

Periodicity analysis of young stars in Taurus

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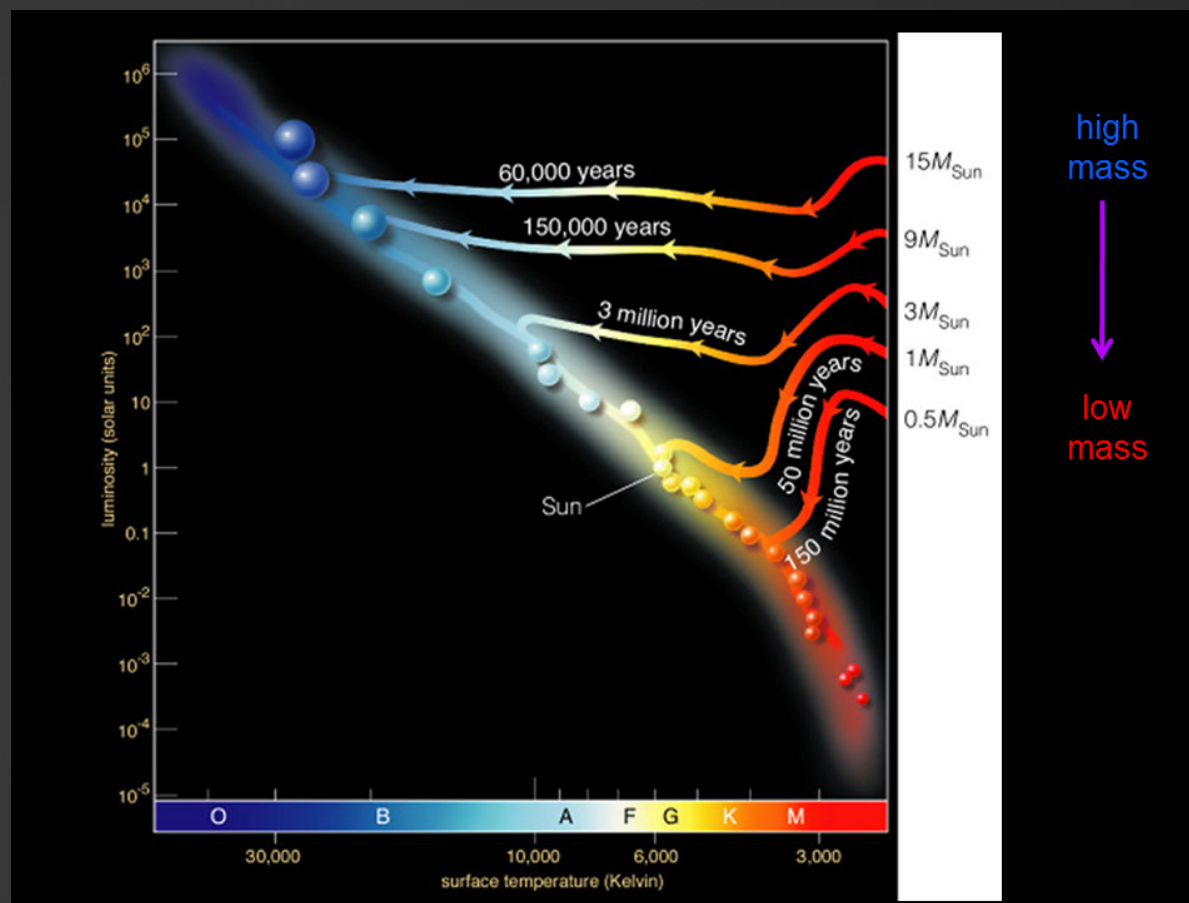
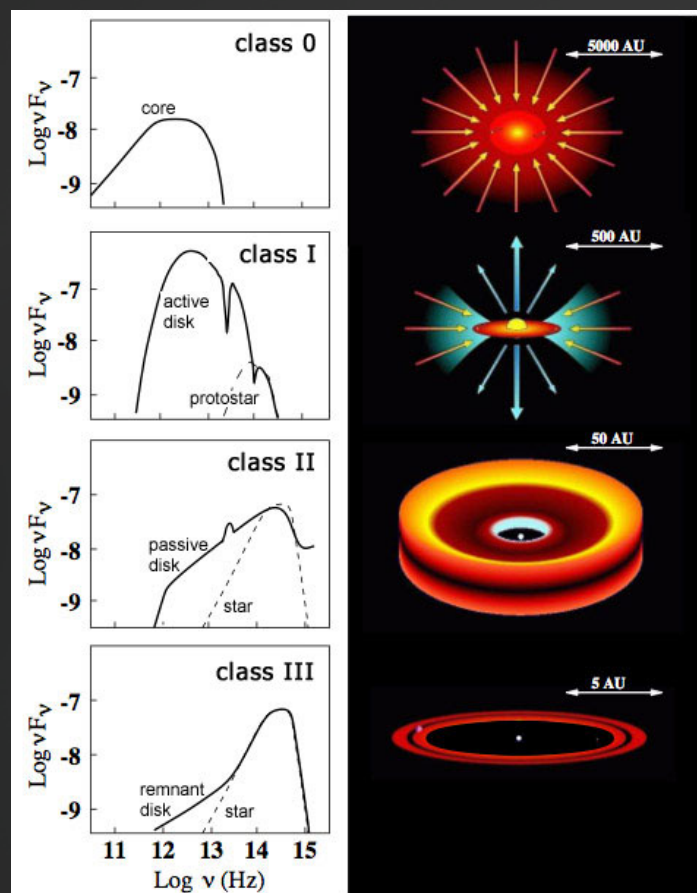
SUPERVISORS: J. BOUVIER, F. MENARD



- ▶ **Introduction: what are dippers?**
- ▶ Wavelet analysis
- ▶ Results
- ▶ Outlook

