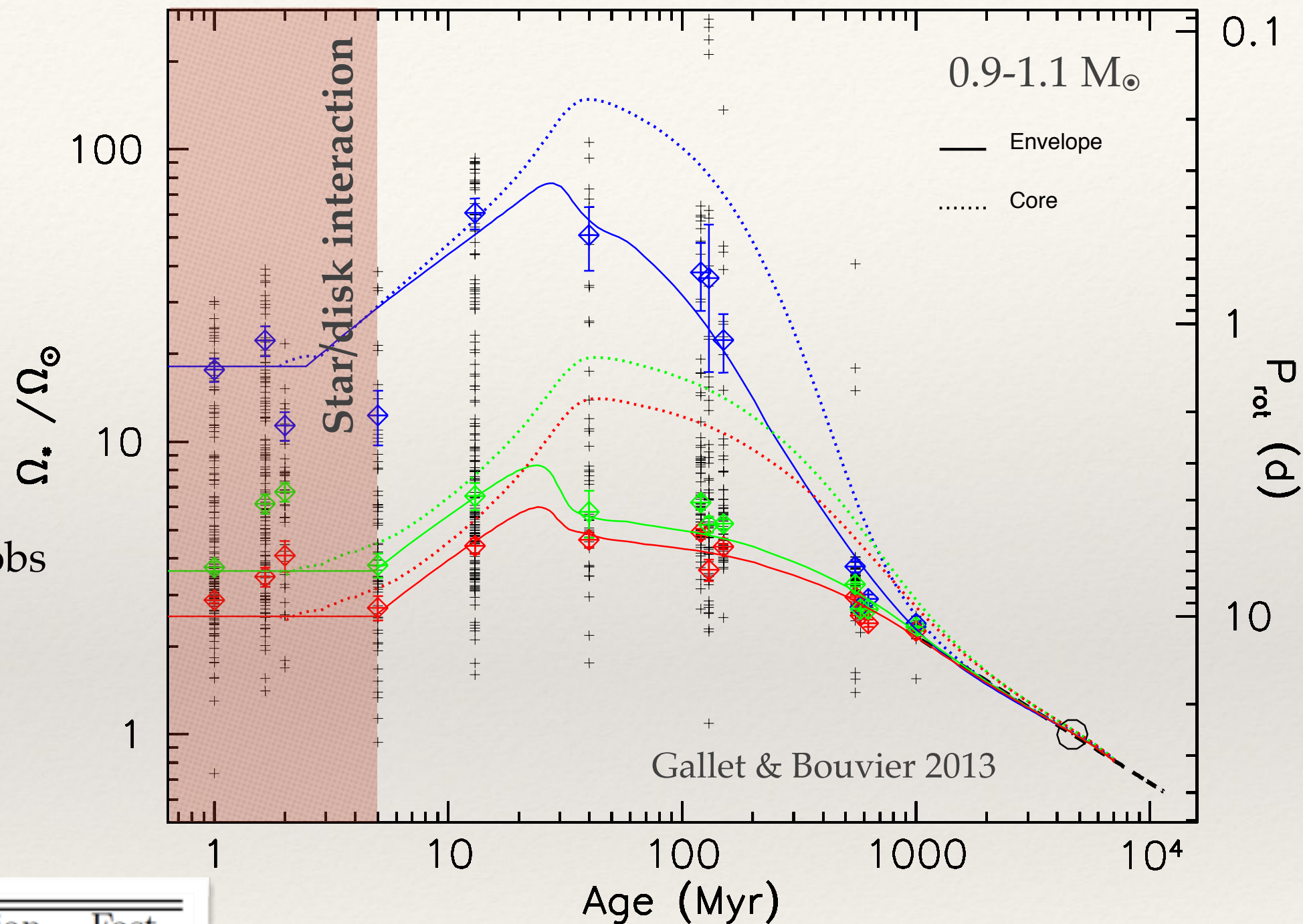
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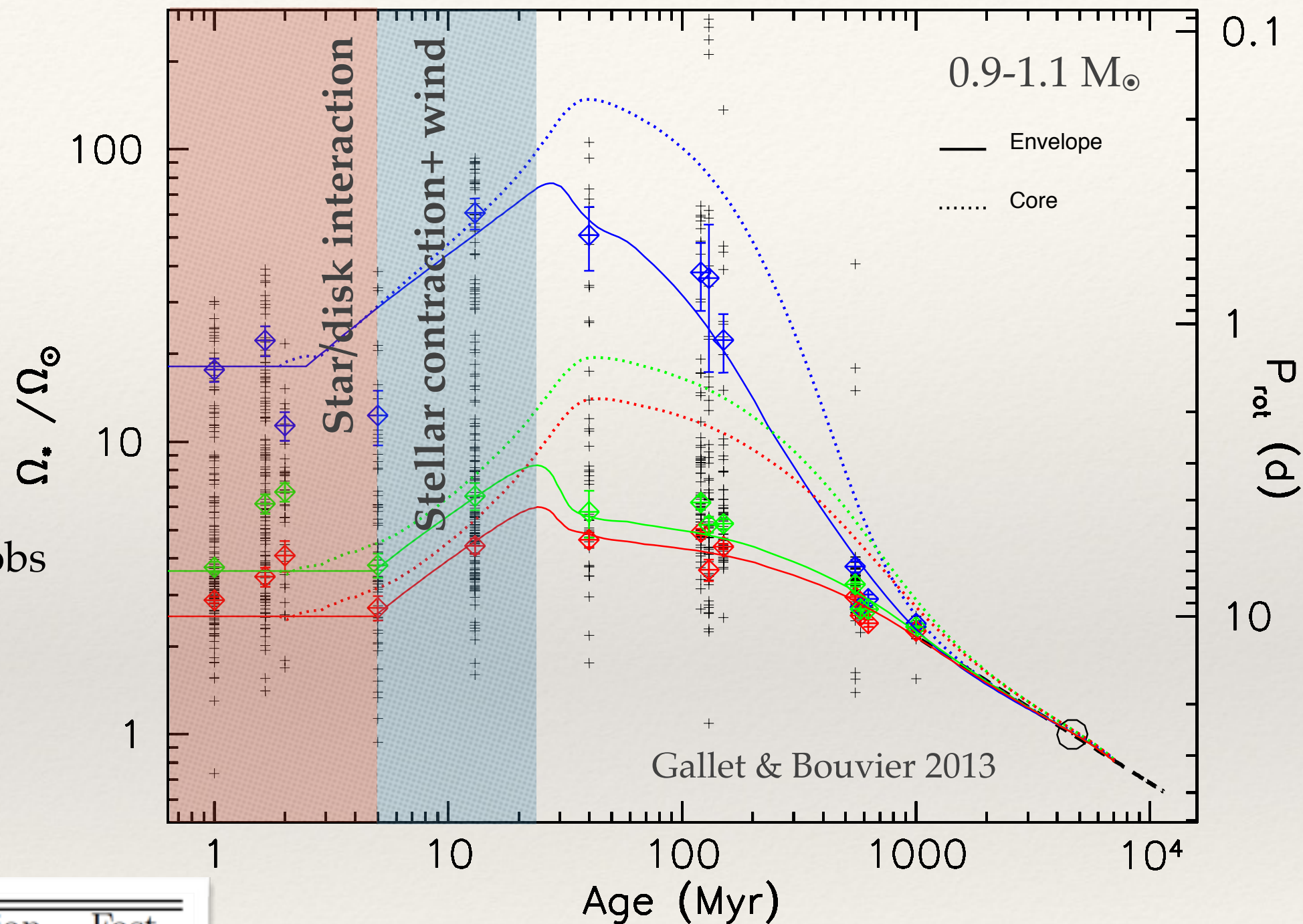
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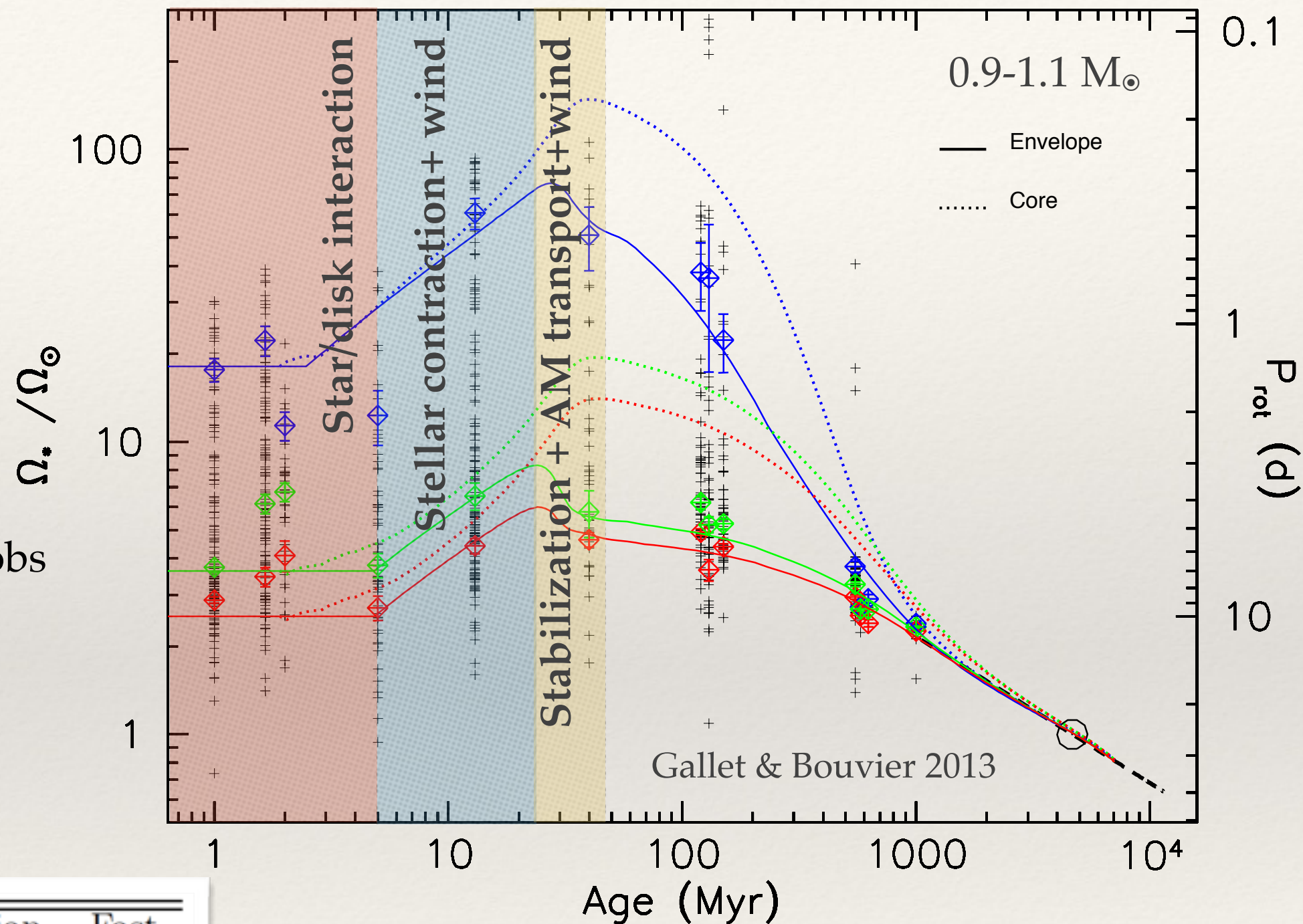
