

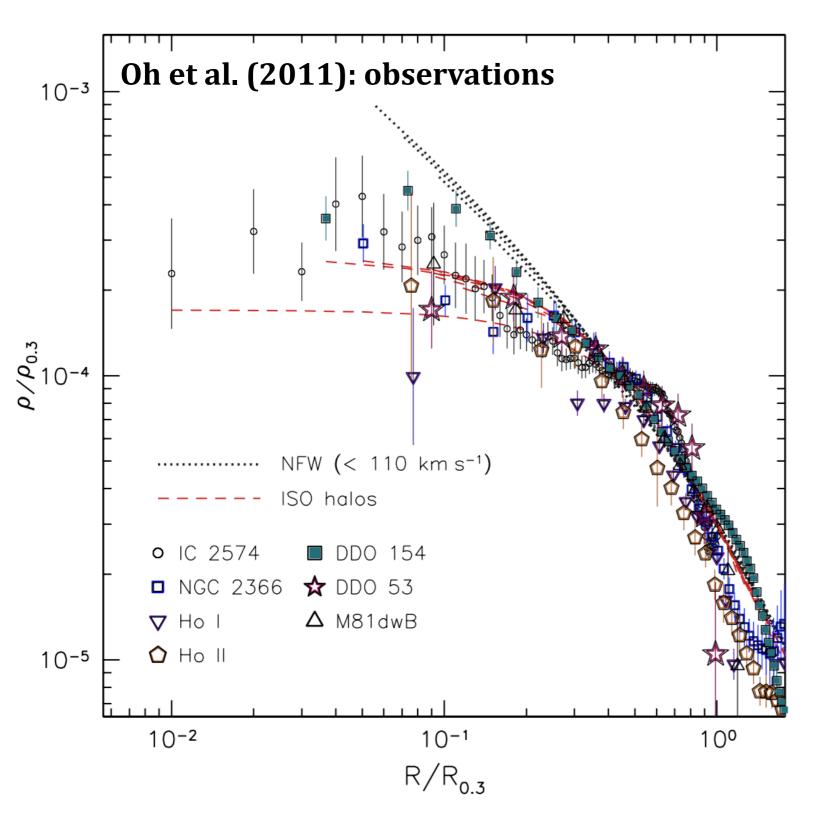


# Dark matter core formation from outflow episodes induced by feedback

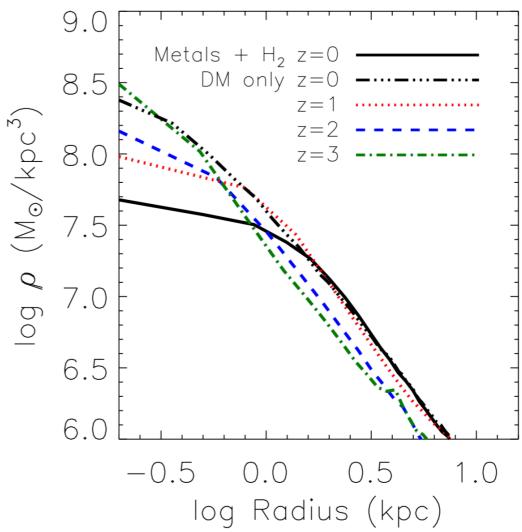
## Jonathan Freundlich

Avishai Dekel, Fangzhou Jiang, Guy Ishai, Nicolas Cornuault, Sharon Lapiner, Tomer Nussbaum, Aaron Dutton & Andrea Macciò

## The cusp-core discrepancy

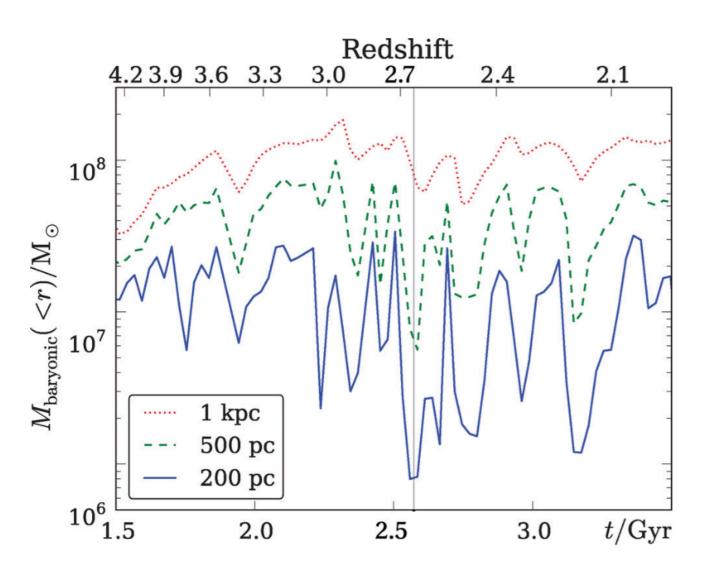


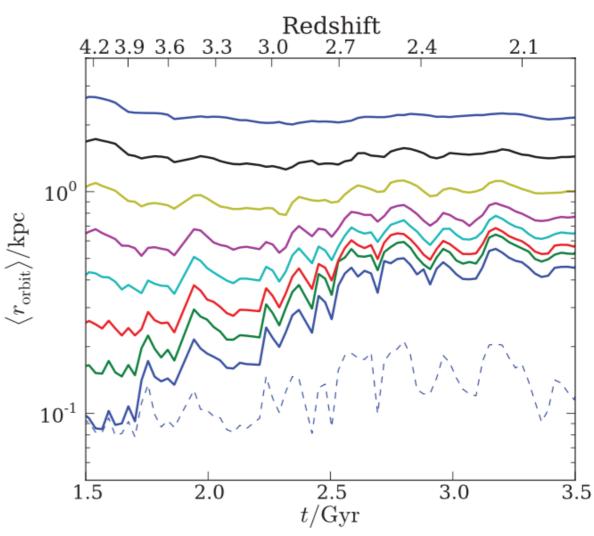
#### Governato et al. (2012): simulations



