



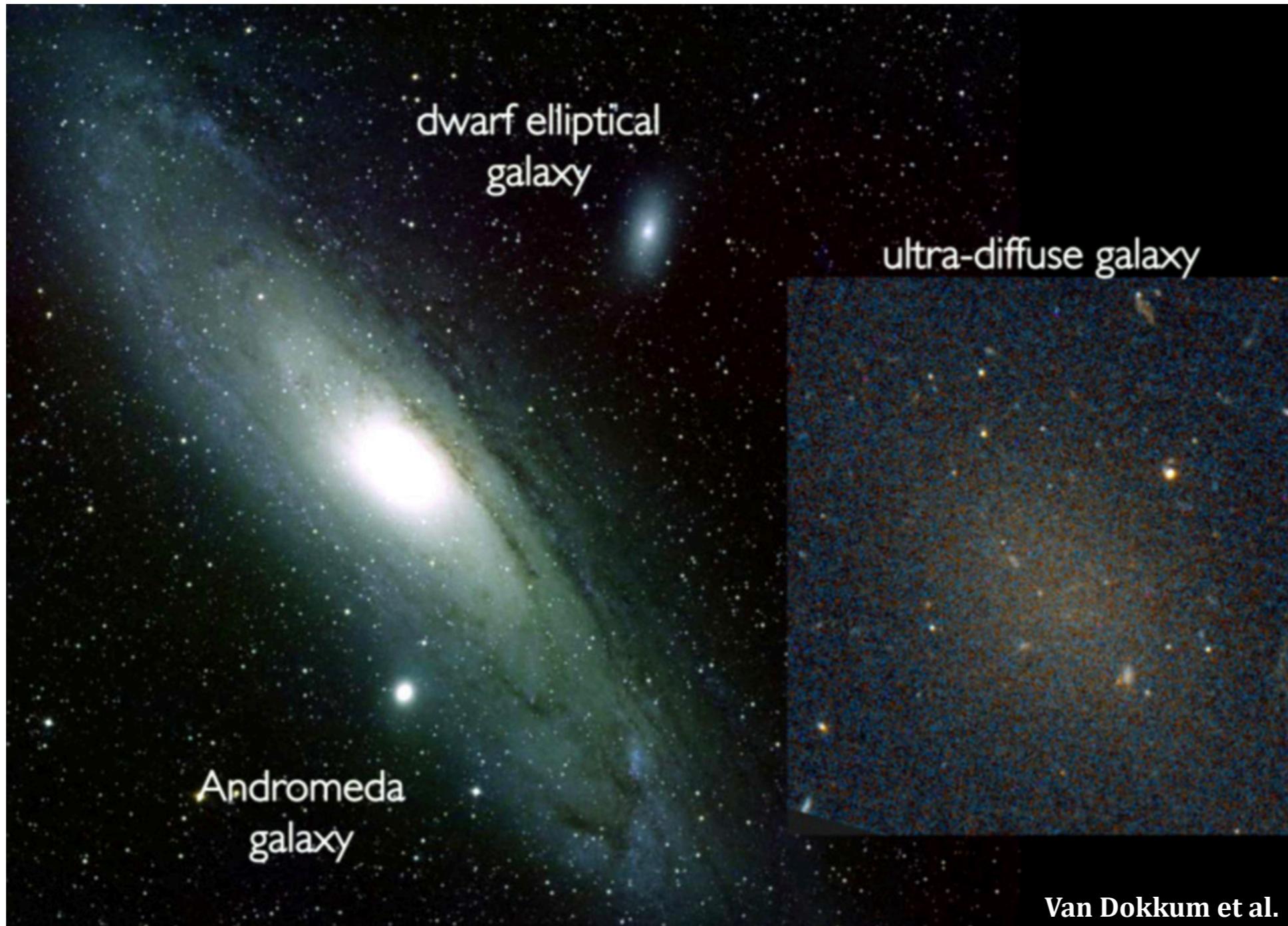
A simulation view on the formation of ultra-diffuse galaxies in the field and in galaxy groups

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Ultra Diffuse Galaxies (UDGs)



◆ Low surface
brightness
 $\mu_0 > 24 \text{ mag . arcsec}^{-2}$

◆ Stellar masses of
dwarf galaxies
 $7 < \log(M_{\text{star}}/M_{\odot}) < 9$

◆ Effective radii of
MW-sized objects
 $1 < r_{\text{eff}}/\text{kpc} < 5$

Some facts about UDGs

Spatial distribution of UDGs

- ◆ Ubiquitous in clusters
 - (e.g. van Dokkum+15, Koda+15, Martinez-Delgado+16, Leisman+17, Shi+17, Greco+17)

Shape

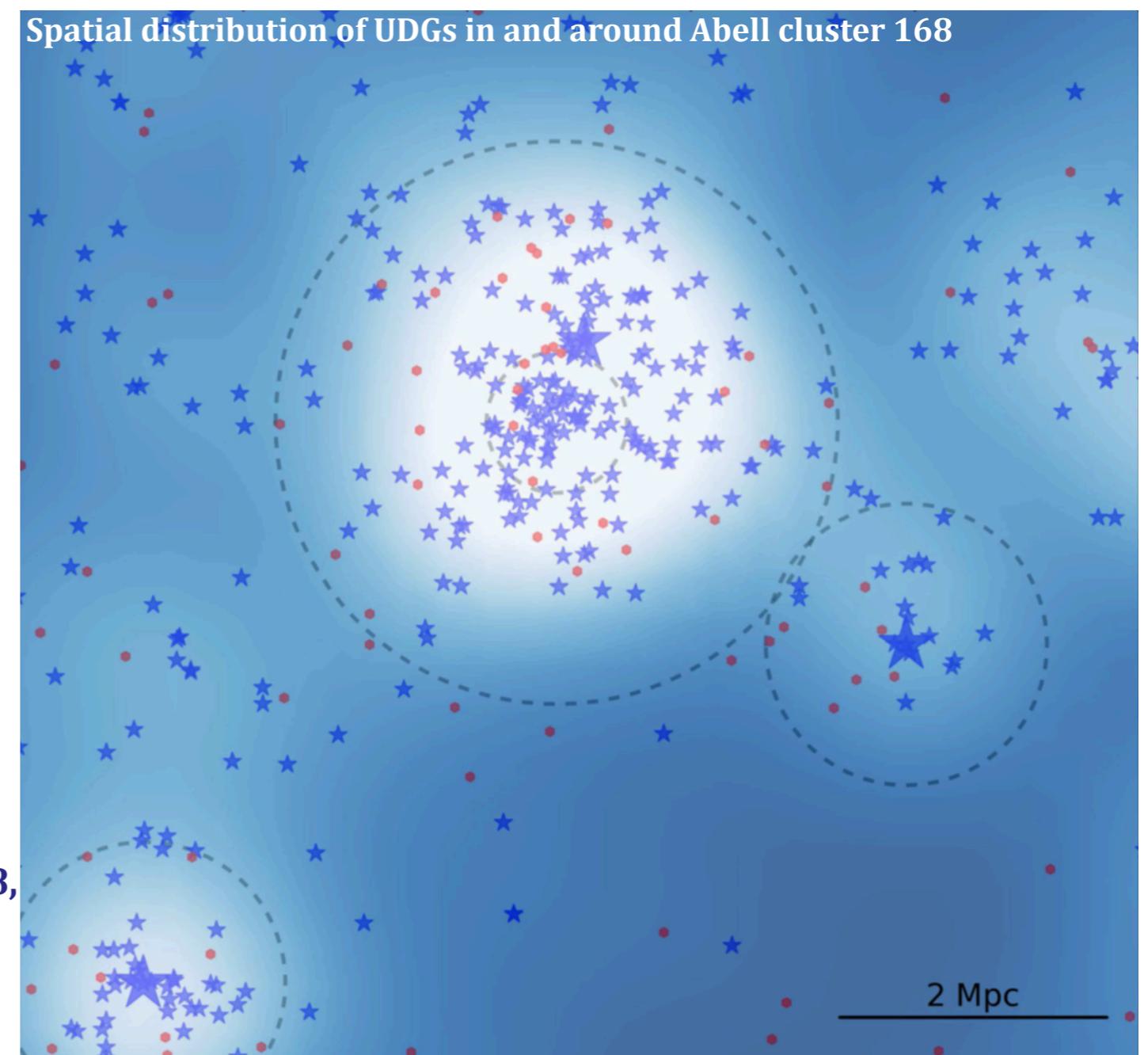
- ◆ $n_{\text{Sérsic}} \sim 0.8$
 - (e.g. van Dokkum+15, Mowla+17)

Stellar age

- ◆ Intermediate to old in groups
- ◆ Possibly younger in the field
- ◆ Older & redder towards the center
 - (e.g. Gu+17, Pandya+17, Alabi+18, Ferre-Mateu+18, Ruiz-Lara+18)

Star formation

- ◆ Possible recent or ongoing star formation
- ◆ Possible significant HI content
 - (e.g. Janowiecki+15, Leisman+17 with ALFALFA, Trujillo+17, Shi+17, Pandya+17)