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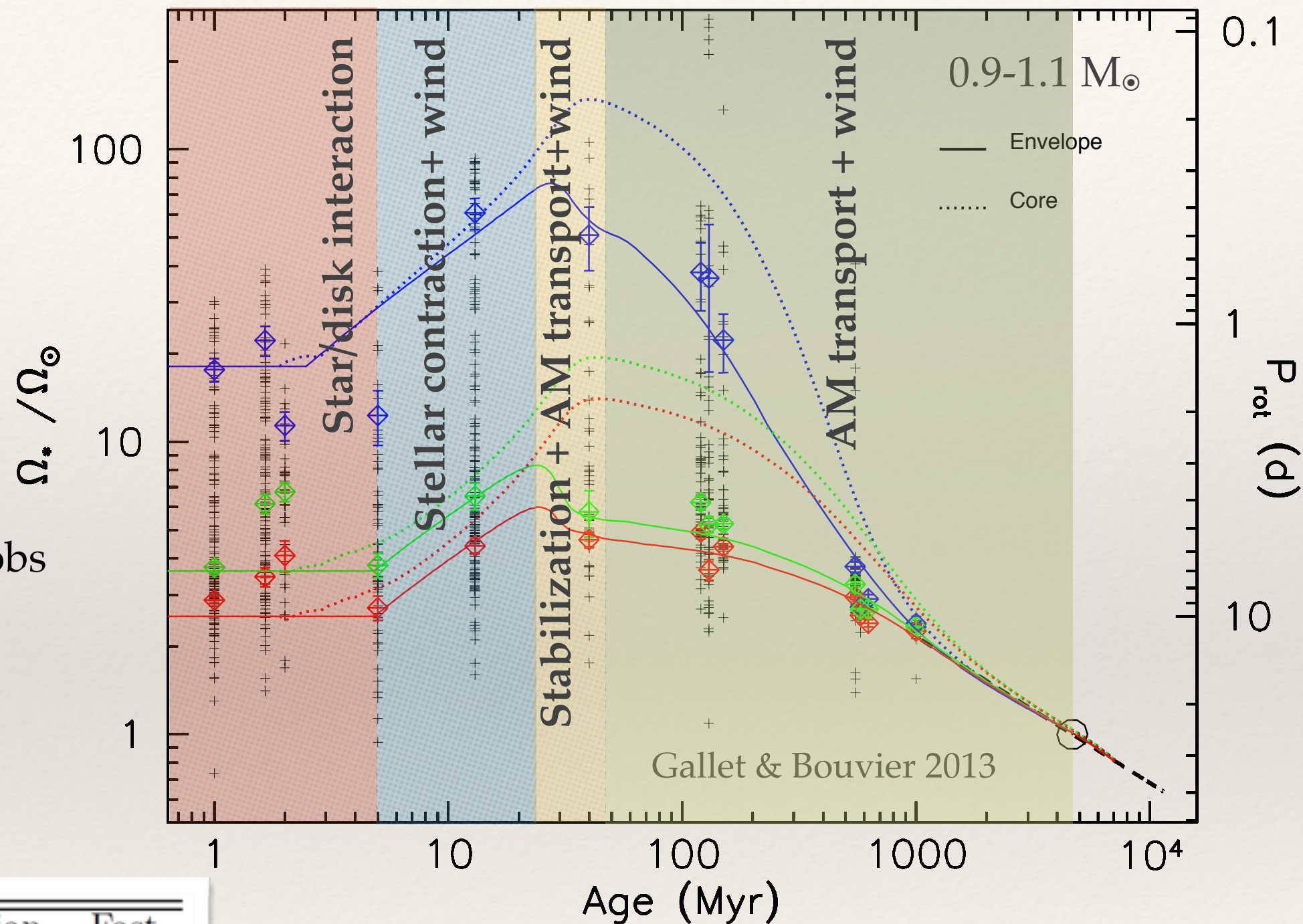
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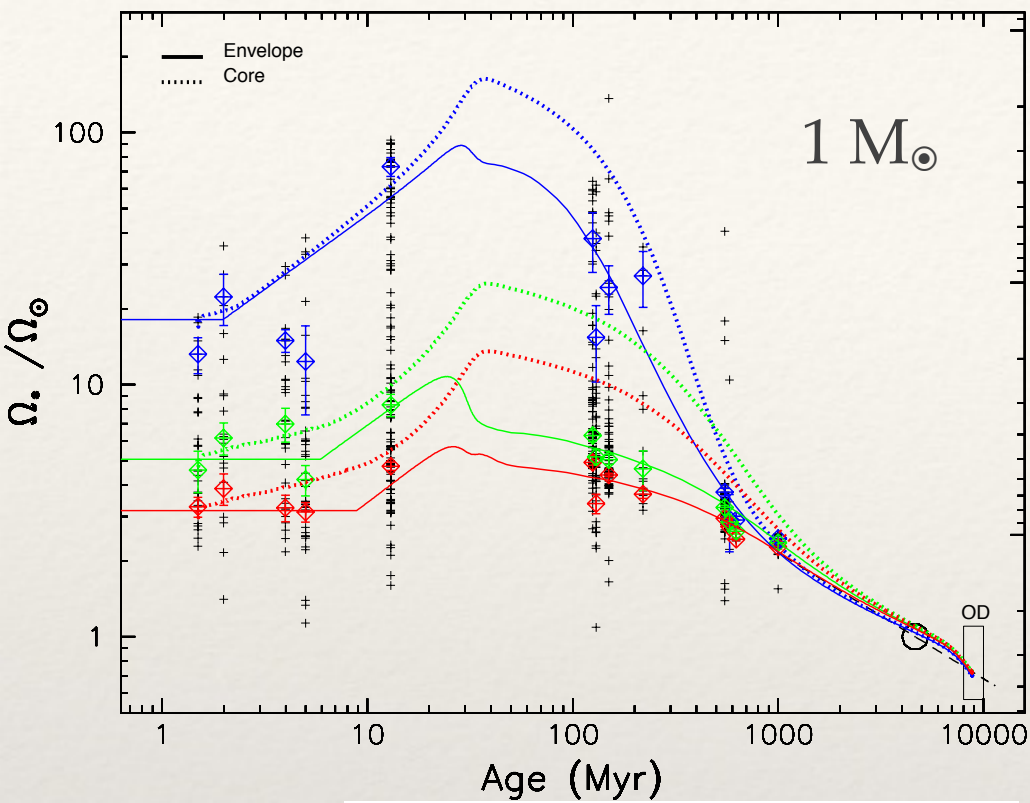