# How can baryons affect the dark matter halo

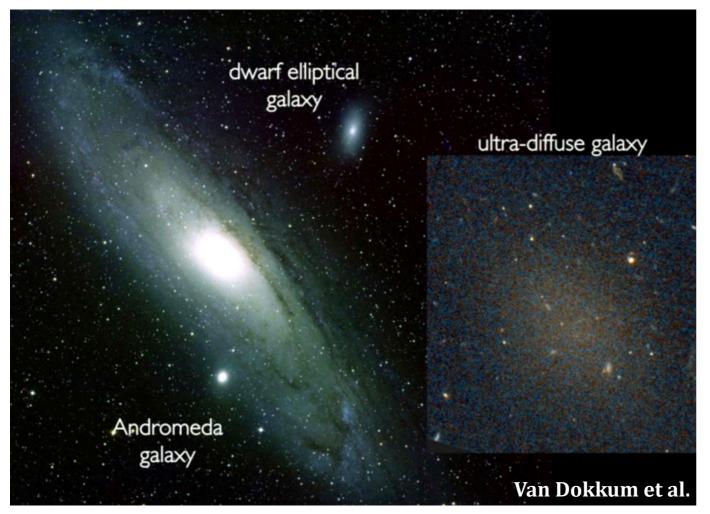
- ◆ Adiabatic contraction (Blumenthal et al. 1986)
- ◆ Dynamical friction (El-Zant et al. 2001, 2004)
- **♦** Repeated potential fluctuations from feedback processes (Pontzen & Governato 2012)





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## **Ultra Diffuse Galaxies (UDGs)**



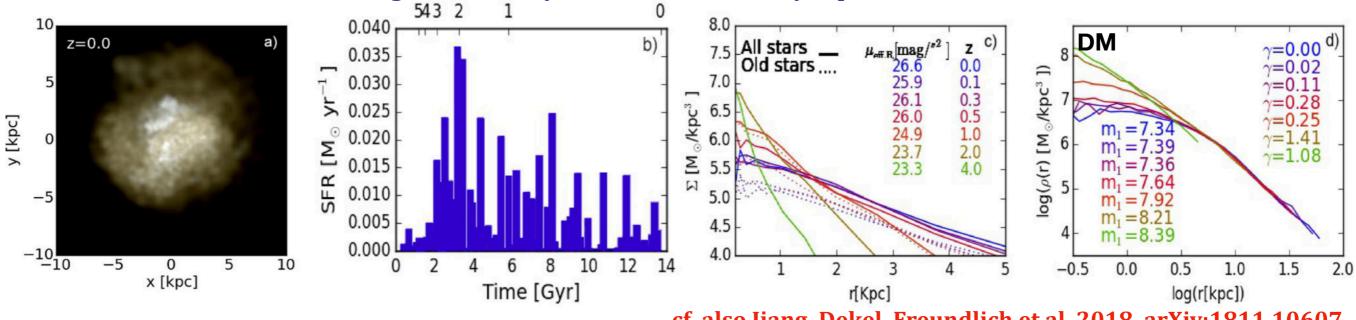
- ♦ Stellar masses of dwarf galaxies  $7 < \log(M_{\text{star}}/M_{\odot}) < 9$
- **♦** Effective radii of MW-sized

$$1 < r_{\text{eff}}/\text{kpc} < 5$$

#### **Possible formation scenarii:**

- **◆ Failed MW-like galaxies** that lost their gas after forming their first stars (Van Dokkum et al. 2015)
- ✦ High-spin tail of the dwarf galaxy population (Amorisco & Loeb 2016)
- **→ Tidal debris** from mergers or tidally disrupted dwarfs (Greco et al. 2017)
- **♦ Episodes of inflows and outflows from stellar feedback** (Di Cintio et al. 2017)

◆ Di Cintio+17: Outflows resulting from a bursty star formation history expand both the stellar and the DM distributions



# A toy model based on cycles of inflows and outflows

Evolution of a spherical shell encompassing a collisionless mass *M* when a baryonic mass *m* is removed (or added) at the center

#### **♦** Slow mass change

Conservation of the angular momentum on circular orbits  $L \propto rv = \sqrt{GMr}$ 

$$\frac{r_f}{r_i} = \frac{M}{M+m} = \frac{1}{1+f} \quad \text{with} \quad f = \frac{m}{M}$$

#### **♦** Instant mass change

1) Initial conditions at equilibrium

$$E_i(r_i) = U_i(r_i) + K_i(r_i)$$

2) Immediately after the mass change

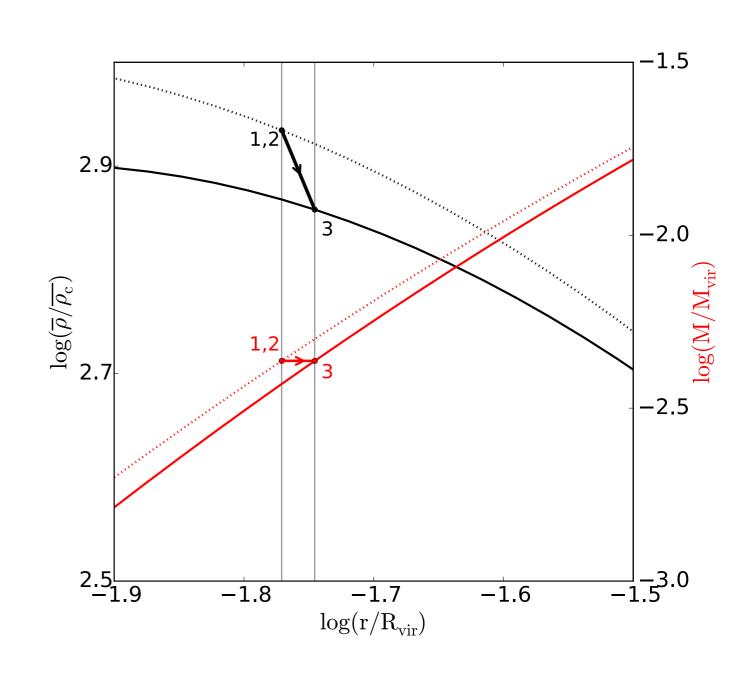
$$E_t(r_i) = U_i(r_i) - Gm/r_i + K_i(r_i)$$