Low-mass star formation

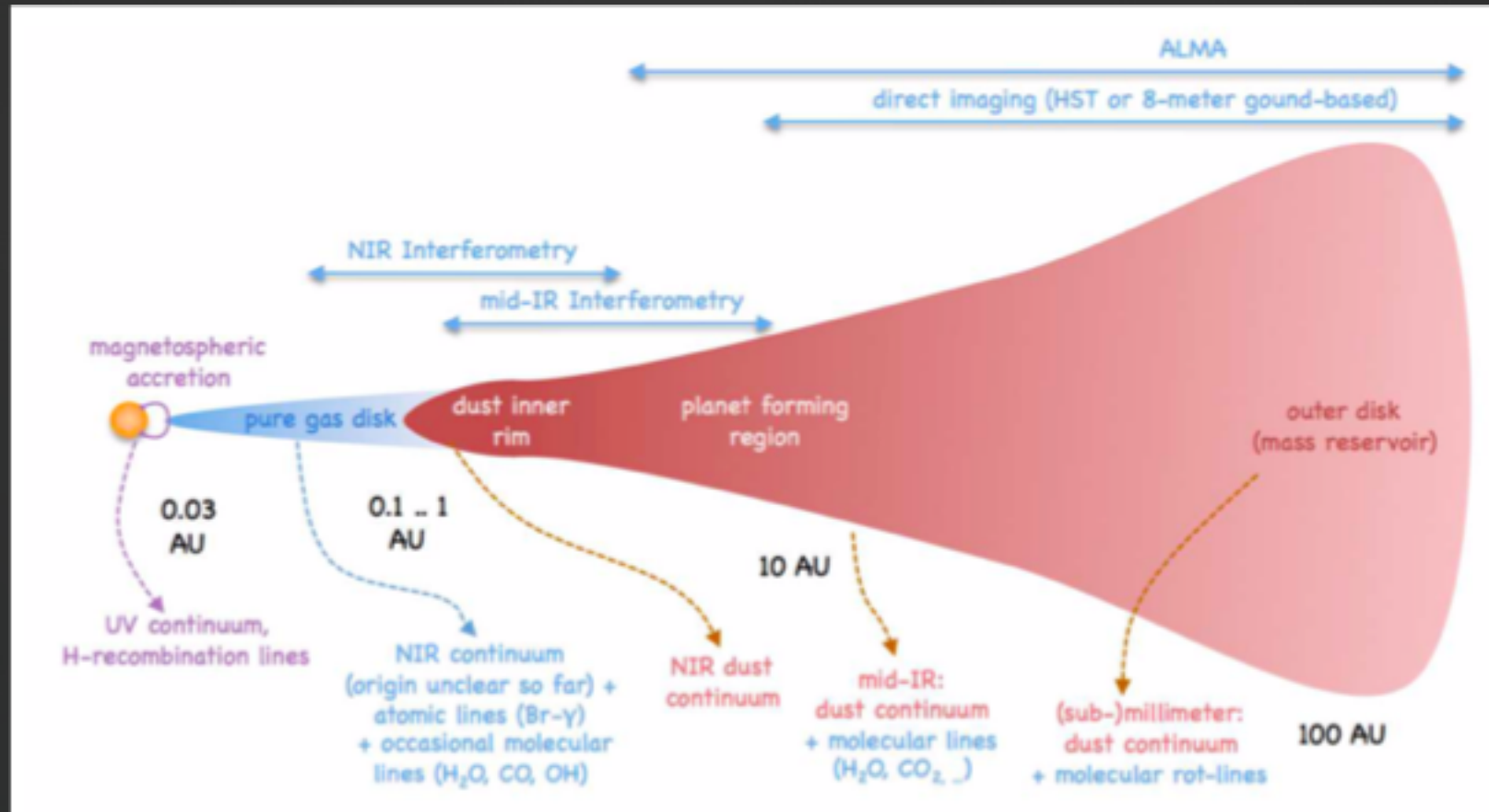
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A. Isella 2006