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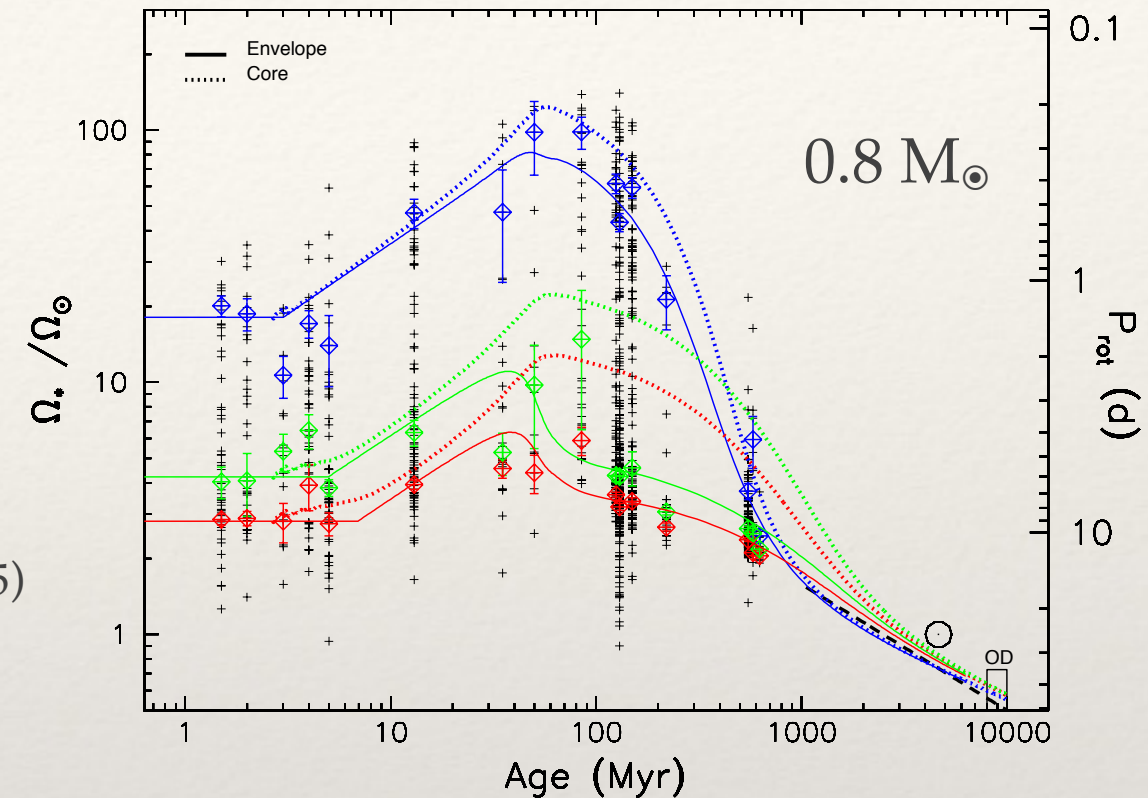
Low mass stars