3) The system relaxes to a new equilibrium

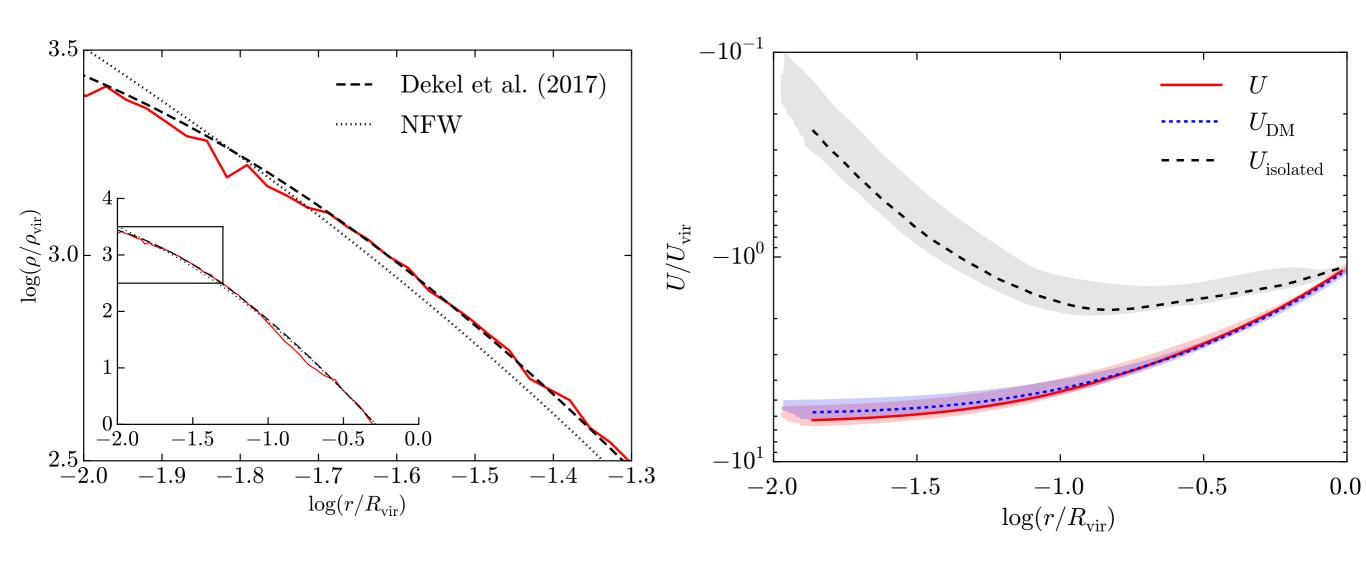
$$E_f(r_f) = U_f(r_f) - Gm/r_f + K_f(r_f)$$

where *K* can be expressed from the mass distribution through the Jeans equation

Given functional forms U(r;p) and K(r;p,m), energ conservation  $E_f(r_f) = E_i(r_i)$  yields the final state



## Parametrization of the density profile



#### Dekel et al. (2017) parametrization:

$$ightharpoonup 
ho(r) \propto \frac{1}{x^a (1 + x^{1/2})^{2(3.5 - a)}}$$
 with  $x = cr/R_{\text{vir}}$ 

- **♦** Analytical potential
- ◆ Free inner slope

♦ Inner logarithmic slope:  $s_0 = s(0.01R_{\text{vir}})$ 

with 
$$s(r) = \frac{d \ln \rho}{d \ln r} = \frac{a + 3.5x^{1/2}}{1 + x^{1/2}}$$

**◆** Effective concentration

$$c_{\text{max}} = \frac{r_{\text{max}}}{R_{\text{vir}}} = \frac{c}{(2-a)^2}$$

## Parametrization of the local kinetic energy

◆ Spherical symmetry and anisotropy 0.5

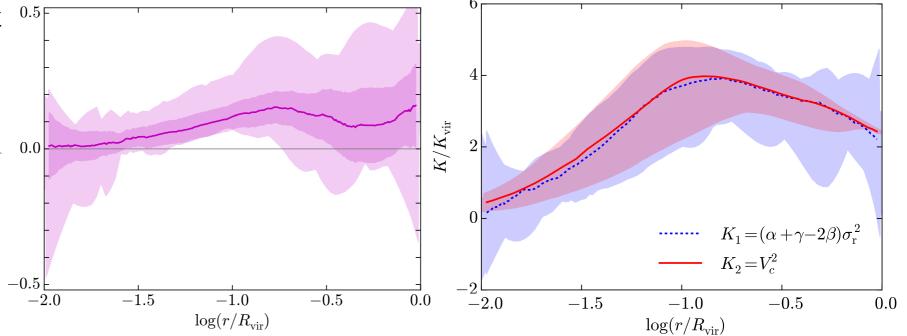
$$K(r) = 1.5\sigma_r^2$$

**♦** Jeans equilibrium

$$(\alpha + \gamma - 2\beta)\sigma_r^2 = V_c^2$$

$$\frac{d(\rho\sigma_r^2)}{dr} + \frac{2\beta}{r}\rho\sigma_r^2 = -\rho\frac{d\phi}{dr}$$