Protoplanetary disks

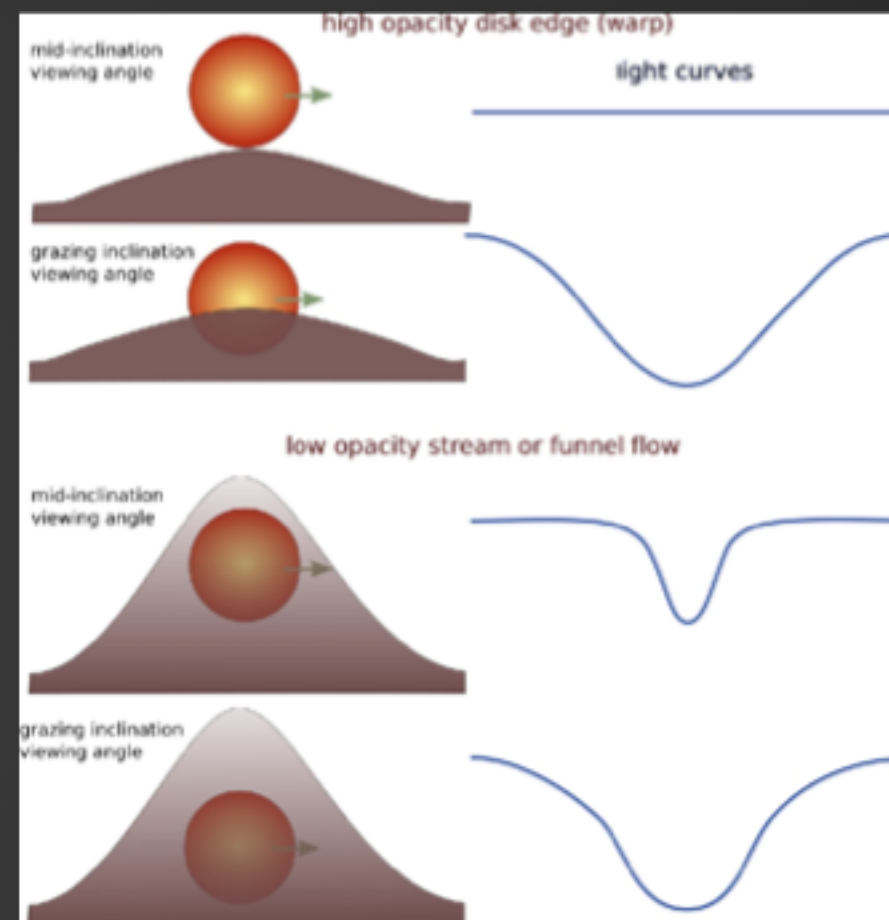
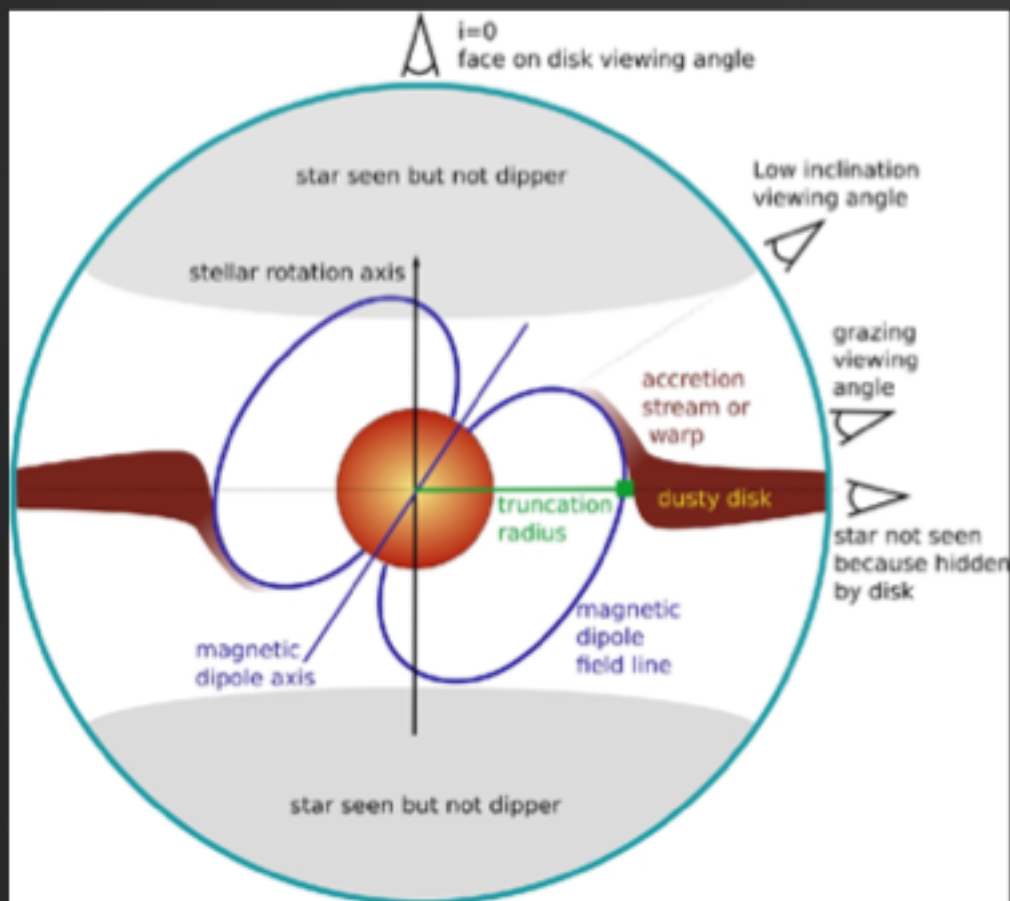
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Dullemond & Monnier 2010

What causes dippers?

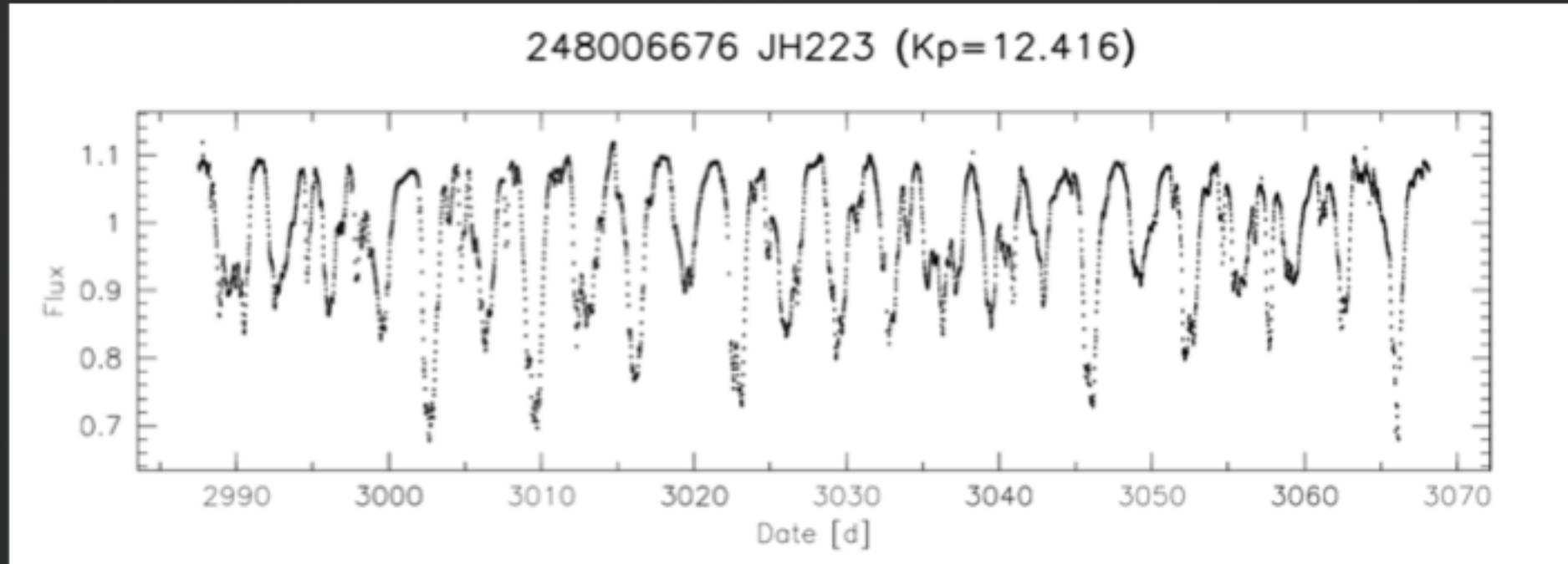
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Bodman et al. 2017