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The mass dependance

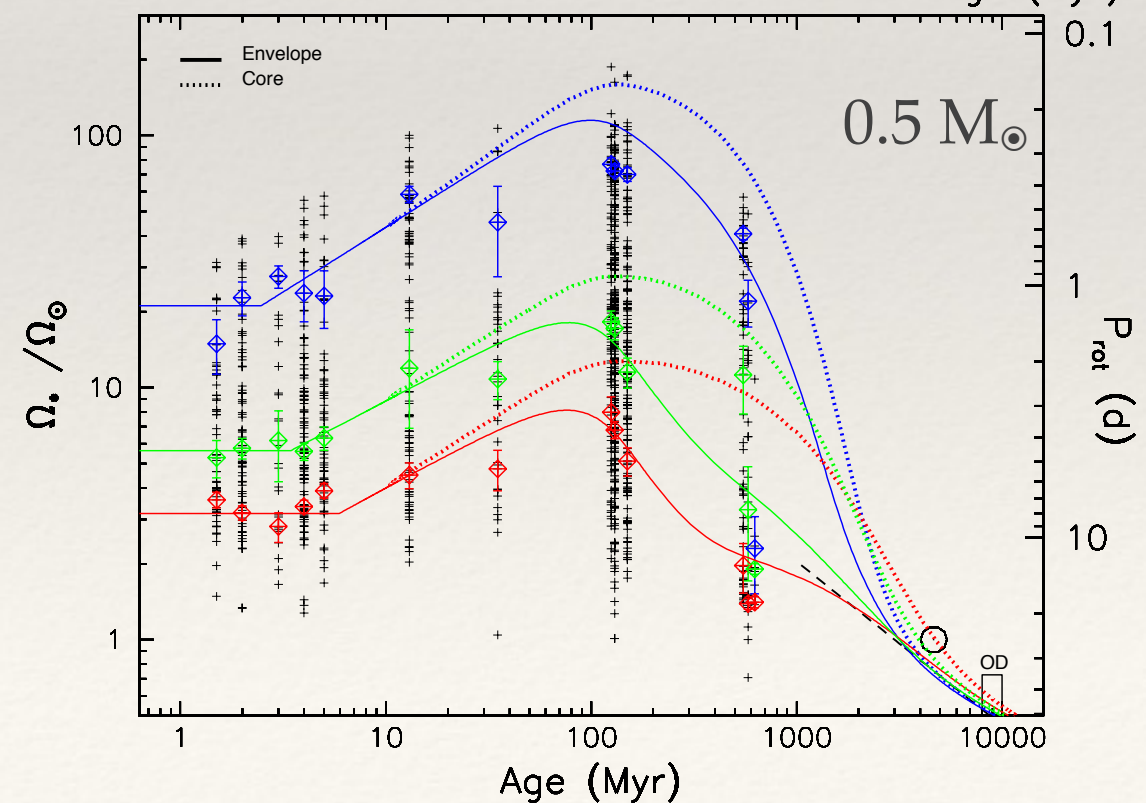
Gallet & Bouvier (2015)



$M_* = 1 M_{\odot}$			
Paramètre	Lent	Médian	Rapide
P_{init} (jours)	8	5	1.4
τ_{c-e} (Myr)	30	28	10
τ_{disque} (Myr)	9	6	2
K_1	1.7	1.7	1.7

$M_* = 0.8 M_{\odot}$			
Paramètre	Lent	Médian	Rapide
P_{init} (jours)	9	6	1.4
τ_{c-e} (Myr)	80	80	15
τ_{disque} (Myr)	7	5	3
K_1	3	3	3

$M_* = 0.5 M_{\odot}$			
Paramètre	Lent	Médian	Rapide
P_{init} (jours)	8	4.5	1.2
τ_{c-e} (Myr)	500	300	150
τ_{disque} (Myr)	6	3.5	2.5
K_1	8.5	8.5	8.5