$$\sigma_r^2(r) = \frac{G}{\rho(r)} \int_r^\infty \rho(r')M(r')r'^{-2}dr'$$



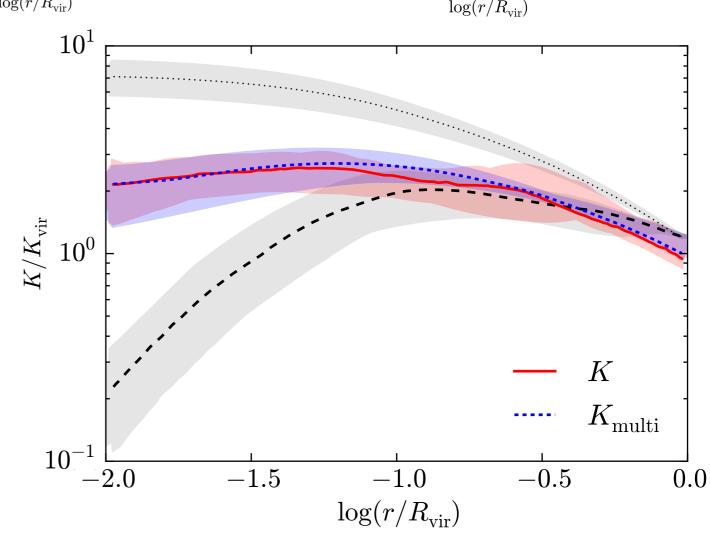
◆ Dekel et al. (2017) parametrization

$$K(r) \propto \left[ \mathcal{B}(4(1-a),9,\zeta) \right]_{\chi}^{1}$$
with  $\mathcal{B}(a,b,x) = \int_{0}^{x} t^{a-1} (1-t)^{b-1} dt$ 
and  $\chi = \frac{x^{1/2}}{1+x^{1/2}}$ 

◆ Multi-component halo

$$\frac{M_{\text{tot}}}{M} = X_M \left(\frac{r}{R_{\text{vir}}}\right)^{-n}$$

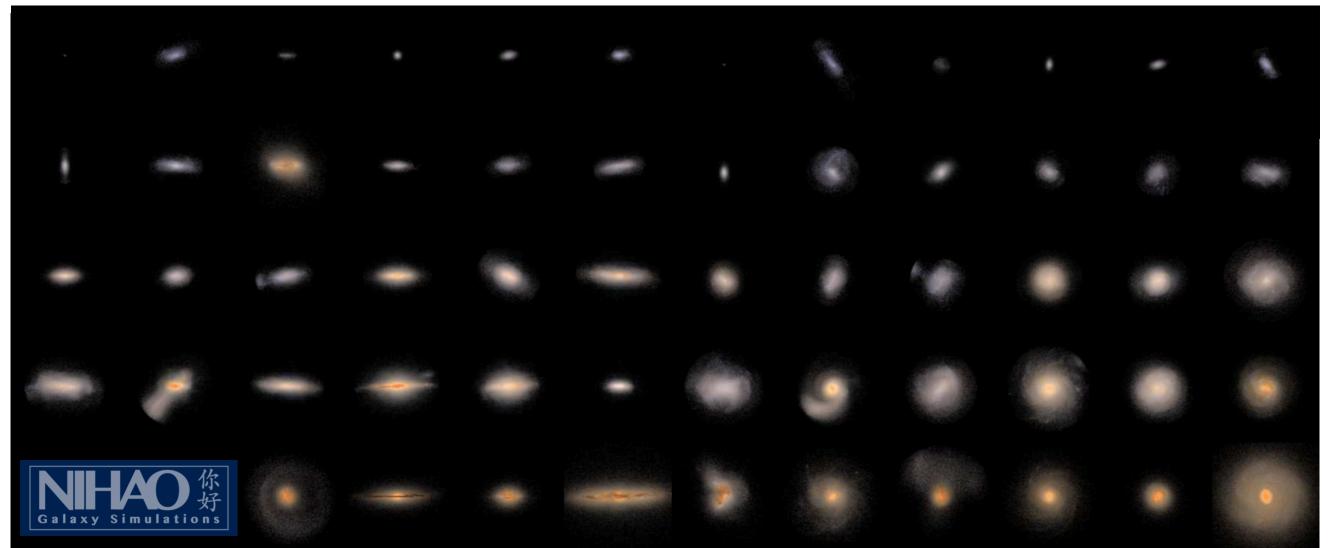
$$K(r) \propto \left[\mathcal{B}(4(1-a) - 2n, 9 + 2n, \zeta)\right]_{\chi}^{1}$$



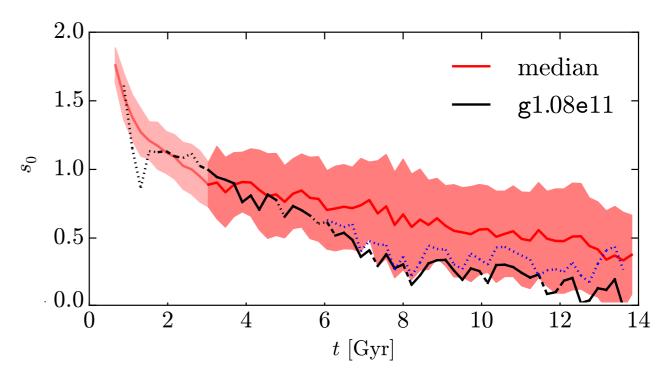
#### A set of ~100 cosmological zoom-in hydrodynamical simulations of galaxies

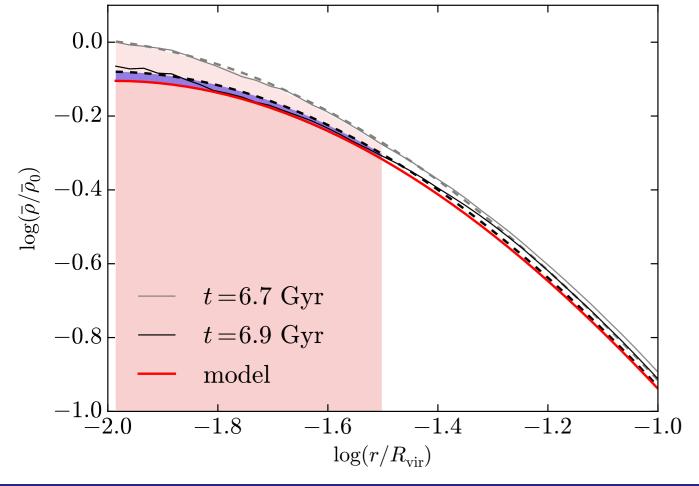
- ◆ Smoothed Particle Hydrodynamics code Gasoline2
- ◆ ΛCDM cosmology (Planck collaboration 2014)
- ◆ Turbulent mixing, cooling, UV background, star formation, chemical enrichment
- **♦** Ionizing feedback from massive stars and blast-wave SN feedback
- ♦ With and without baryons
- **♦** Spatial resolution 1% of the virial radius