A prototypical dipper: JH223

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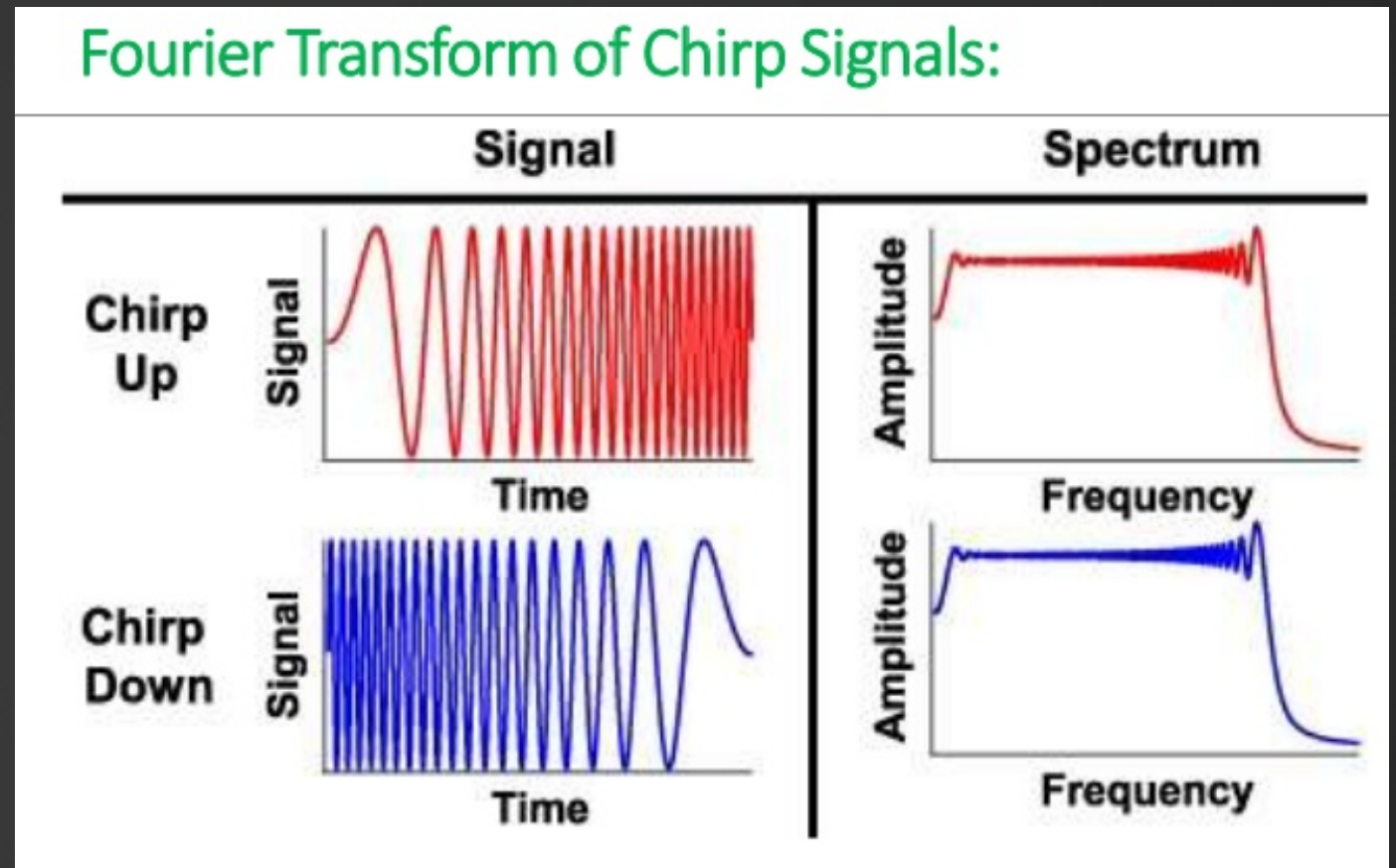


- ▶ Introduction: what are dippers?
- ▶ **Wavelet analysis**
- ▶ Results
- ▶ Outlook