Implication for stellar physics

Implication for stellar physics

12

❖ $(P_{\text{init}}, \tau_{\text{disk}})$

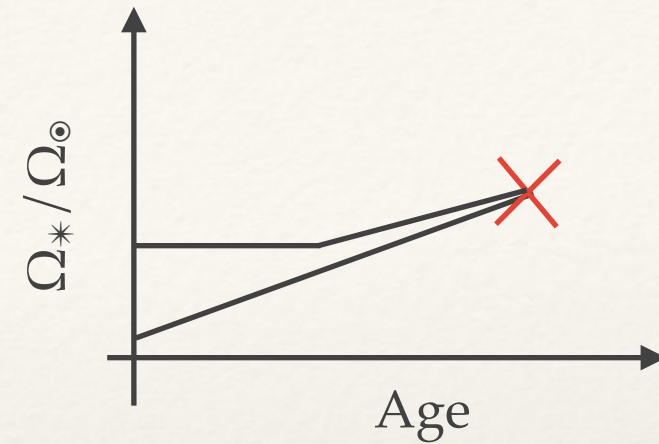
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- degeneracy lifted using young SFR
- need to be correlated (c.f. Gallet & Bouvier 2013)
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Implication for stellar physics

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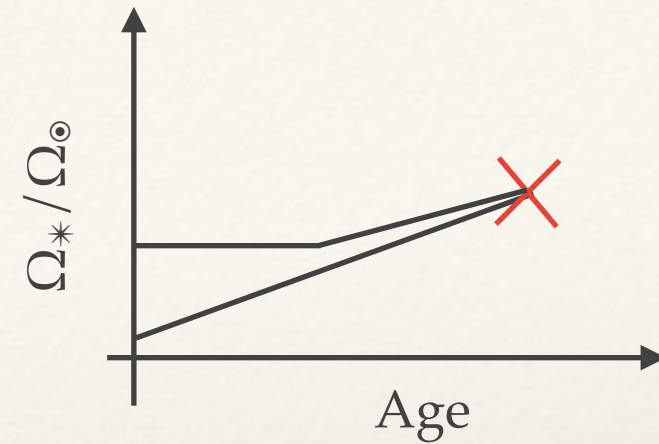


Implication for stellar physics

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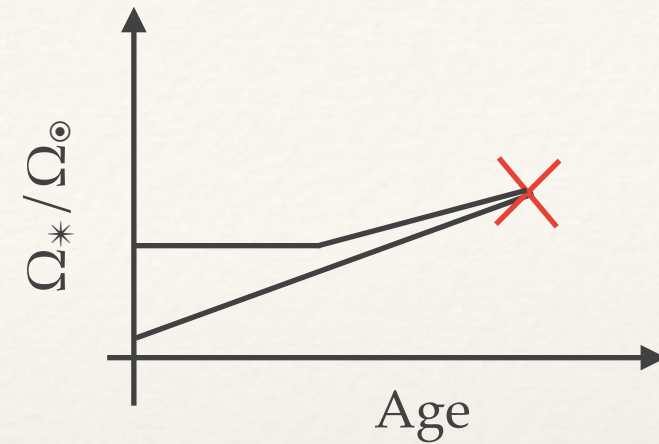
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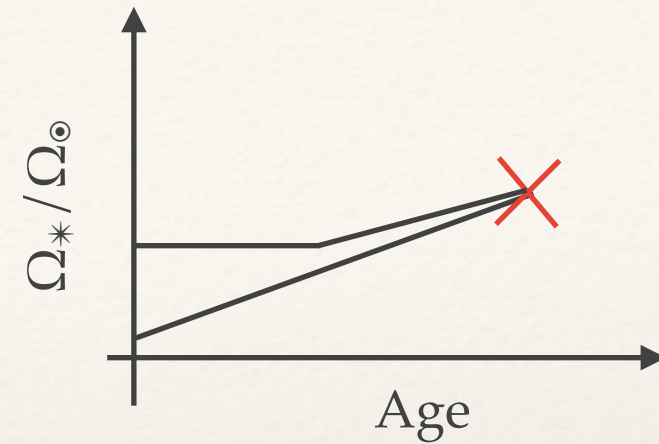
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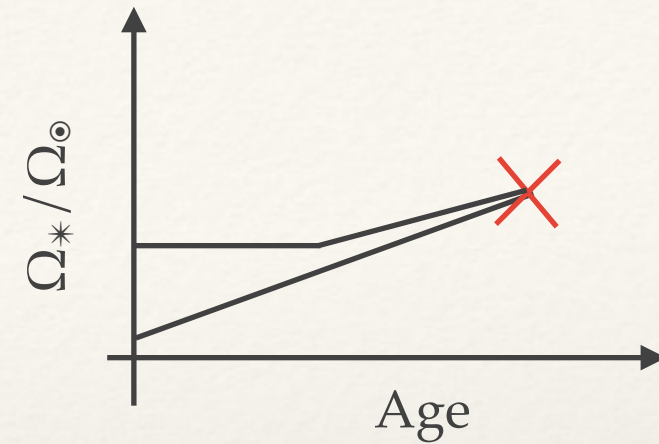
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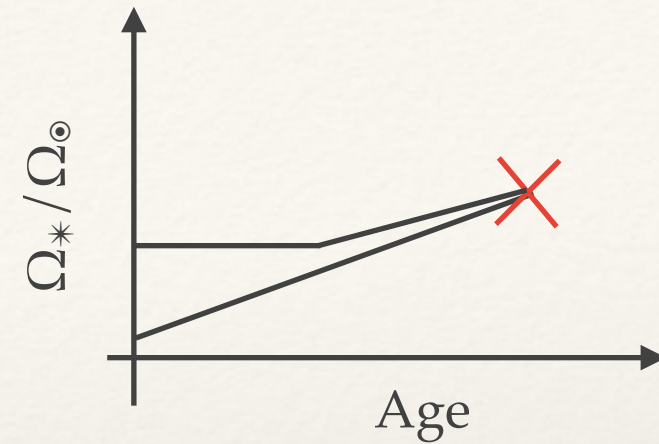
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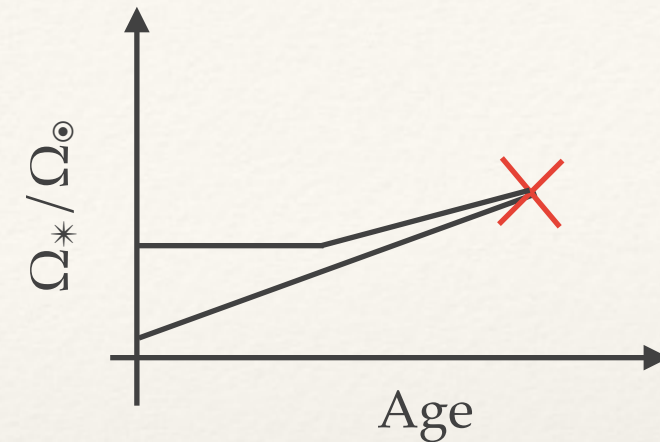
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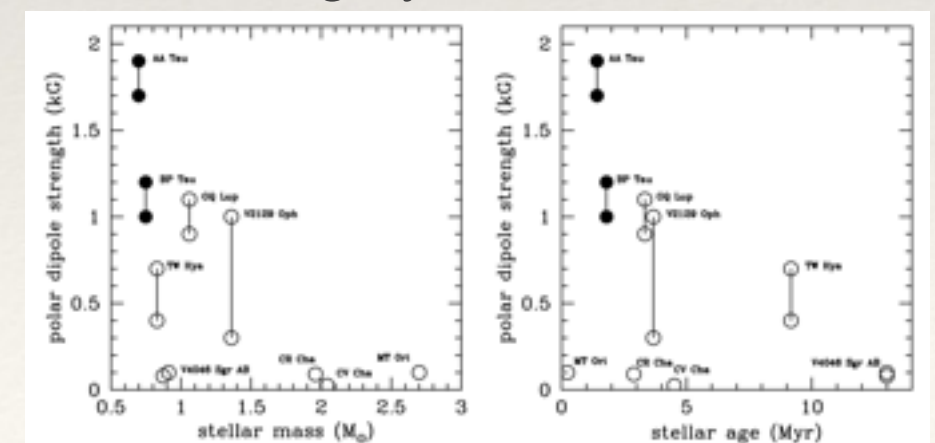
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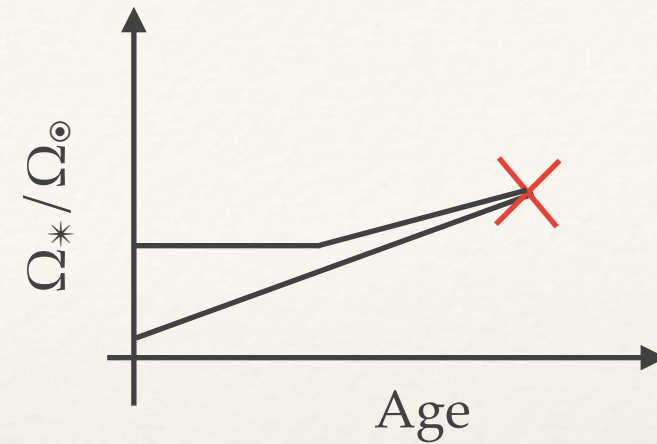