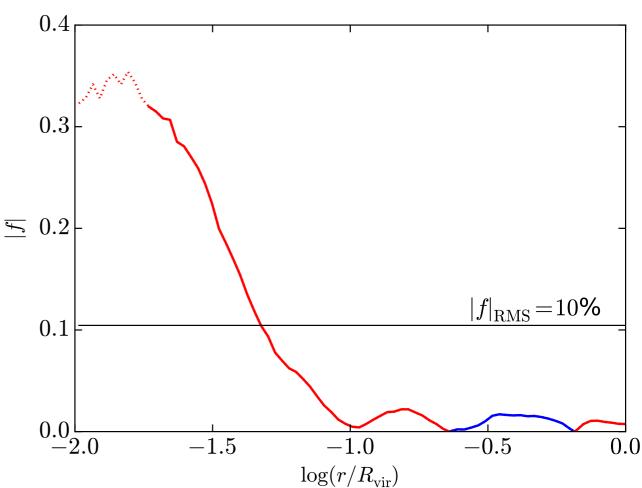
Wang et al. (2015)

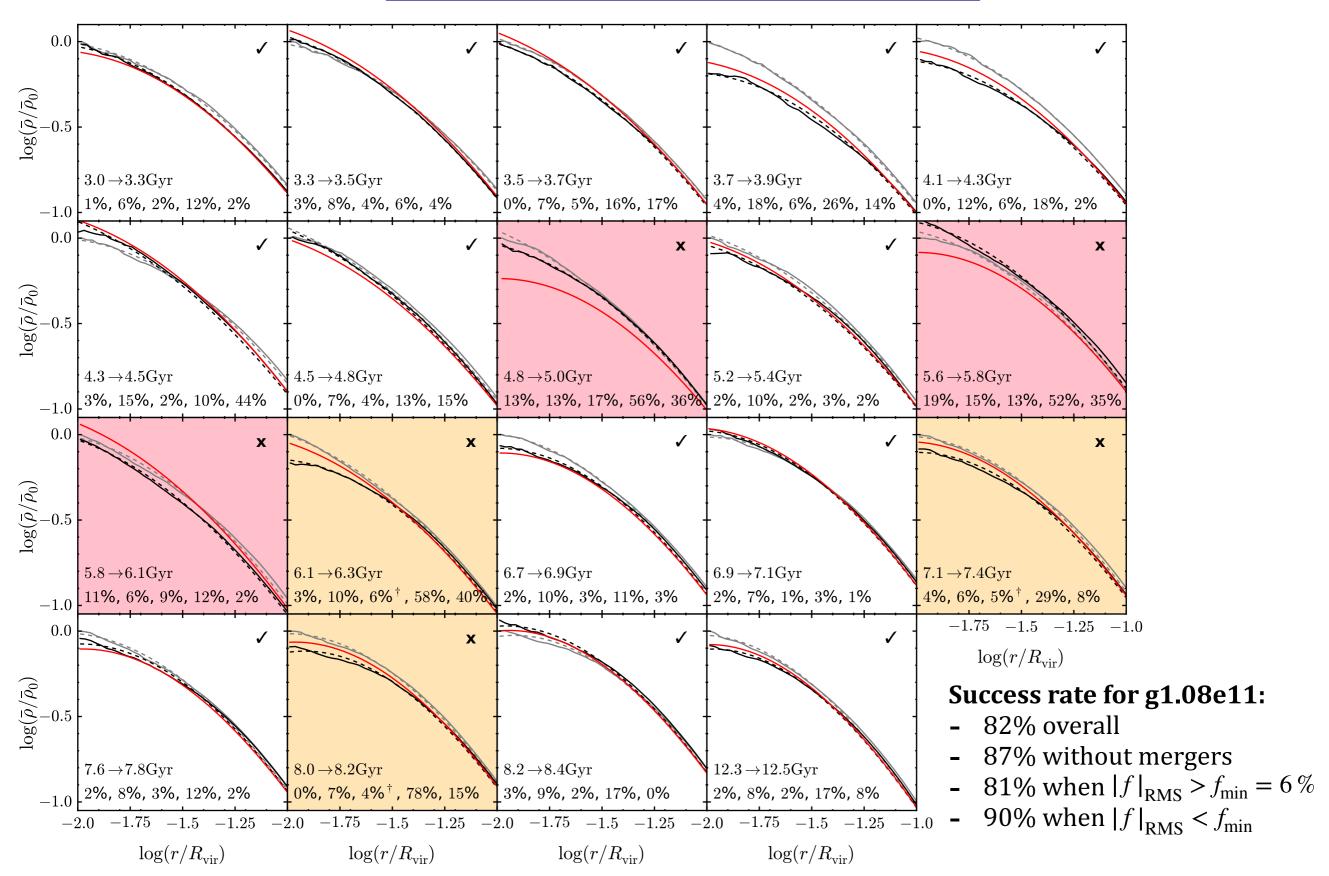


- ♦ 33 galaxies with  $M_{\text{star}}=10^7-10^9 M_{\text{sun}}$  at z=0
- ◆ Specific mass range for core formation(Di Cintio+14, Oh+15, Tollet+16, Dutton+16)
- ◆ A fiducial example: **g1.08e11**