The Fourier transform

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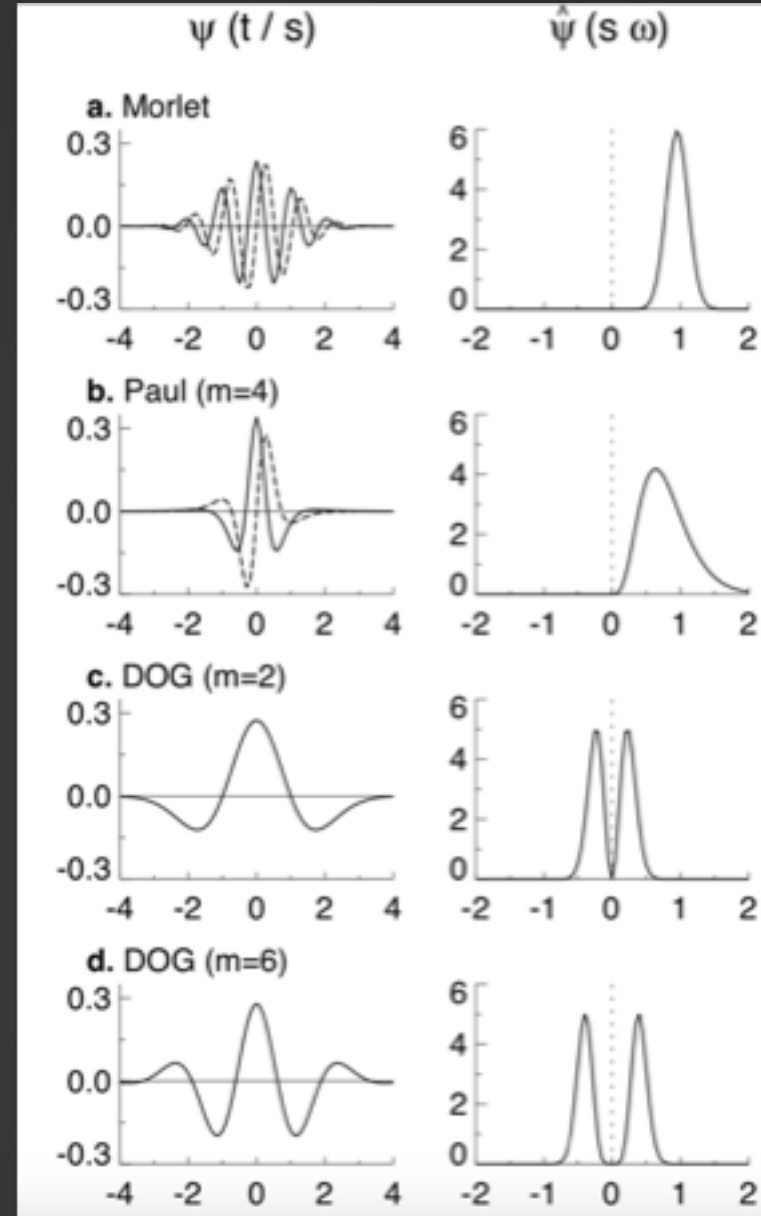
- Finds frequencies in the time series with high frequency resolution
- Problem: no time resolution for transient frequencies



Source: Berkouk & Sadmi 2018

Wavelet transform

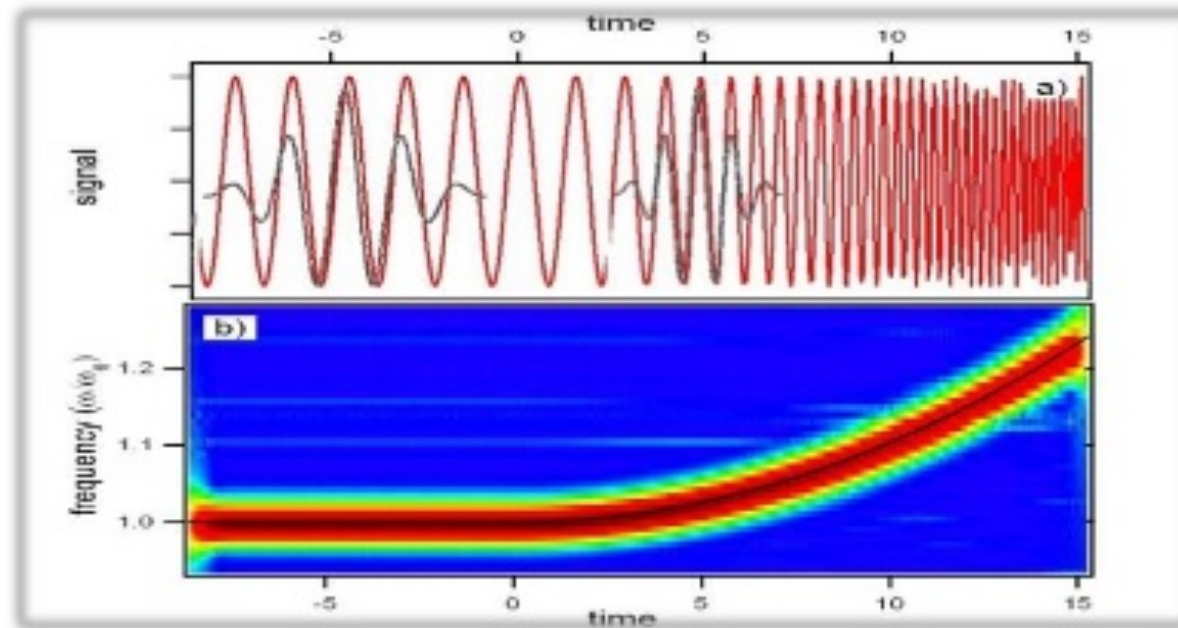
- Idea: consider a finite wave (instead of an infinite sinus) and shift it along the time series. The transform is the convolution of the signal and the wavelet at each position



Example: wavelet transform of the chirp signal

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Time-frequency representation of « up-chirp » signal using CWT :