★ main galaxies
● UDGs

Some questions about UDGs

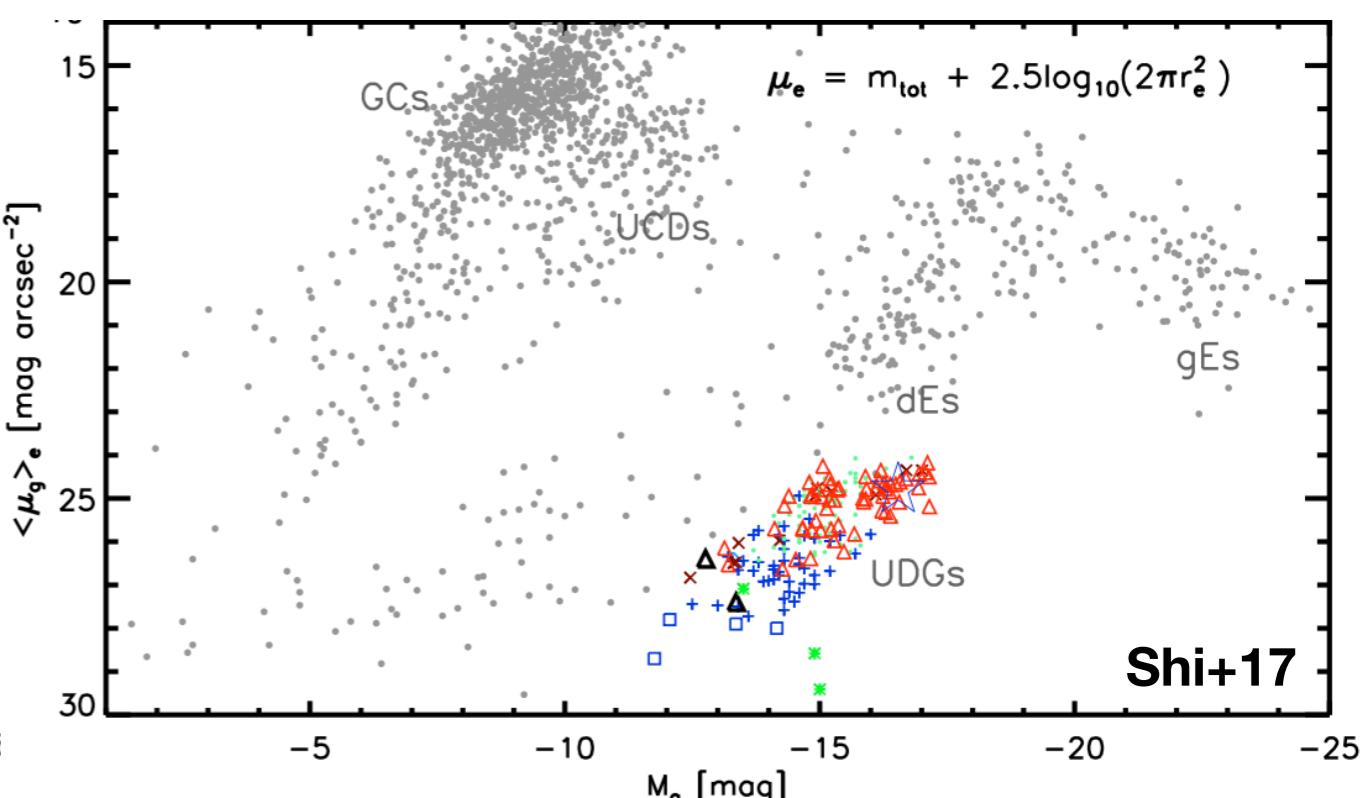
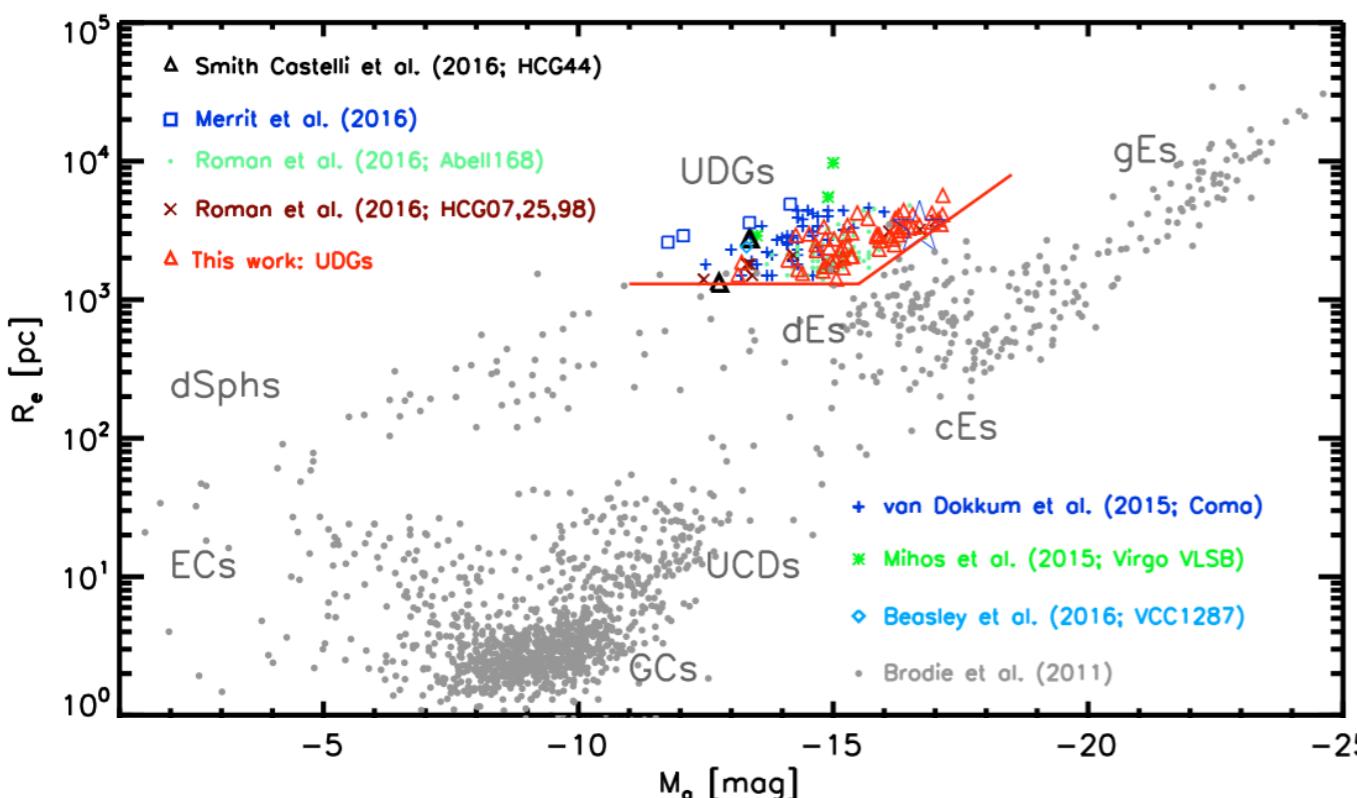
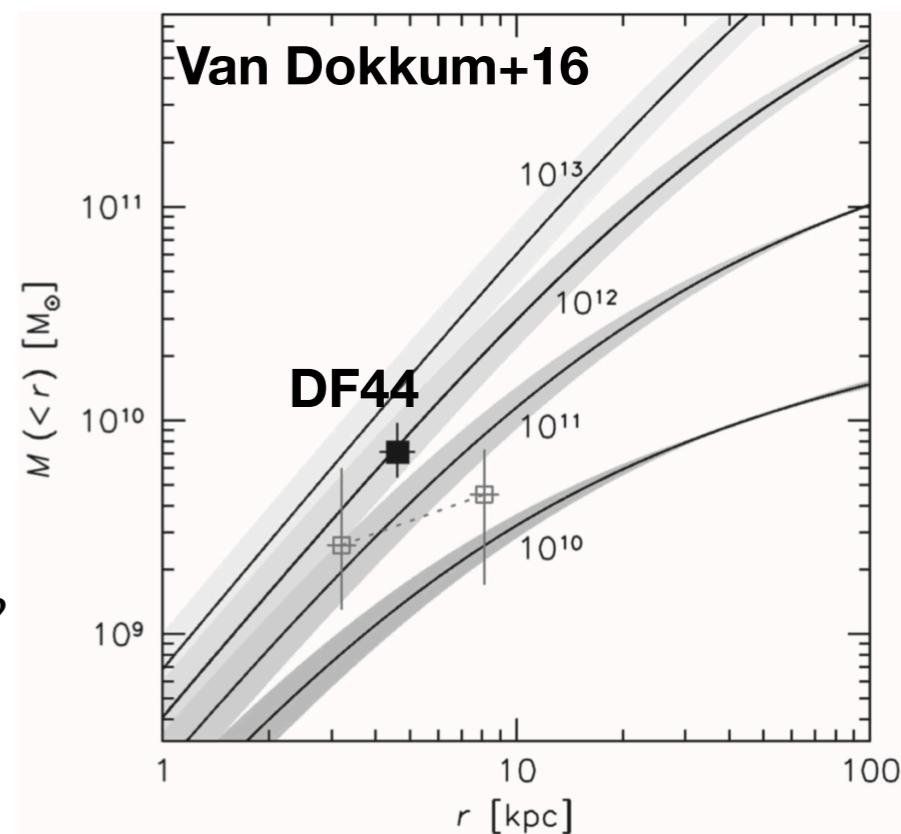
♦ Are UDGs puffed-up dwarfs or failed L* galaxies?

- DF44 halo mass compatible with a **MW-like halo mass** ([van Dokkum+16](#))
- **High globular cluster abundance** ([Harris+17](#))
- But variability in the number of globular clusters ([Lim & Peng 18](#))

♦ Are UDGs distinct from the overall galaxy population?

♦ How do UDGs form and evolve?