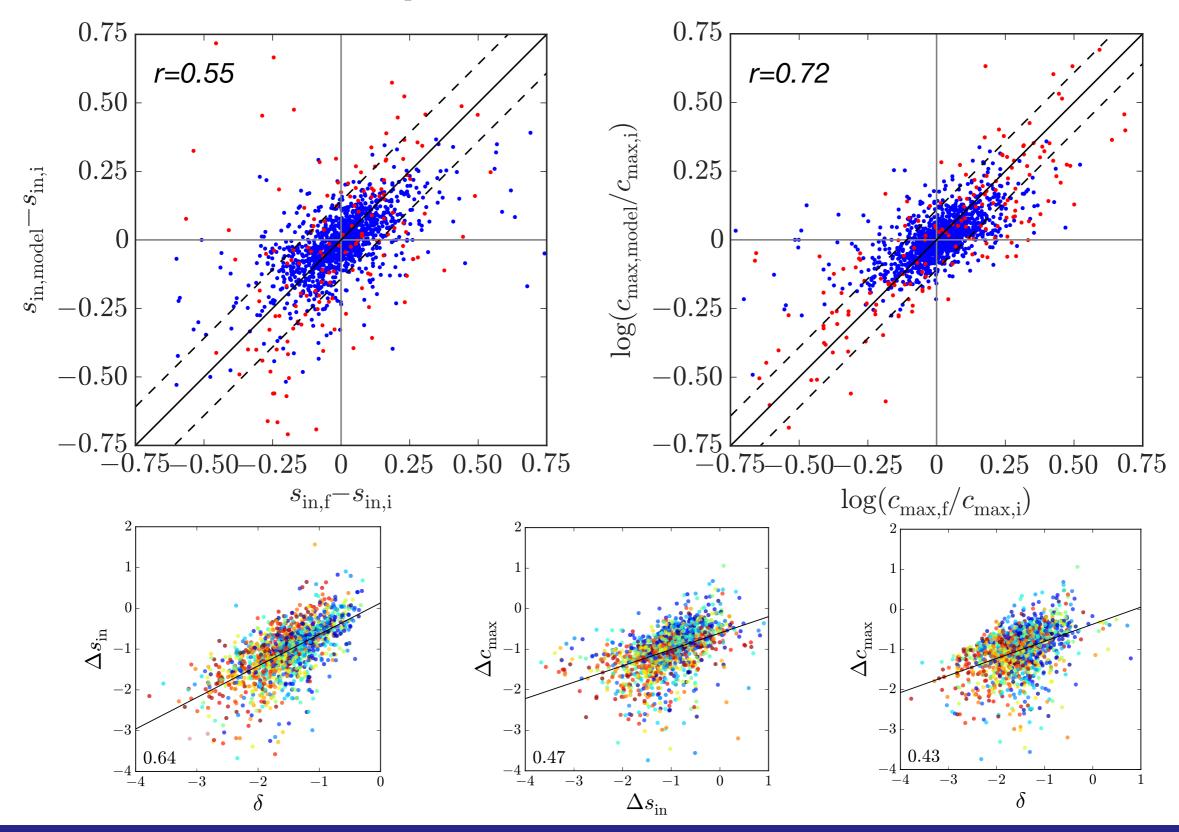


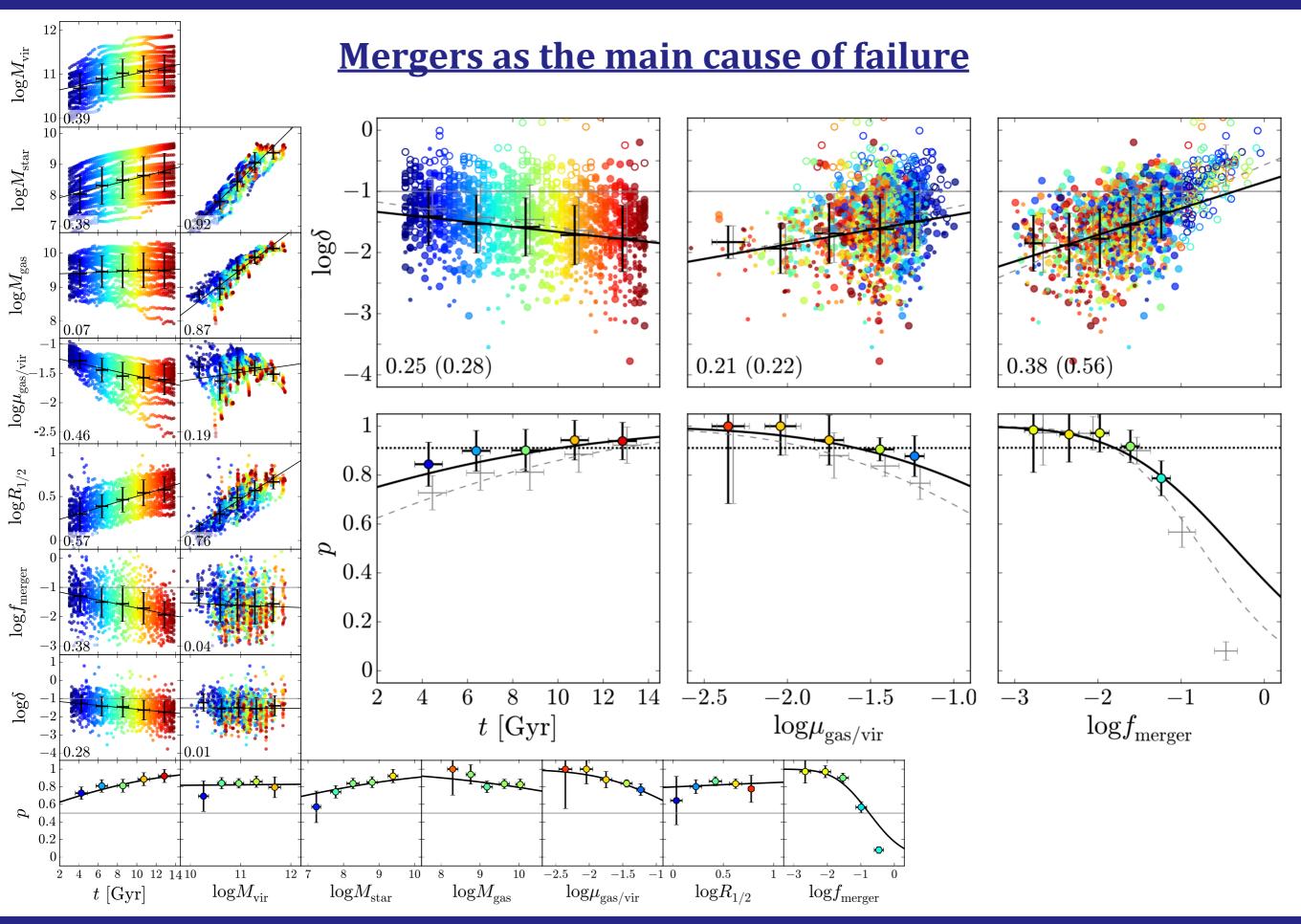




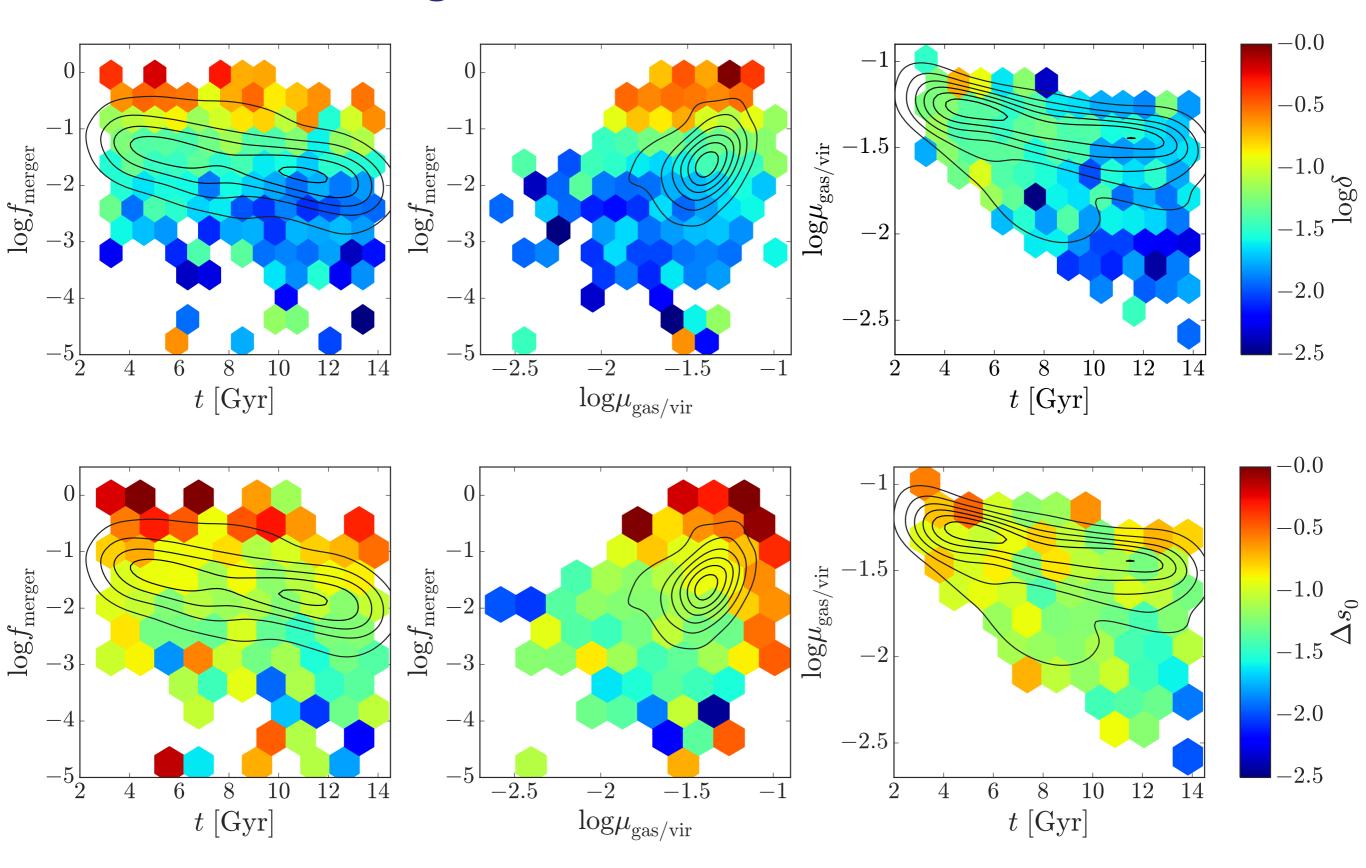
Simulation ID	$M_{ m vir}$ $[{ m M}_{\odot}]$	$M_{\star}$ [M $_{\odot}$ ]	r <sub>e</sub> [kpc]	$\mu_{0,V}$ [mag.arcsec <sup>-2</sup> ]	$p_{ m all}$	pno mergers	$p_{>f_{\min}}$	$p_{< f_{\min}}$
-1 57-11	$1.58 \times 10^{11}$				20/50 - 590/	24/26 - 670	10/27 - 700/	05/00 - 560/
g1.57e11	$4.9 \times 10^{10}$	$1.15 \times 10^9$ $1.22 \times 10^8$	5.42	23.62	29/50 = 58%	24/36 = 67%	19/27 = 70%	05/09 = 56%
g4.99e10 <sup>†</sup>			3.01	24.16	31/43 = 72%	31/42 = 74%	14/24 = 58%	17/18 = 94%
g3.21e11	$3.03 \times 10^{11}$	$3.67 \times 10^9$	4.88	21.29	25/48 = 52%	25/39 = 64%	19/31 = 61%	06/08 = 75%
g3.44e10 <sup>†</sup>	$4.88 \times 10^{10}$	$6.32 \times 10^7$	2.54	24.43	21/33 = 64%	19/26 = 73%	15/18 = 83%	04/08 = 50%
g3.59e11	$3.49 \times 10^{11}$	$4.36 \times 10^9$	5.10	21.76	26/46 = 57%	24/33 = 73%	18/23 = 78%	06/10 = 60%
g6.12e10 <sup>†</sup>	$4.97 \times 10^{10}$	$9.13 \times 10^7$	2.67	24.03	27/33 = 82%	27/30 = 90%	11/12 = 92%	16/18 = 89%
g2.04e11	$2.09 \times 10^{11}$	$4.7 \times 10^9$	3.07	20.18	43/50 = 86%	43/46 = 93%	20/23 = 87%	23/23 = 100%
g4.27e10 <sup>†</sup>	$4.25 \times 10^{10}$	$6.15 \times 10^{7}$	2.83	24.21	15/20 = 75%	15/19 = 79%	12/14 = 86%	03/05 = 60%
g4.94e10	$5.26 \times 10^{10}$	$1.11 \times 10^{8}$	2.42	23.89	25/38 = 66%	25/33 = 76%	07/13 = 54%	18/20 = 90%