- ▶ Introduction: what are dippers?
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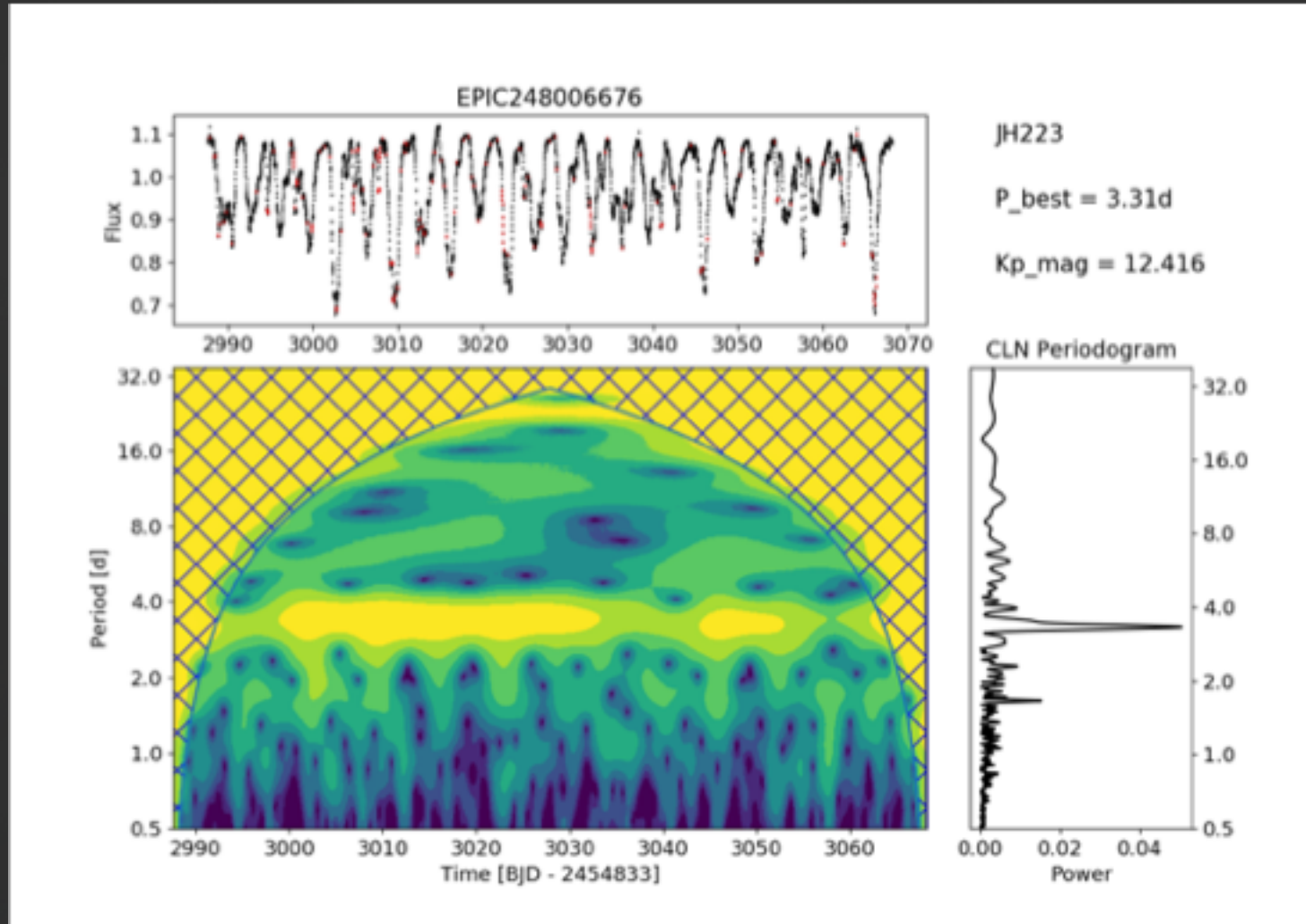
Data set

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- ▶ 230 accreting YSOs in Taurus are observed in the K2 campaign (2017)
- ▶ Duration of the campaign: ~3 months, cadence 30min
- ▶ ~35 objects are dippers or show the dipper phenomenon together with another variability (bursts, spots etc.)
- ▶ In previous studies, 20-30% of CTTs were classified as dippers (Cody et al. 2014, Alencar et al. 2010)