- Failed **MW-like galaxies** that lost their gas after forming their first stars? ([van Dokkum+15](#))
- **High-spin tail** of the dwarf galaxy population ([Amorisco & Loeb 16](#))
- **Tidal debris** from mergers or tidally-disrupted dwarfs ([Greco+17](#))
- **Outflows from stellar feedback** ([Di Cintio+17](#))



UDGs in semi-analytical models and simulations

♦ Semi-analytical models

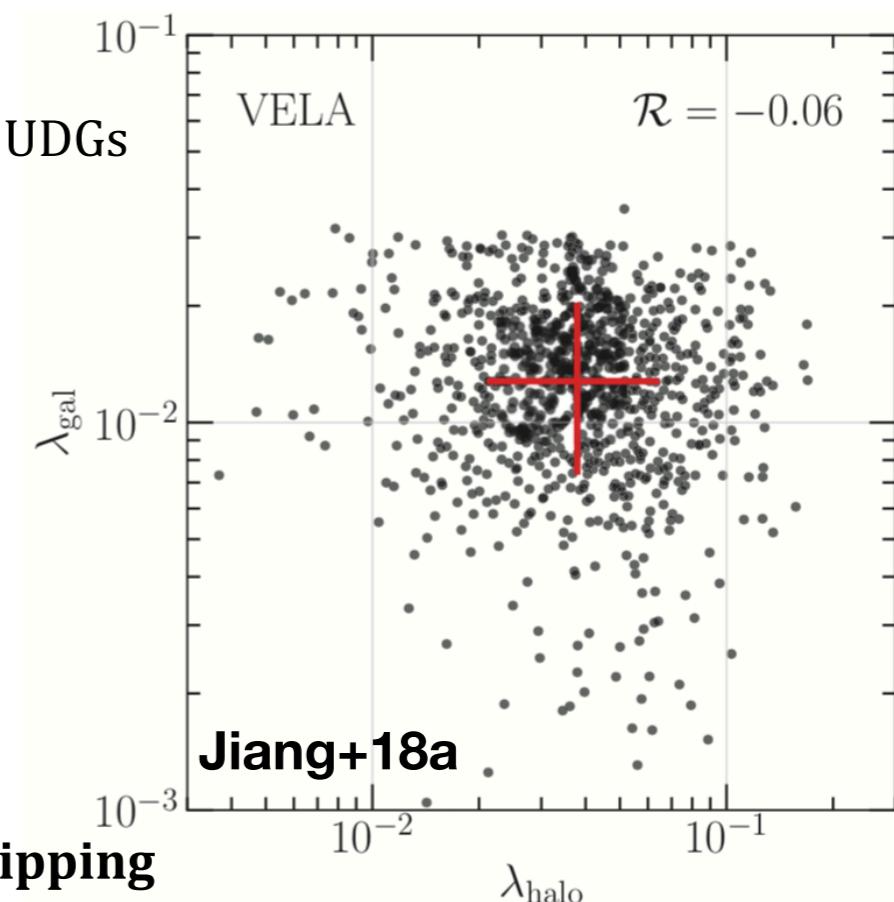
- Amorisco & Loeb 16: the high halo spin tail reproduces the abundance of UDGs
- Rong+17: UDGs have larger spin and later formation
- But you get what you put in and λ_{gal} may not be proportional to λ_{halo}
(cf. Jiang+18a)

♦ Simulations of UDGs in the field

- Di Cintio+17 and **this work*** with the NIHAO simulations (Wang+15)
- Chan+18 with post-processed FIRE simulations
- Field UDG formation from outflow episodes

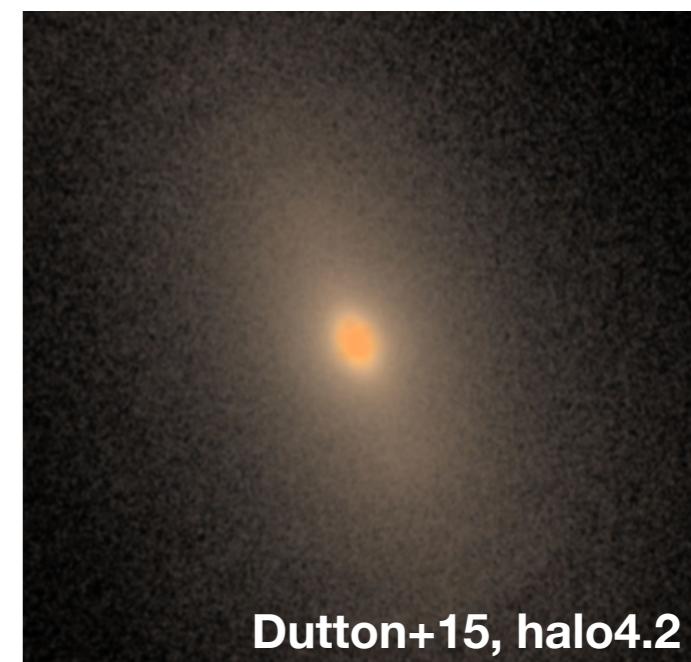
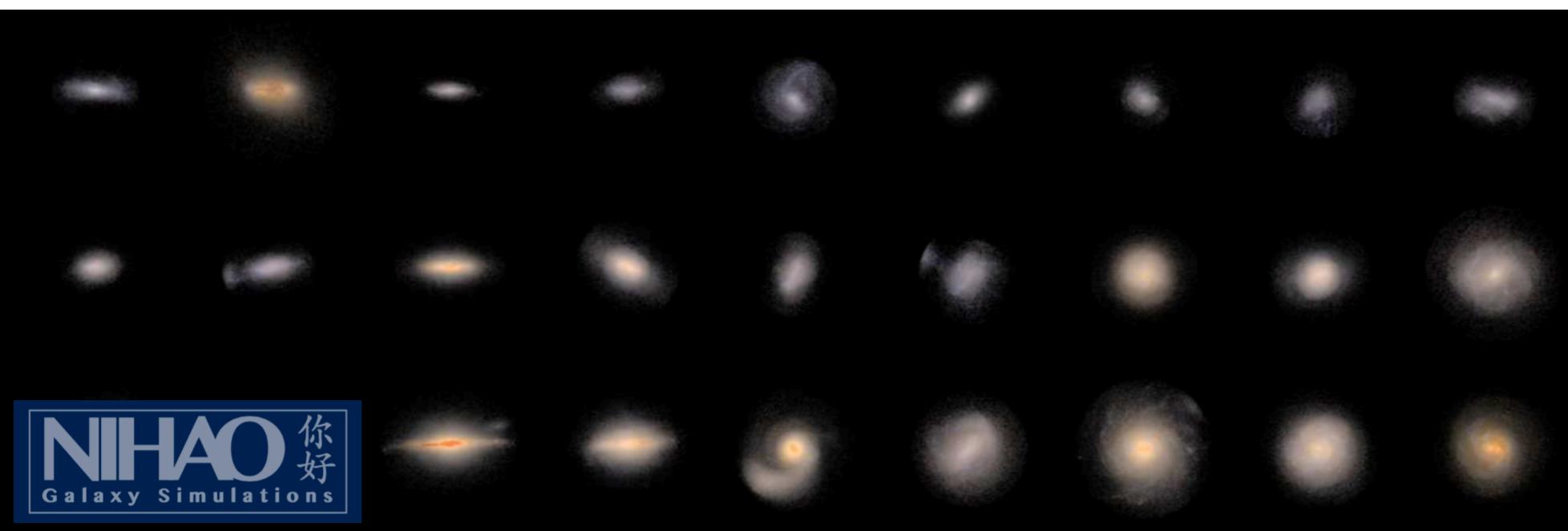
♦ Simulations of UDGs in groups

- **This work*** with a NIHAO-like group (Dutton+15)
- UDG formation from tidal heating and quenching by ram-pressure stripping



*Jiang, Dekel, Freundlich et al. 2018, arXiv:1811.10607

Freundlich, Dekel, Jiang et al. 2019, in prep.



Dutton+15, halo4.2

NIHAO UDGs in the field

♦ The NIHAO simulations

- About 90 cosmological zoom-in hydrodynamical simulations of galaxies
- Smoothed Particle Hydrodynamics code Gasoline2
- Λ CDM cosmology (Planck collaboration 2014)
- Turbulent mixing, cooling, UV background, star formation, chemical enrichment
- Ionizing feedback from massive stars and blast-wave SN feedback**
- With and without baryons
- Spatial resolution 1% of the virial radius**
- $\log M_{\text{vir}} = 9.5-12.3$**