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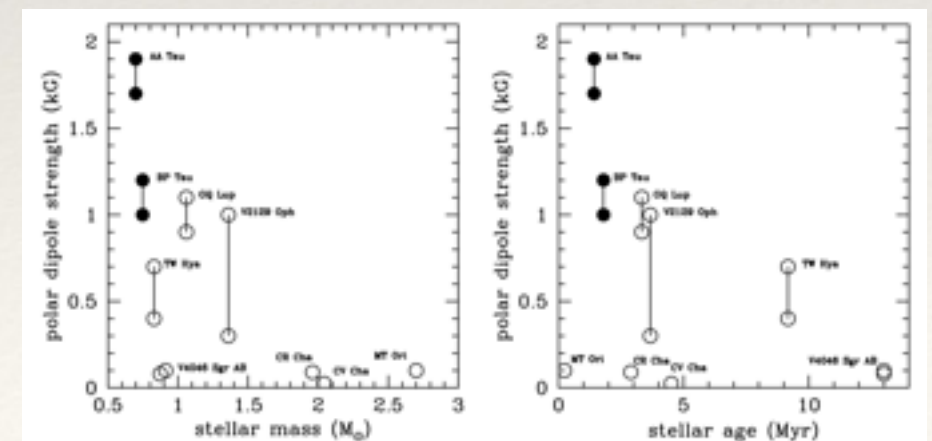
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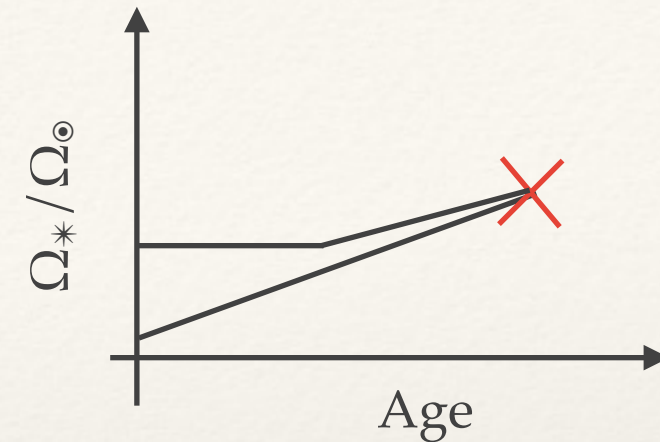