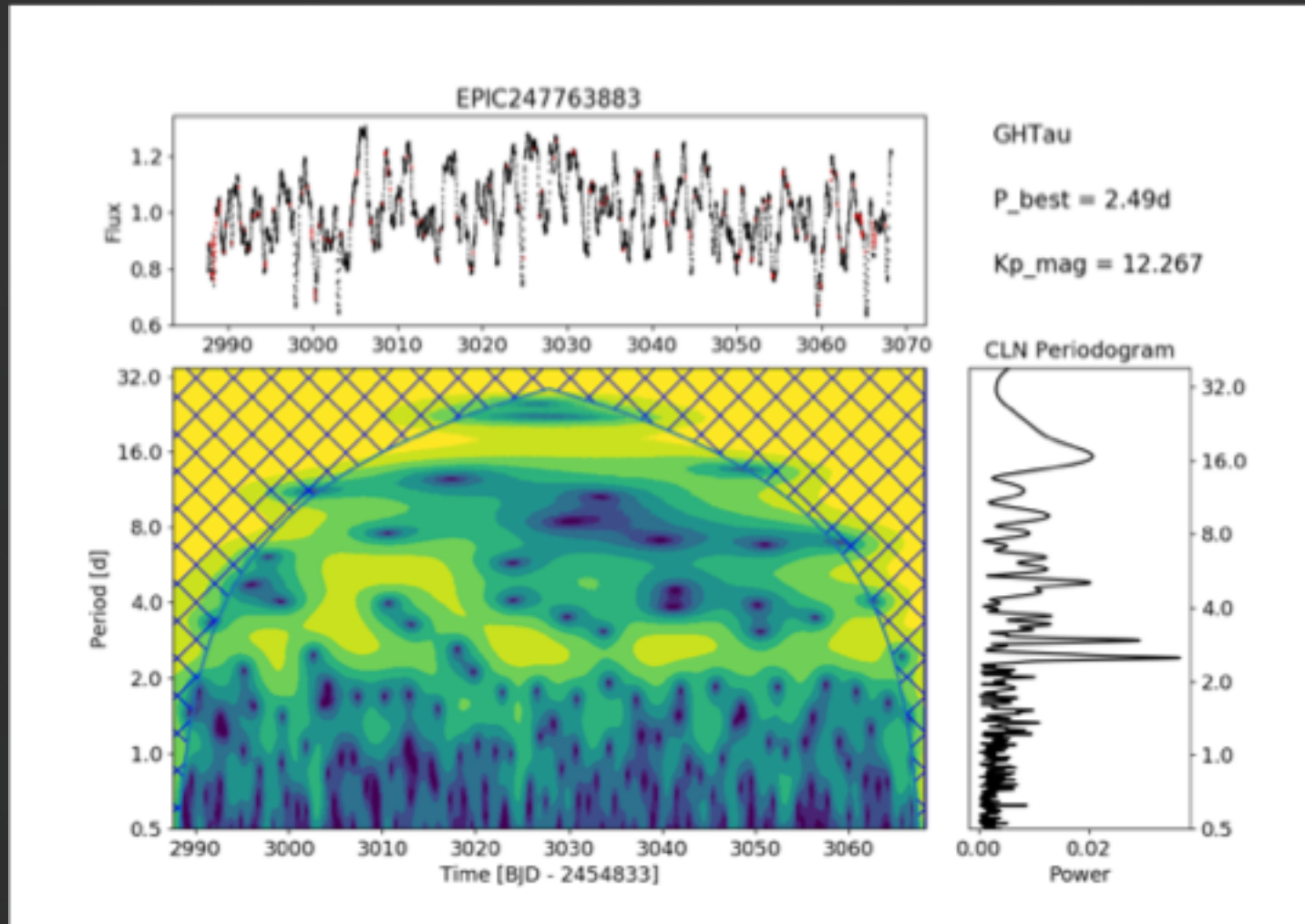
JH223: a dipper example

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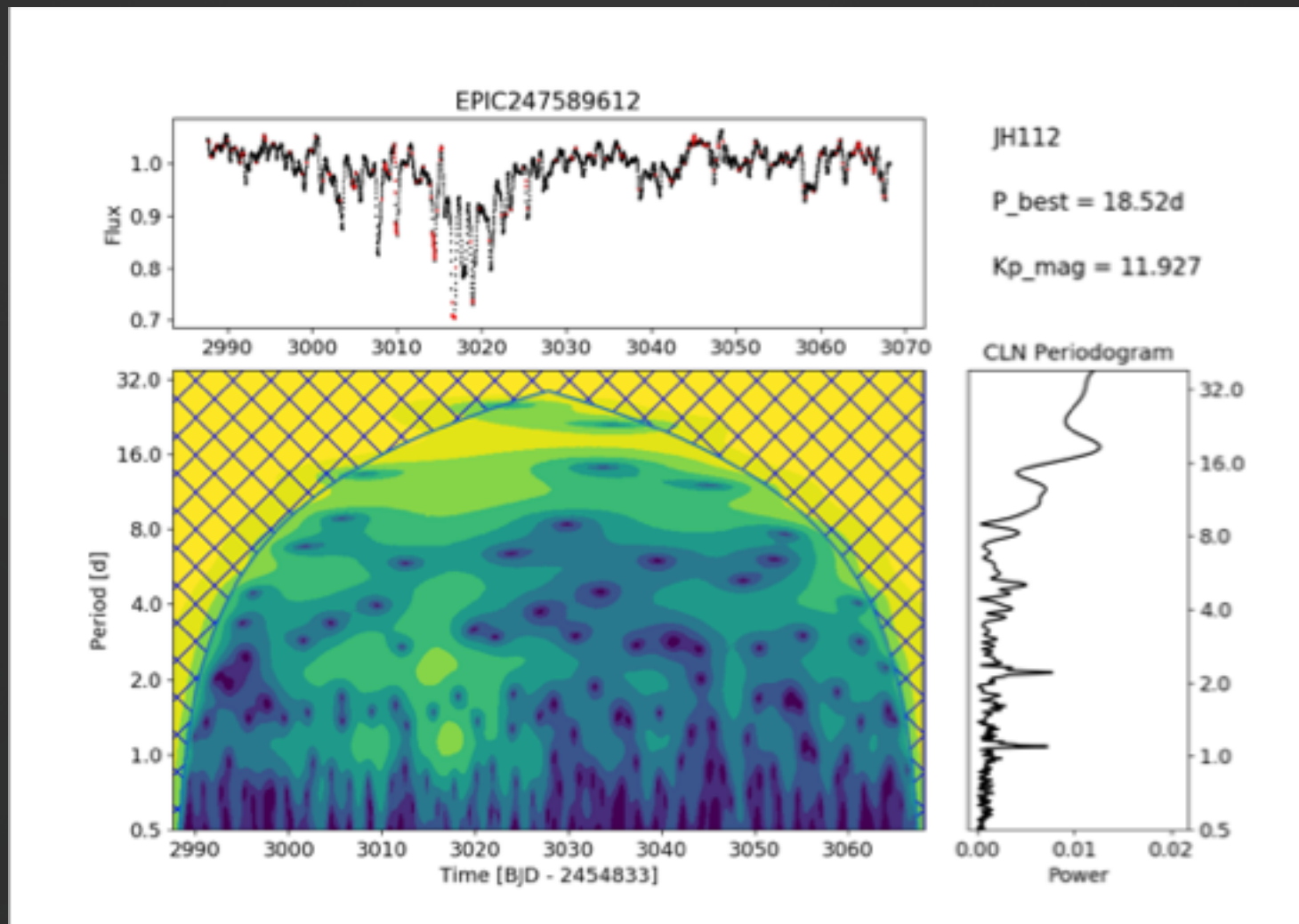
The case of multiple periodicities

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Transient dippers

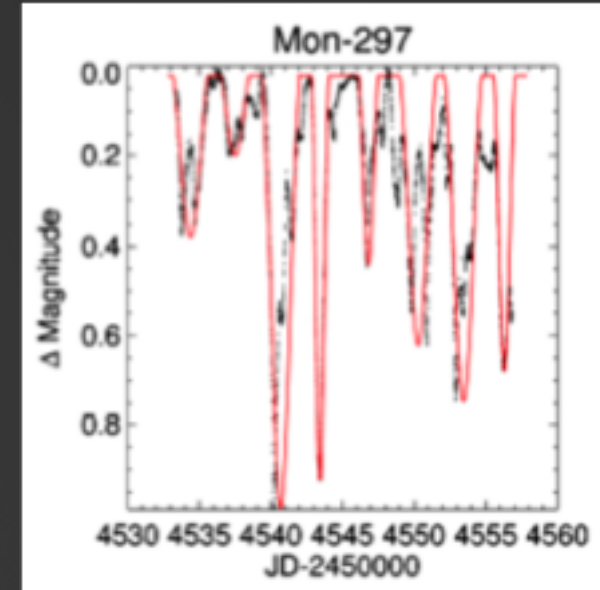
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Outlook

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- ▶ It is possible to fit dippers with a simple occultation model
- ▶ Aim of the project: full radiative transfer modeling with the MCFOST code (Pinte et al. 2006)
- ▶ Search for planet signatures with simulations