♦ UDG definition

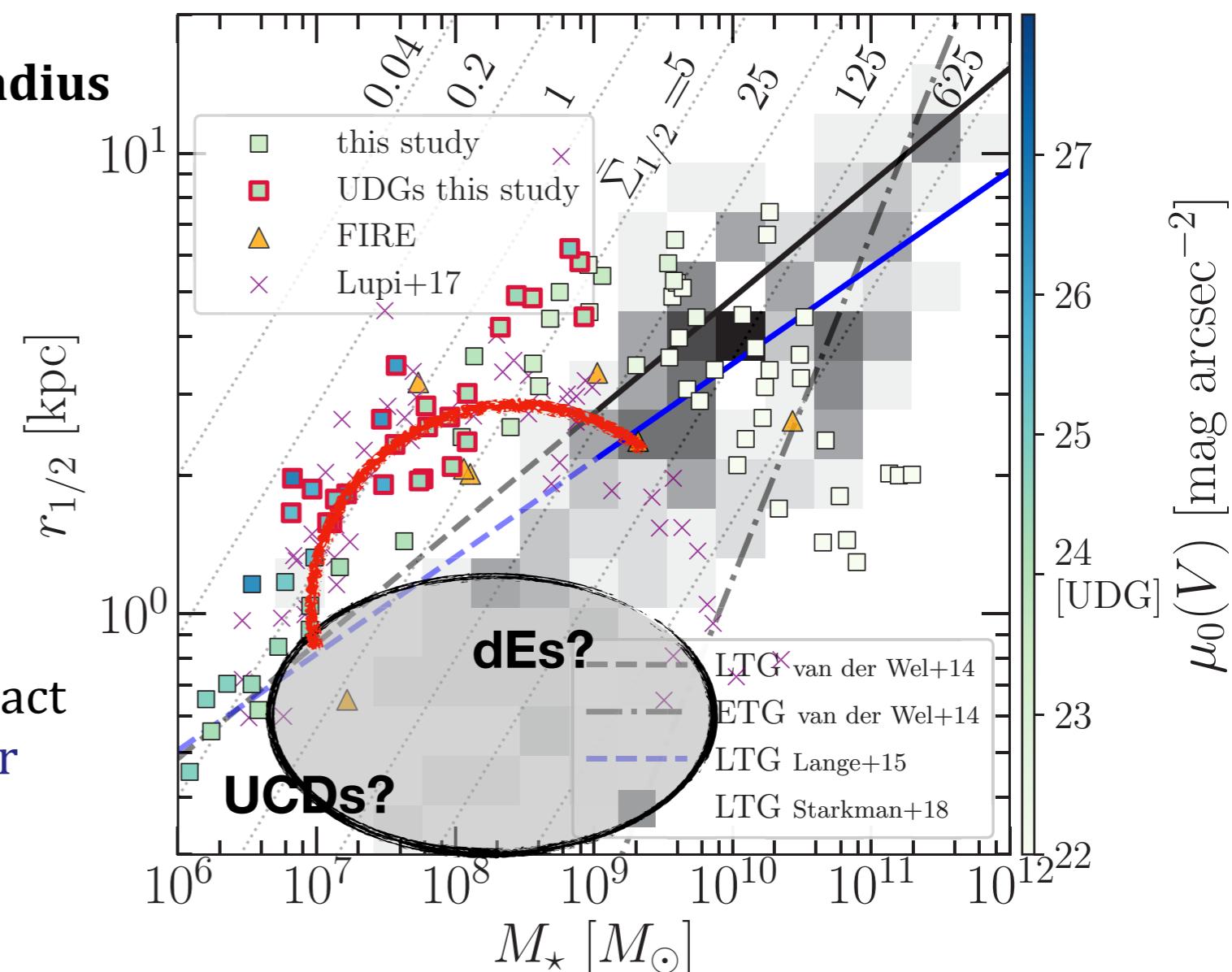
$$\mu_0(V) > 24 \text{ mag/arcsec}^2$$

$$r_e > 1.5 \text{ kpc}$$

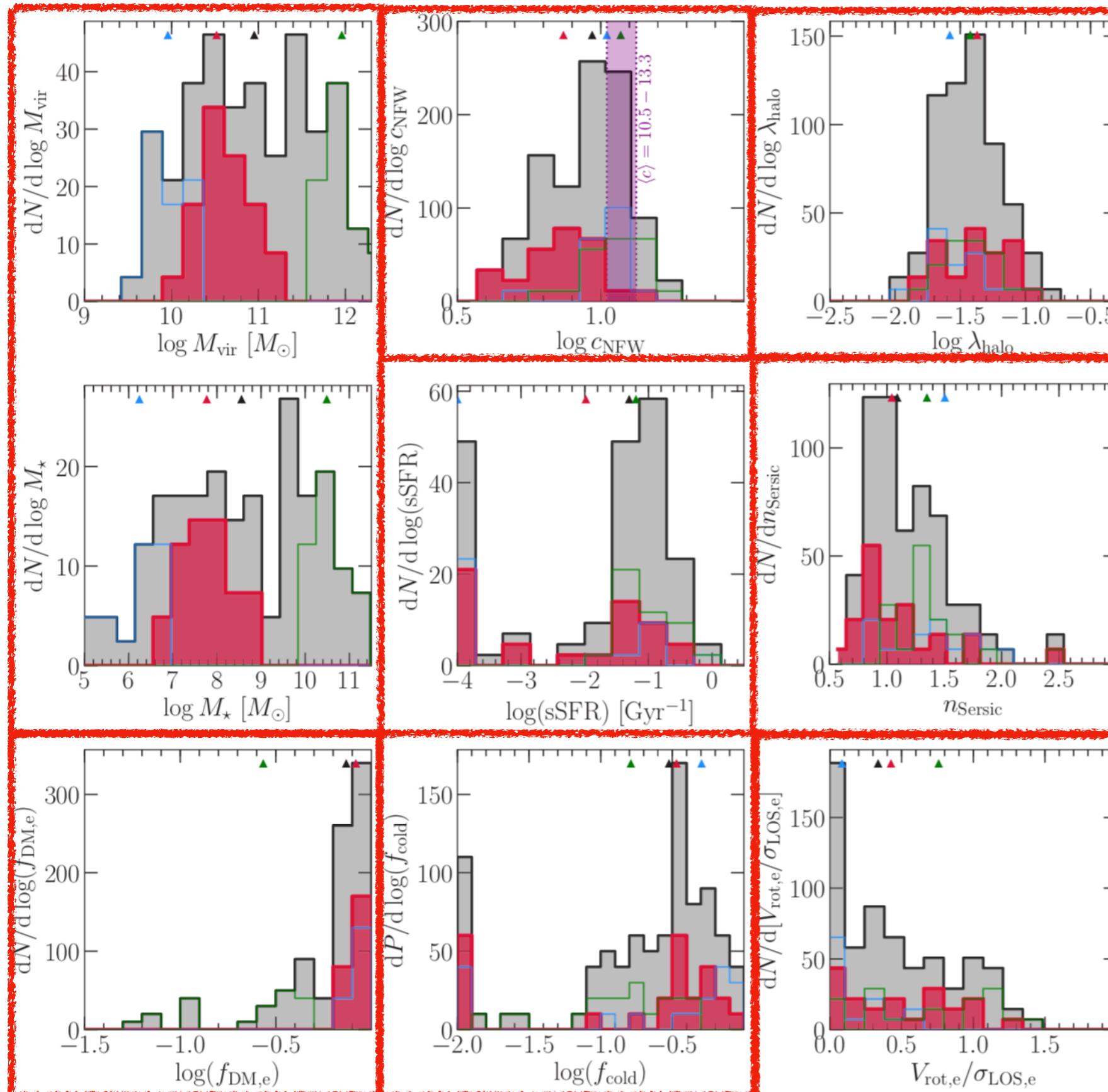
- At least 250 DM particles
- At least 50 stellar particles

♦ Mass range: $\log M_{\star} = 7-9$

- Dominated by diffuse systems, no compact dwarfs: too strong feedback? flawed star formation recipe? (not just for NIHAO)



NIHAO UDGs in the field



- ◆ Relatively narrow range in M_{vir} , M_{\star}
- ◆ Average halo spin
- ◆ Lower halo concentration
- ◆ High DM fraction
- ◆ $n_{\text{Sersic}} \sim 1$ lower than non-UDGs
- ◆ Average v/σ
- ◆ High cold gas fraction ($T < 1.5 \times 10^4$ K)
- ◆ Wide range in sSFR & color

All NIHAO galaxies

UDGs:

$r_{1/2} > 1.5 \text{ kpc}, \mu_0(V) > 24 \text{ mag/arcsec}^{-2}$

low-mass non-UDGs:

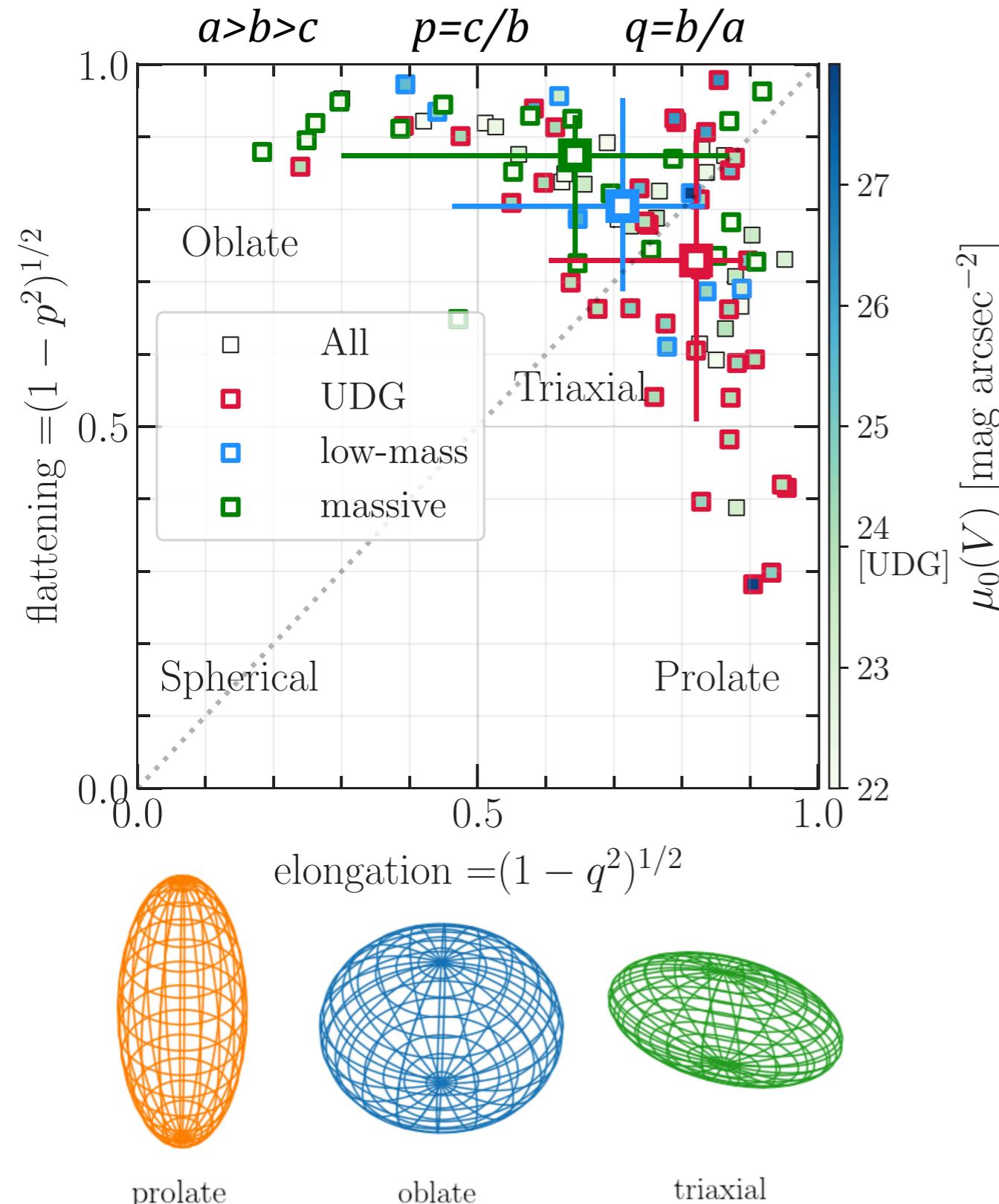
$M_{\text{vir}} < 10^{10.3} M_{\odot}$ & $M_{\star} < 10^7 M_{\odot}$

massive non-UDGs:

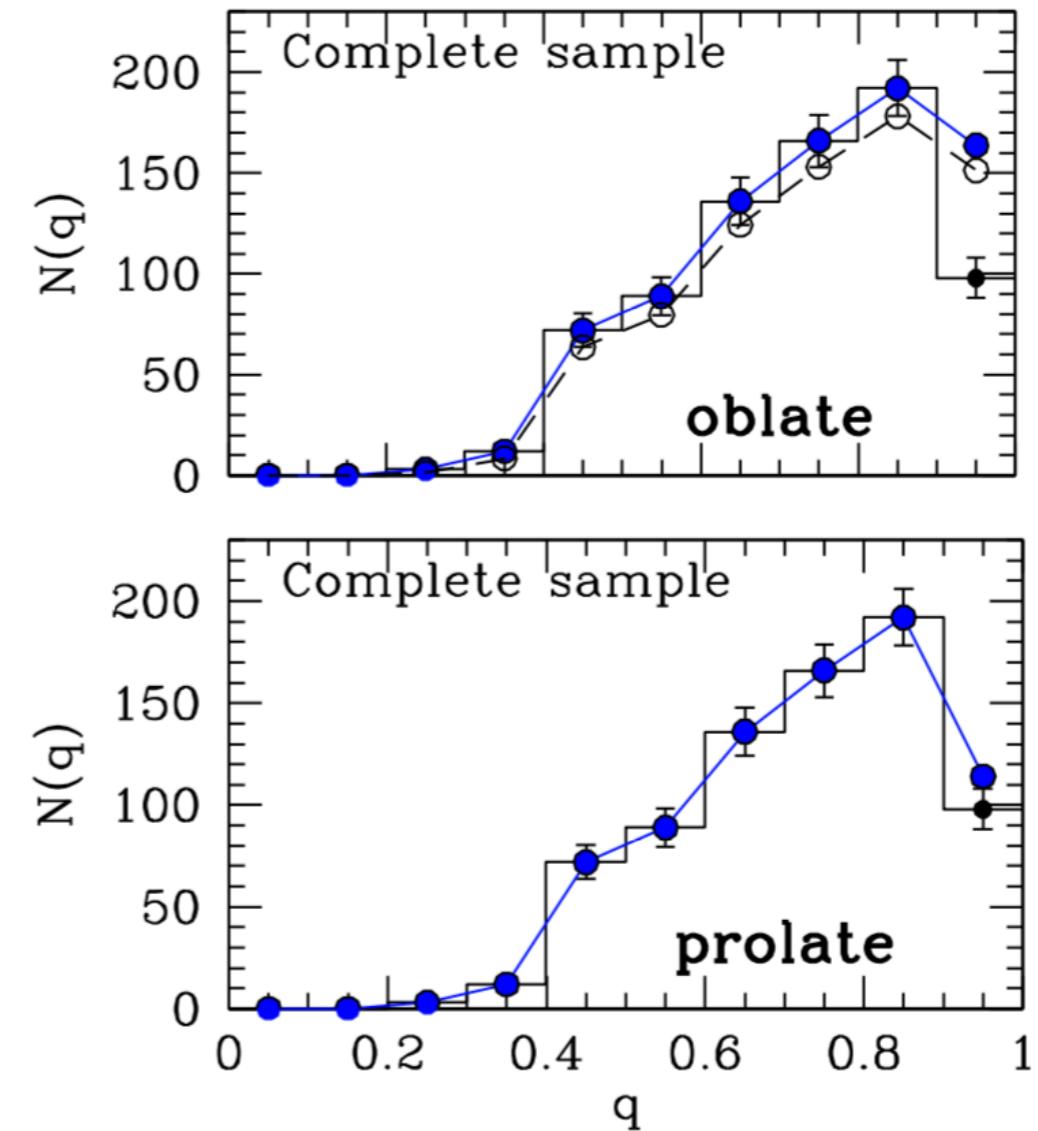
$M_{\text{vir}} > 10^{11.5} M_{\odot}$ & $M_{\star} > 10^{10} M_{\odot}$

NIHAO UDGs in the field

♦ UDGs have a slightly more prolate stellar distribution



♦ Burkert 17: the distribution of axis ratios in Coma UDGs favours prolate systems

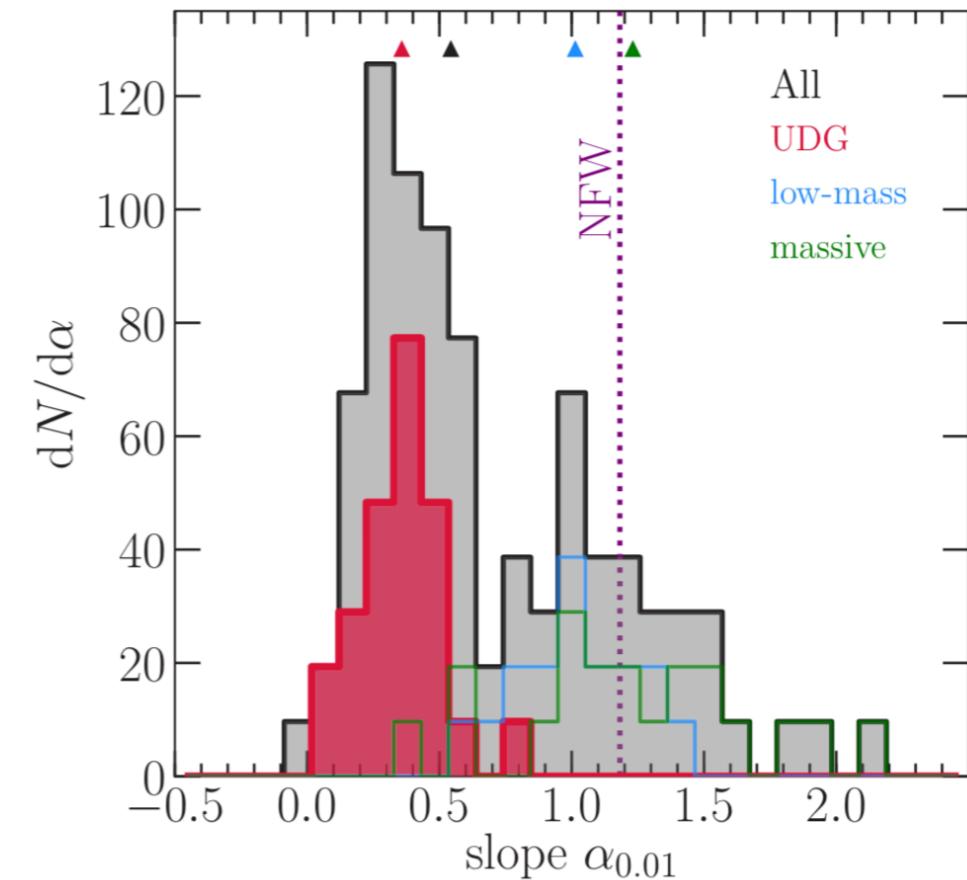
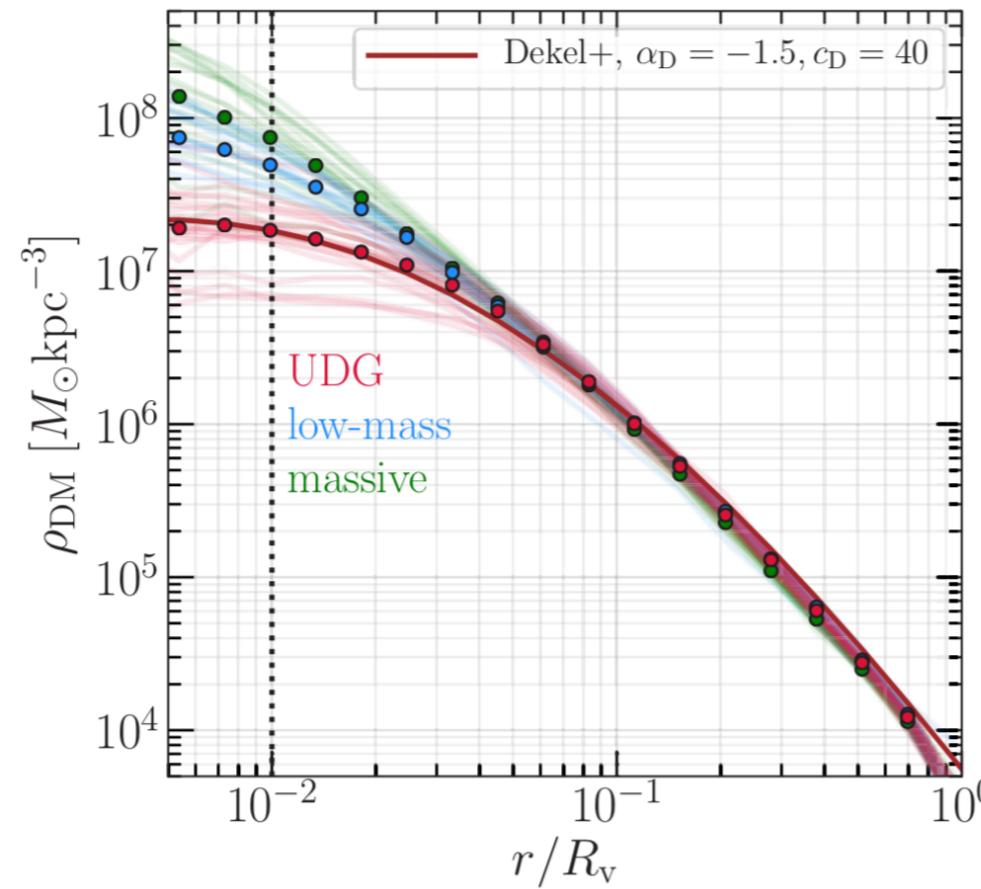


♦ Why prolate?