g5.05e10 <sup>†</sup>	$4.29 \times 10^{10}$	$9.47 \times 10^{7}$	2.09	24.28	27/38 = 71%	26/33 = 79%	10/13 = 77%	16/20 = 80%
g2.19e11	$1.31 \times 10^{11}$	$9.27 \times 10^{8}$	4.52	23.01	27/47 = 57%	27/41 = 66%	23/35 = 66%	04/06 = 67%
g6.37e10 <sup>†</sup>	$1.15 \times 10^{11}$	$2.11 \times 10^{8}$	4.19	24.10	17/41 = 41%	16/30 = 53%	10/19 = 53%	06/11 = 55%
g3.49e11	$4.33 \times 10^{11}$	$3.96 \times 10^9$	5.23	22.02	39/50 = 78%	39/49 = 80%	09/15 = 60%	30/34 = 88%
$g1.08e11^\dagger$	$1.2\times10^{11}$	$8.47 \times 10^{8}$	4.41	24.10	41/50 = 82%	41/47 = 87%	13/16 = 81%	28/31 = 90%
g1.64e11	$1.93 \times 10^{11}$	$9.12 \times 10^{8}$	5.72	22.41	10/33 = 30%	08/21 = 38%	07/16 = 44%	01/05 = 20%
g2.54e11	$2.67 \times 10^{11}$	$3.5 \times 10^{9}$	3.60	19.84	28/46 = 61%	27/38 = 71%	19/28 = 68%	08/10 = 80%
g4.48e10	$6.04 \times 10^{10}$	$1.37 \times 10^{8}$	3.62	23.92	16/31 = 52%	16/24 = 67%	07/12 = 58%	09/12 = 75%
g9.59e10 <sup>†</sup>	$8.84 \times 10^{10}$	$2.75 \times 10^{8}$	4.91	24.48	15/50 = 30%	13/39 = 33%	13/36 = 36%	00/03 = 0%
$g2.94e10^{\dagger}$	$3.22 \times 10^{10}$	$5.86 \times 10^{7}$	1.96	24.26	22/27 = 81%	22/27 = 81%	08/11 = 73%	14/16 = 88%
g4.90e11	$3.25 \times 10^{11}$	$3.43 \times 10^{9}$	5.77	22.95	37/50 = 74%	34/43 = 79%	11/15 = 73%	23/28 = 82%
g5.46e11	$3.25 \times 10^{11}$	$3.77 \times 10^{9}$	5.29	22.47	37/48 = 77%	36/43 = 84%	12/15 = 80%	24/28 = 86%
g4.86e10 <sup>†</sup>	$5.16 \times 10^{10}$	$1.22 \times 10^{8}$	2.36	24.37	45/50 = 90%	45/50 = 90%	01/03 = 33%	44/47 = 94%