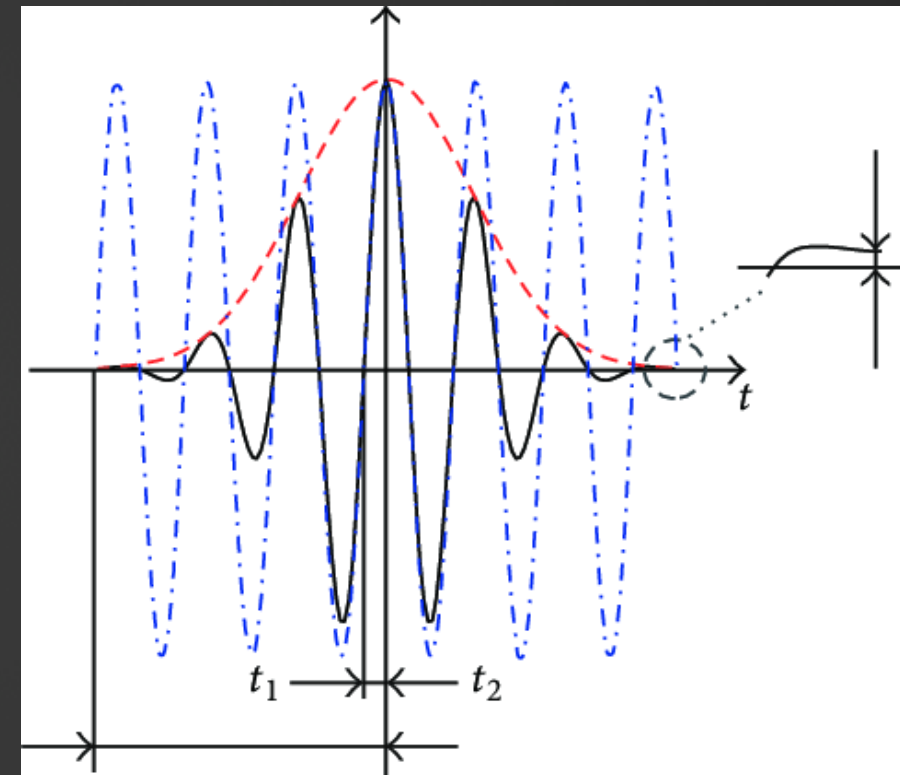


McGinnis et al. 2015

Morlet Wavelet

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- ▶ $\psi(x) = \frac{1}{\sqrt{\pi T_b}} e^{-\frac{x^2}{T_b}} e^{2\pi i F_c x}$
- ▶ Gaussian with width defined by T_b + complex wave
- ▶ To investigate all frequencies, the wavelet is stretched according to a scale s



Time vs. frequency resolution

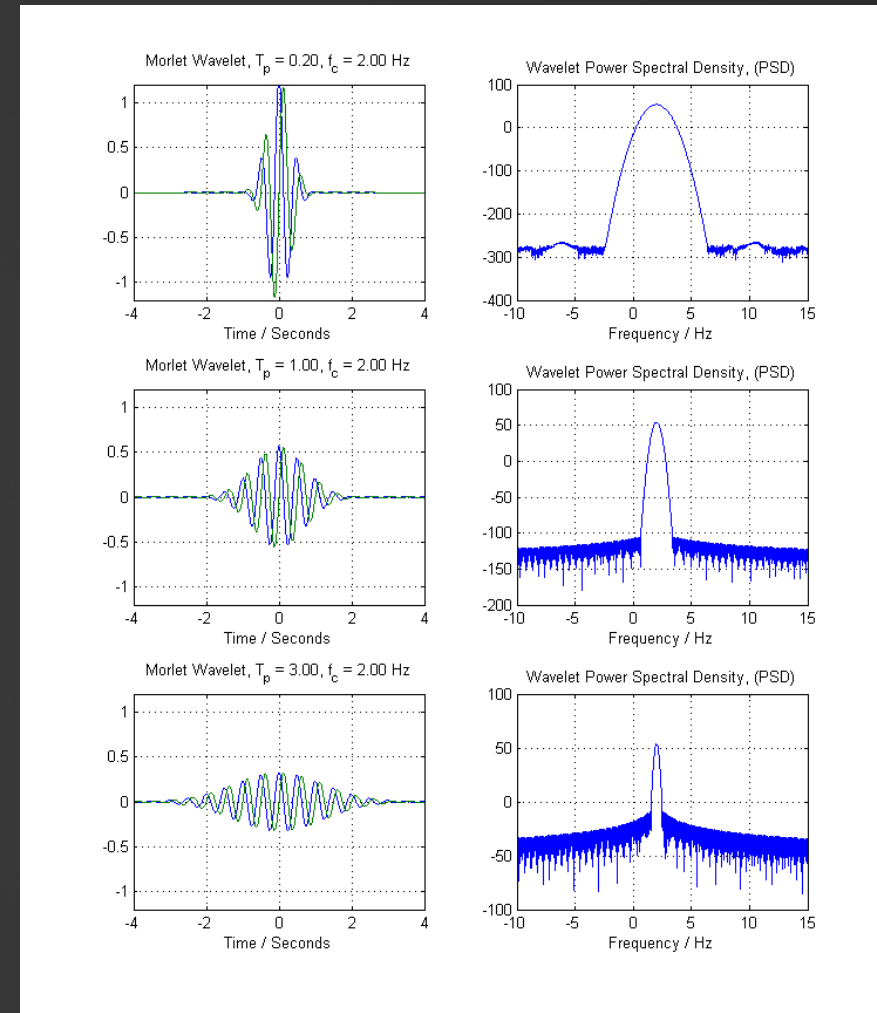
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- Increasing the width of the Gaussian increases the frequency and worsens the time resolution

-> uncertainty principle

- Remember:

$$\hat{\psi}(\omega) = e^{-\frac{\pi^2 (f - F_c)^2 T_b}{2}}$$



AA Tau

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