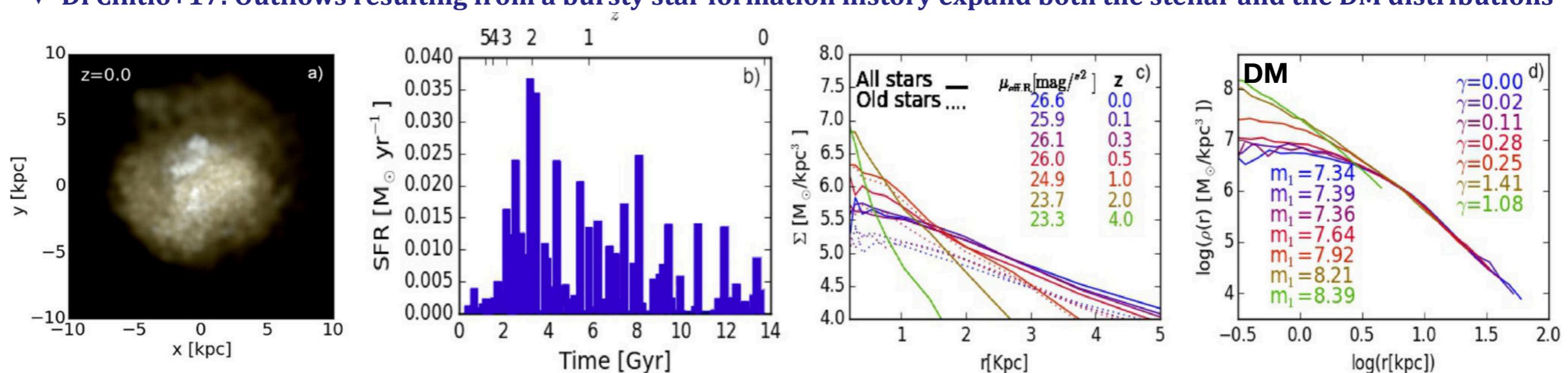
- Dispersion dominated?
- Anisotropic velocity dispersion?
- Puffed-up disk?
- Prolate DM halo?
- Tidal effects? (cf. Martinez-Delgado+16)

NIHAO UDGs in the field

◆ Cored DM density profile



◆ Di Cintio+17: Outflows resulting from a bursty star formation history expand both the stellar and the DM distributions



NIHAO UDGs in the field

A toy model for core formation from outflow episodes (Freundlich, Dekel, Jiang+ in prep.)

Evolution of a spherical shell encompassing a collisionless mass M when a baryonic mass m is removed (or added) at the center

- **Adiabatic mass change**

Conservation of the angular momentum on circular orbits $L \propto rv = \sqrt{GMr}$

$$\frac{r_f}{r_i} = \frac{M}{M+m} = \frac{1}{1+f} \quad \text{with} \quad f = \frac{m}{M}$$

- **Instant mass change**

- Initial conditions at equilibrium

$$E_i(r_i) = U_i(r_i) + K_i(r_i)$$

- Immediately after the mass change

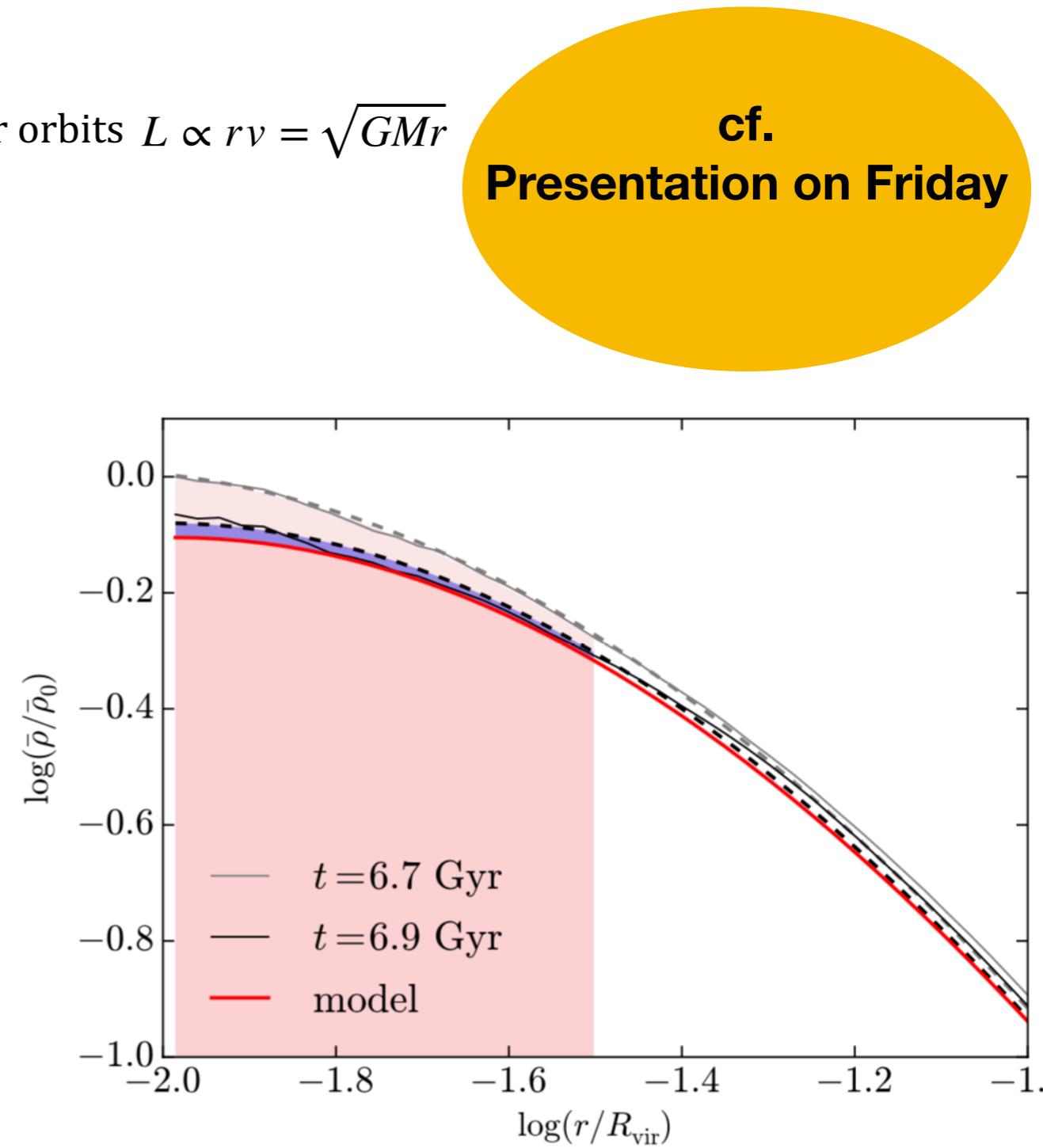
$$E_t(r_i) = U_i(r_i) - Gm/r_i + K_i(r_i)$$

- The system relaxes to a new equilibrium

$$E_f(r_f) = U_f(r_f) - Gm/r_f + K_f(r_f)$$

where K can be expressed from the mass distribution through the Jeans equation

Given functional forms $U(r;p)$ and $K(r;p,m)$, energy conservation $E_f(r_f) = E_i(r_i)$ yields the final state



cf.
Presentation on Friday

NIHAO UDGs in the field

A toy model for core formation from stochastic density fluctuations (El-Zant, Freundlich & Combes 16)

The gravitational potential fluctuations arise from feedback-induced stochastic density fluctuations and deviate DM particles from their trajectories as in a diffusion process.

Fourier decomposition of the density contrast:

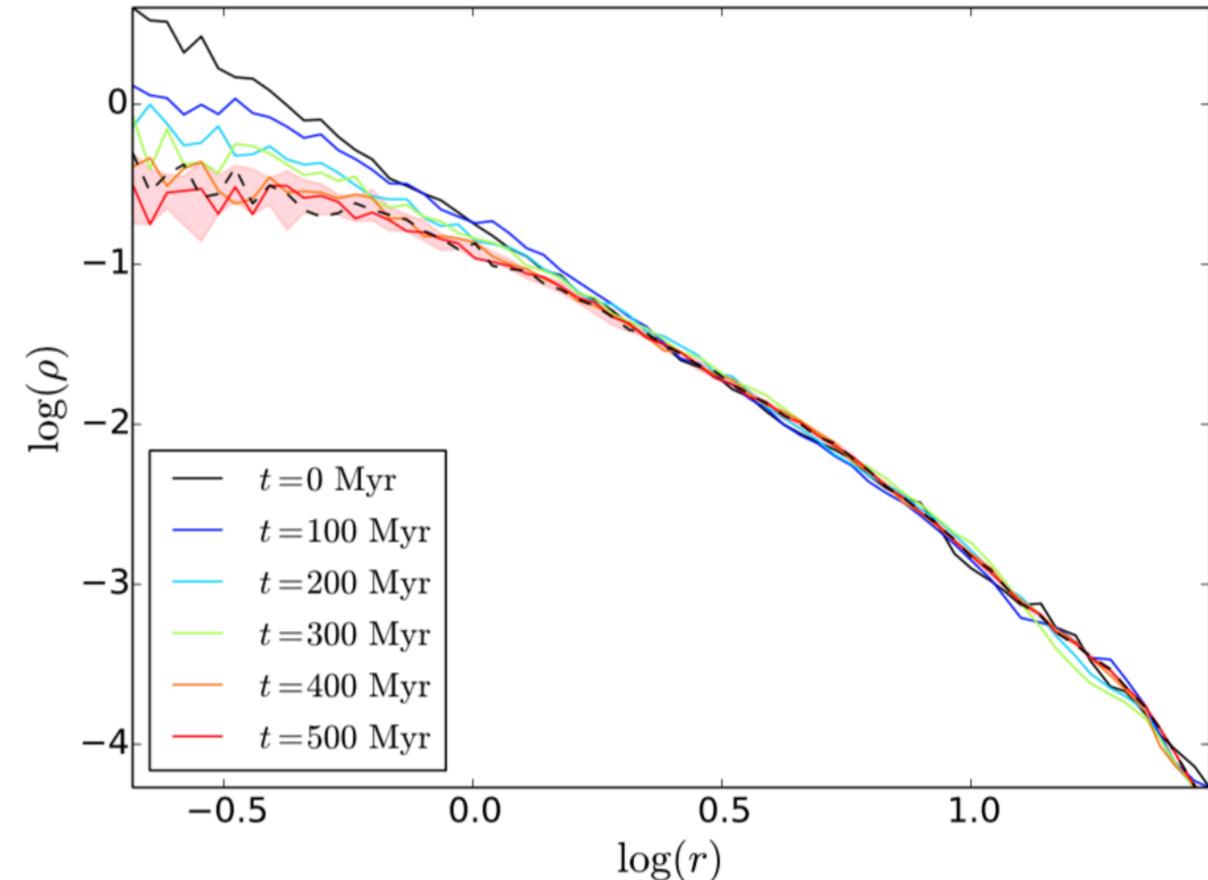
$$\delta(\vec{r}) = \frac{V}{(2\pi)^3} \int \delta_{\vec{k}} e^{i\vec{k} \cdot \vec{r}} d^3 \vec{k}$$