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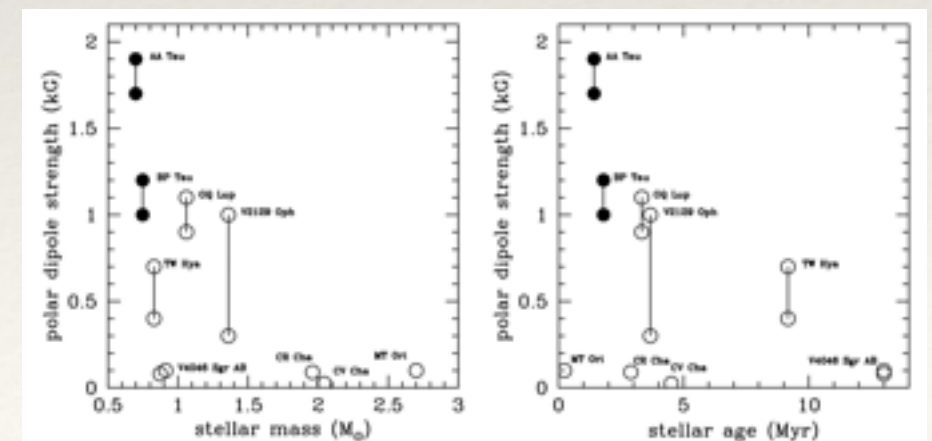
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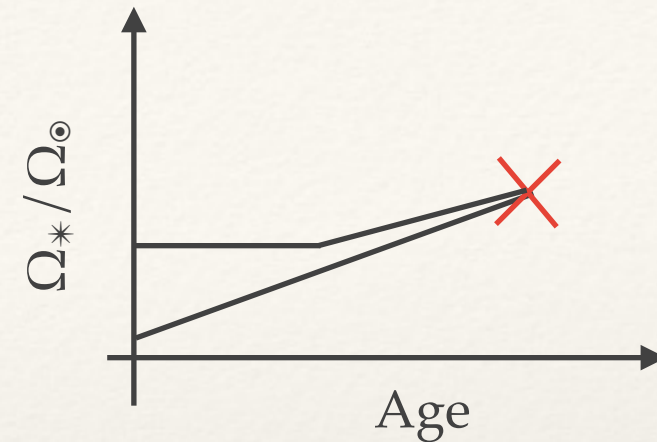
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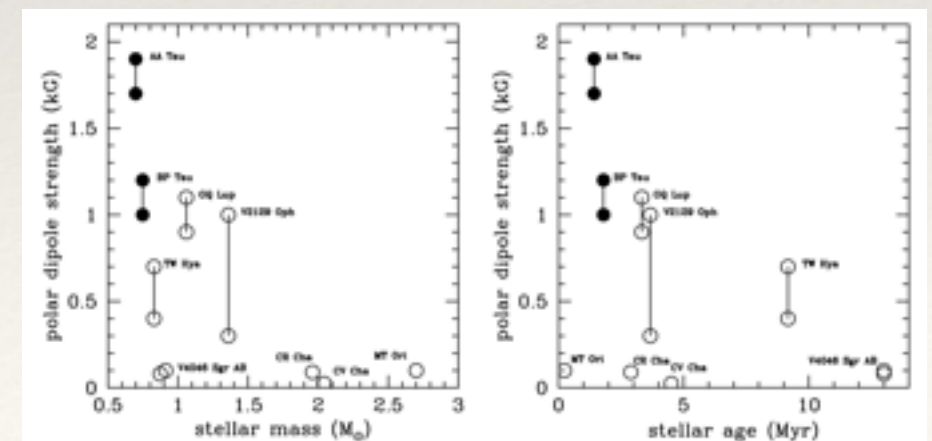
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IV – Conclusion and perspectives

Summary

14

New angular momentum evolution model...

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❖ New theoretical and observational constraints