Each perturbation $\delta_{\vec{k}}$ induces a '**kick**'

$$\vec{F}_{\vec{k}} = 4\pi i G \rho_0 \vec{k} k^{-2} \delta_{\vec{k}}$$

Which cumulatively induces the dark matter particles to deviate from their trajectories by

$$\langle \Delta v^2 \rangle = 2 \int_0^T (T-t) \langle F(0)F(t) \rangle dt.$$



◆ Assumptions:

- Unperturbed homogeneous gaseous medium ρ_0
- Isotropic & stationary density fluctuations within d
- Power-law power spectrum $\langle |\delta_{\vec{k}}|^2 \rangle \propto k^{-n}$
- Minimum and maximum cutoff scales $\lambda_{min} \ll \lambda_{max}$

◆ In the diffusion limit $\lambda_{max} \ll R$ we obtain the relaxation time

$$t_{\text{relax}} = \frac{n v_r \langle v \rangle^2}{8\pi (G\rho_0)^2 V \langle |\delta_{k_{min}}|^2 \rangle}$$

v_r : average DM velocity/fluctuating field;
 $\langle v \rangle$: initial orbital velocity of the particle;
 $V = d^3$; $k_{min} = 2\pi/\lambda_{max}$.

Cf. also Bar-Or, Fouvry & Tremaine 18 and
 El-Zant, Freundlich & Combes, in prep. in
 the context of fuzzy dark matter.

UDGs in a NIHAO-like group

♦ Halo4.2 from Dutton+15

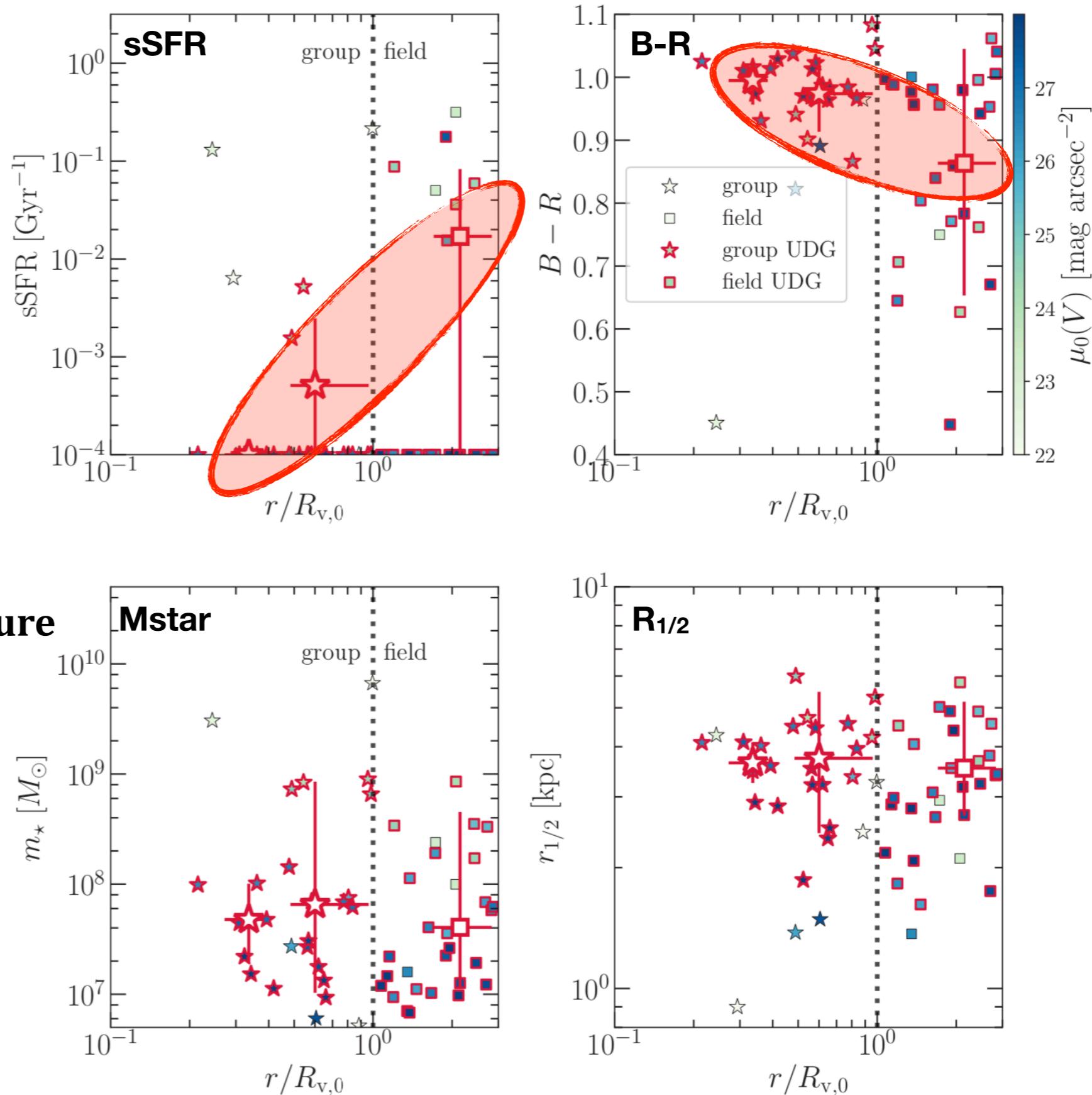
- $\log M_{\text{vir}} = 13.3$; $R_{\text{vir}} = 572 \text{ kpc}$
- Central galaxy $\log M_{\star} = 11.4$
- Star formation and feedback similar to NIHAO
- 600 pc com. spatial resolution
- UDGs only marginally resolved at $\log M_{\star} = 7 / \log M_{\text{vir}} = 9$

♦ Radial trends at $z=0$

- Color gradient as observed
- Strong sSFR gradient
- No trends in M_{\star} , $R_{1/2}$

♦ Tidal stripping vs. ram-pressure

- sSFR trend from gas loss
- Tidal stripping would also affect M_{\star}
- Ram pressure stripping may be dominant to quench UDGs



UDGs in a NIHAO-like group

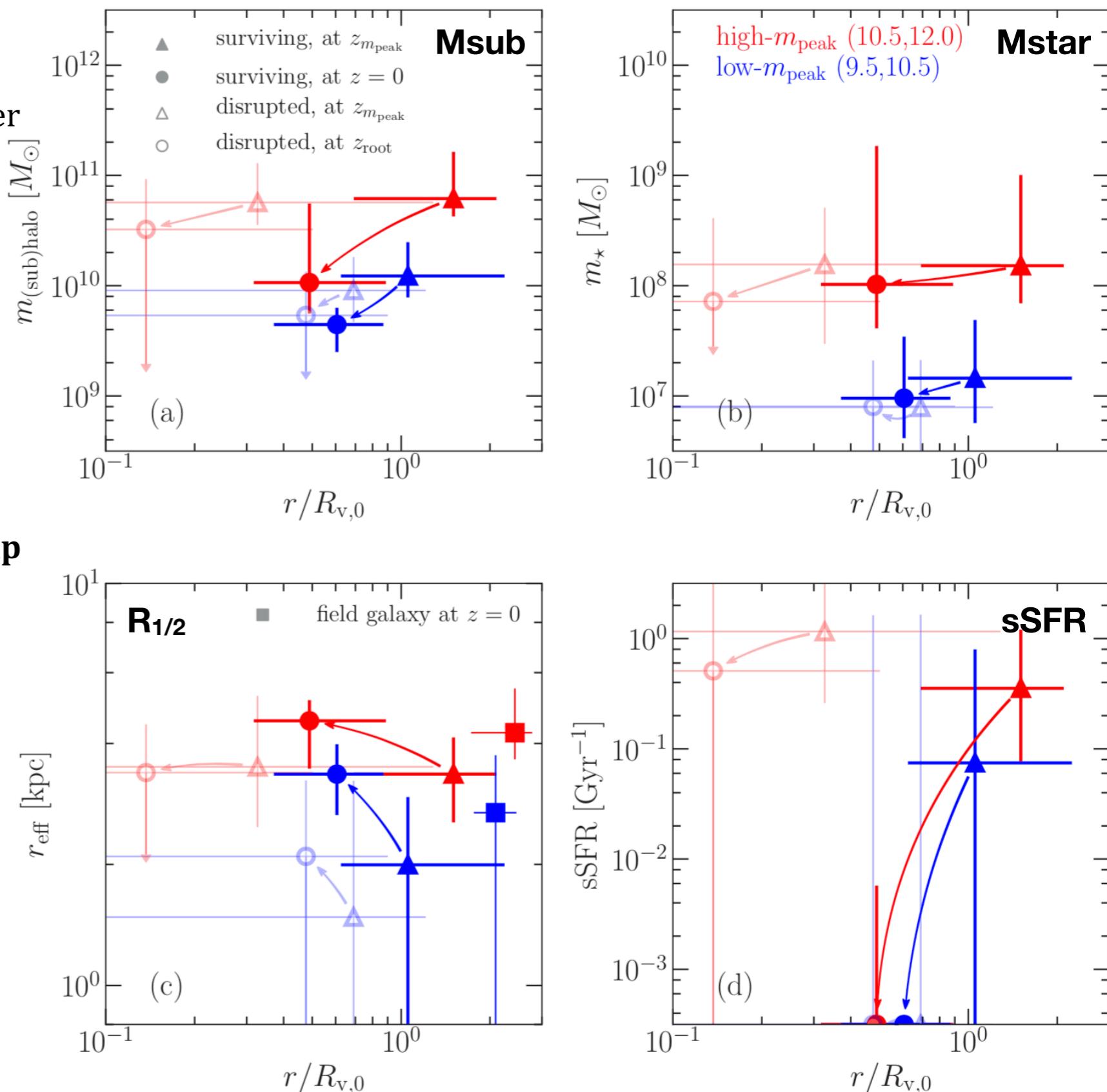
♦ Average evolution from infall to $z=0$ or disruption

- Disruption occurs closer to the center
- High mass satellites more disrupted (dynamical friction stronger)
- **Weak stellar mass loss**
- **Size growth** (but progenitor bias)
- **Strong environmental quenching**

♦ About 20% of all group UDGs survive, out of which:

- 50% were accreted as UDGs
- 50% became UDGs inside the group

▲ infall
 ● $z=0$
 ○ disruption



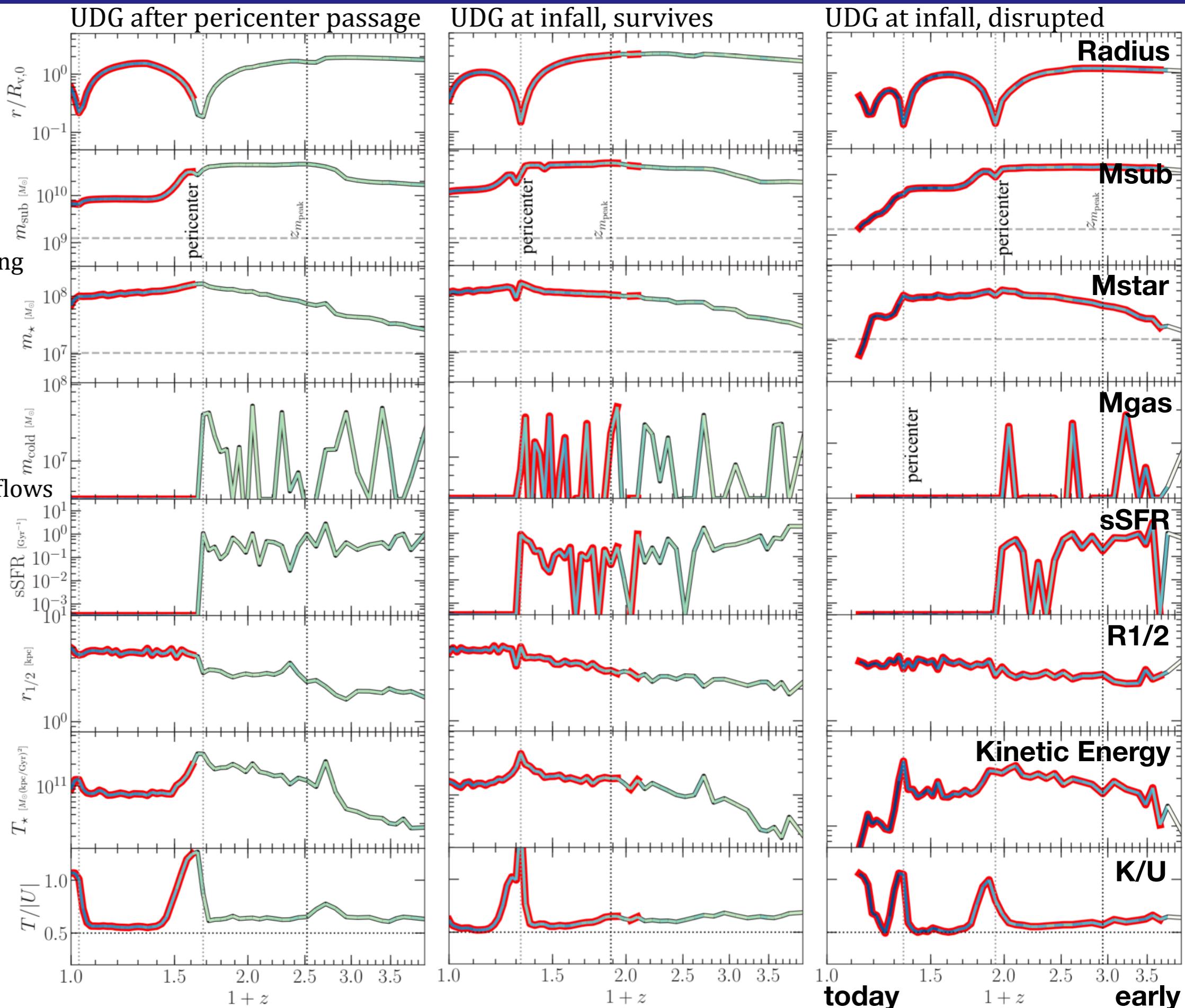
♦ Exemples

UDG after pericenter:

- DM loss
- Gas removal
- Small Mstar change (ram pressure)
- Size growth
- Impulsive tidal heating

UDG at infall:

- Similar trends at pericenter
- Formed from SN outflows as field UDGs?



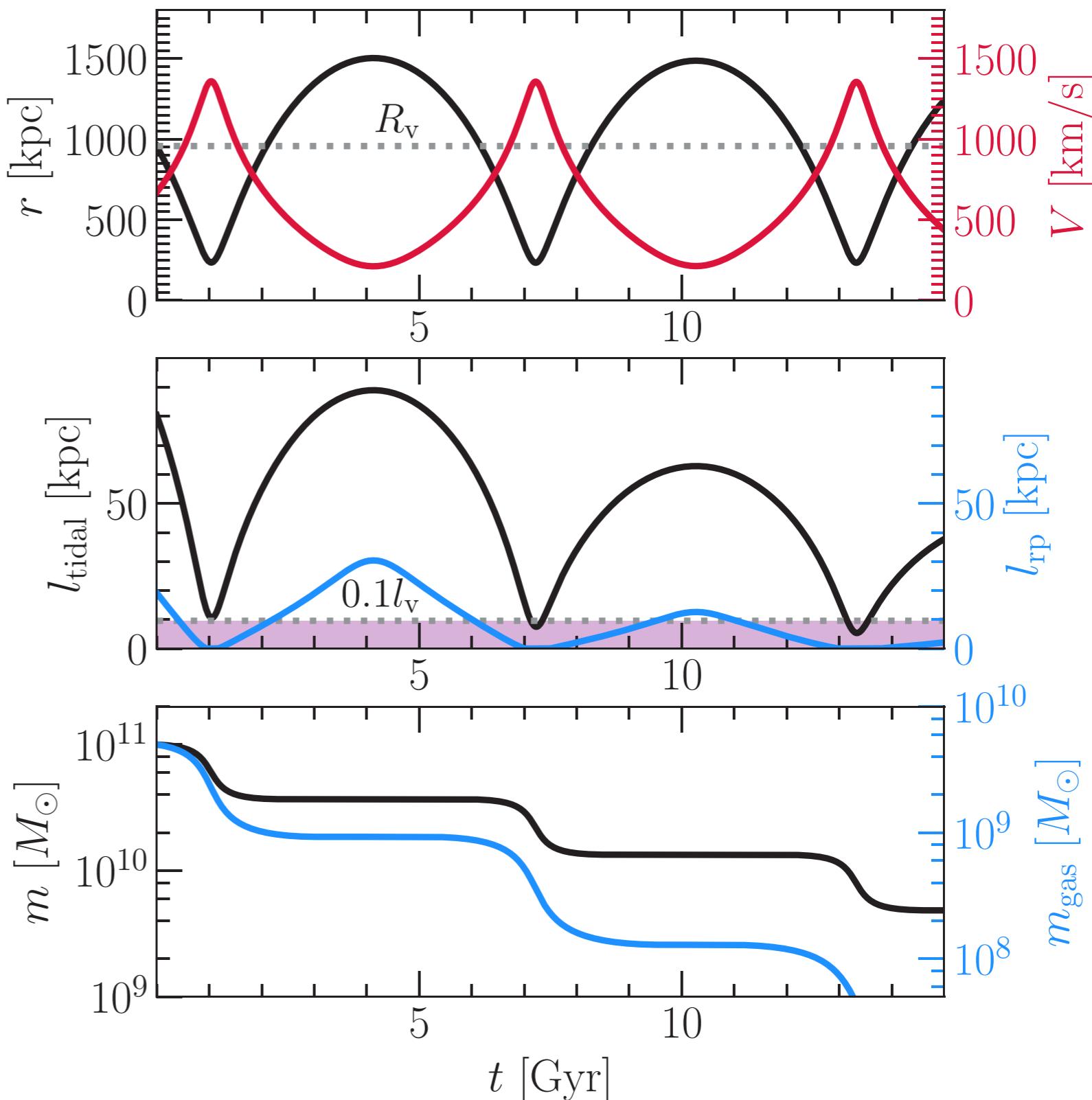
UDGs in a NIHAO-like group

♦ Tidal stripping vs. ram-pressure (model)

- **Tidal radius (l_{tidal}):** where self-gravity is balanced by the tidal force
- **Ram-pressure radius (l_{rp}):** where the self-gravity restoring force per unit area is equal to the ram pressure

A UDG-sized NFW satellite ($\log M_{vir}=11$, $c=10$) orbiting a massive host ($\log M_{vir}=13$, $c=5$) on a typical orbit.

- The ram-pressure radius is always smaller than the tidal radius
- Ram pressure stripping dominant for quenching satellites



Summary

◆ How do UDGs form (in the NIHAO simulations)?

- In the field:

bursty star formation > repeated SN outflows/density fluctuations > stellar expansion

Consequence: field UDGs should have cored DM distributions

- In groups:

field UDGs can survive + tidal puffing-up at pericenter

And quenching due to ram-pressure stripping

◆ Are UDGs special (in the NIHAO simulations)?

- Not in halo spin

- But they reside in cored DM haloes, have more triaxial or prolate shape and a high DM fraction

Jiang, Dekel, Freundlich et al. 2018, arXiv:1811.10607

Freundlich, Dekel, Jiang et al. 2019, in prep.

thanks