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 - ME and APSW => kG intensity and high mass accretion rate (Gallet & Zanni, in prep.)
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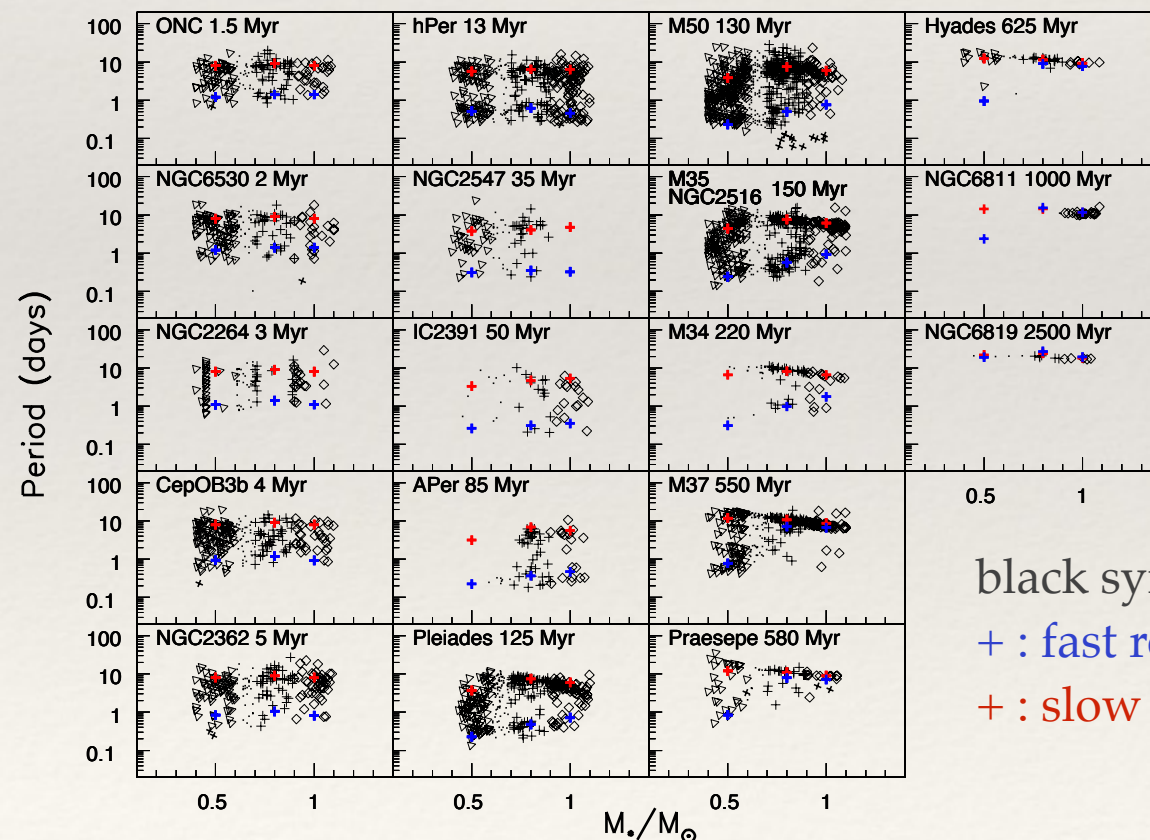
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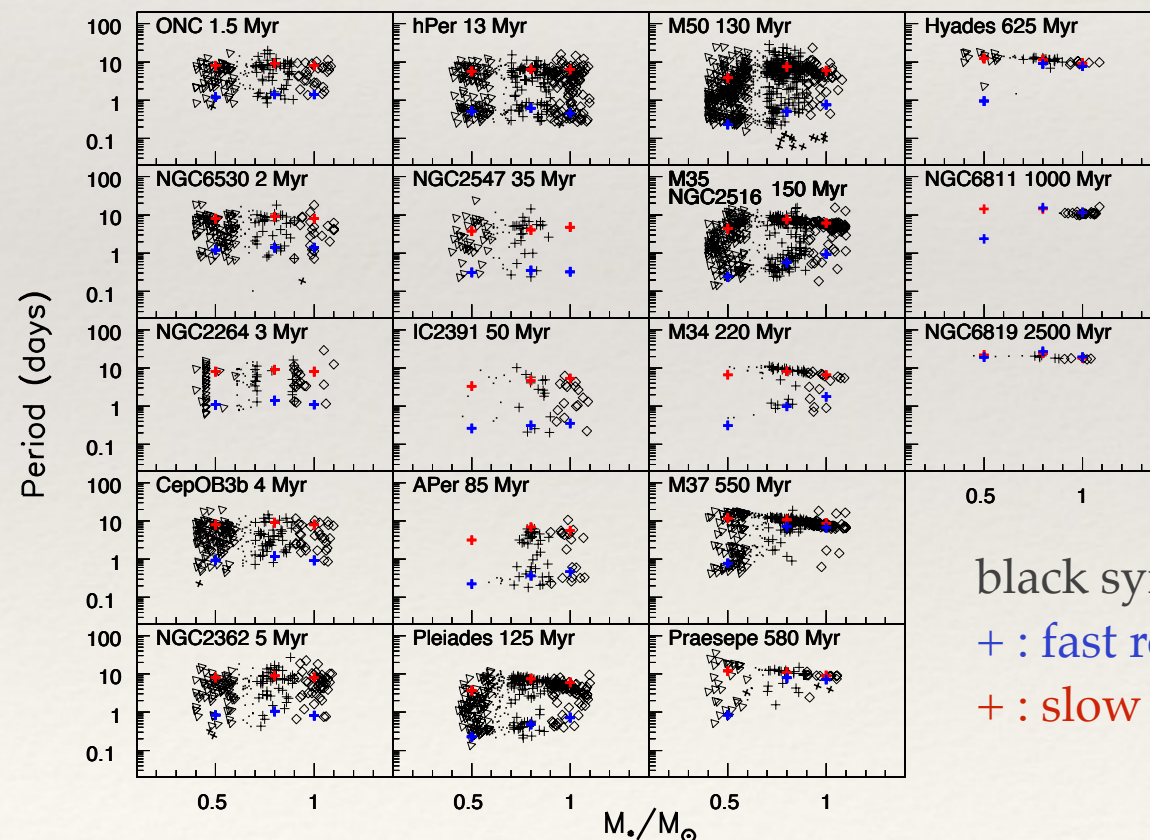
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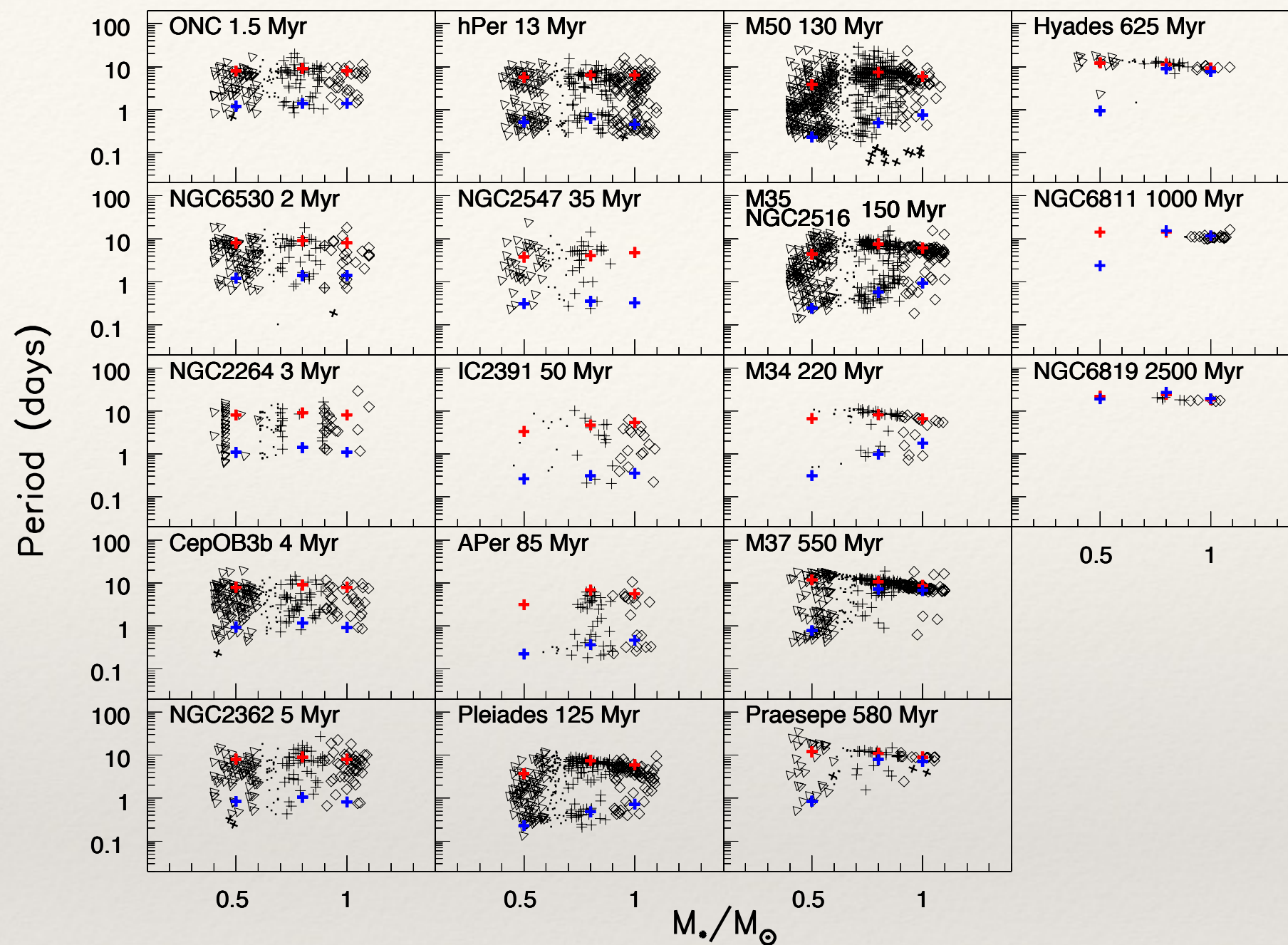
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❖ ... but still limited (obs+theoretical constraints) = **ongoing** research



«That's all folks! »

ANR 2011 Blanc SIMI5-6 020 01 ``Toupies: Towards understanding the spin evolution of stars" ([\url{http://ipag.osug.fr/Anr_Toupies/}](http://ipag.osug.fr/Anr_Toupies/))