g6.91e10	$7.08 \times 10^{10}$	$2.5 \times 10^{8}$	2.54	23.49	39/50 = 78%	39/49 = 80%	11/17 = 65%	28/32 = 88%
g6.96e10	$8.95 \times 10^{10}$	$3.64 \times 10^{8}$	3.49	23.34	34/47 = 72%	34/42 = 81%	18/22 = 82%	16/20 = 80%
g2.41e11	$2.53 \times 10^{11}$	$4.1 \times 10^{9}$	3.97	21.48	36/49 = 73%	34/43 = 79%	16/19 = 84%	18/24 = 75%
g6.77e10	$9.28 \times 10^{10}$	$4.83 \times 10^{8}$	4.37	23.22	24/42 = 57%	21/35 = 60%	19/28 = 68%	02/07 = 29%
g8.89e10	$9.22 \times 10^{10}$	$4.02 \times 10^{8}$	3.12	23.10	42/50 = 84%	42/48 = 88%	09/13 = 69%	33/35 = 94%
g3.55e11	$4.23 \times 10^{11}$	$3.85 \times 10^{9}$	6.48	22.44	19/43 = 44%	16/33 = 48%	13/27 = 48%	03/06 = 50%
g1.37e11	$1.48 \times 10^{11}$	$2.02 \times 10^{9}$	3.46	22.51	44/50 = 88%	44/50 = 88%	05/08 = 62%	39/42 = 93%
g1.59e11 <sup>†</sup>	$1.68 \times 10^{11}$	$6.69 \times 10^{8}$	6.21	24.97	39/50 = 78%	39/48 = 81%	21/26 = 81%	18/22 = 82%
g3.23e11 <sup>†</sup>	$8.93 \times 10^{10}$	$3.6 \times 10^{8}$	4.85	24.05	25/49 = 51%	24/43 = 56%	22/36 = 61%	02/07 = 29%
g1.52e11 <sup>†</sup>	$1.57 \times 10^{11}$	$7.9 \times 10^{8}$	5.81	24.29	32/50 = 64%	32/50 = 64%	05/12 = 42%	27/38 = 71%
g1.05e11	$1.18 \times 10^{11}$	$5.66 \times 10^{8}$	4.99	23.39	25/44 = 57%	24/38 = 63%	16/28 = 57%	08/10 = 80%
All					962/1446 = 67%	932/1268 = 74%	433/655 = 66%	499/613 = 81%

#### **♦** Predicted vs. actual inner slope and concentration

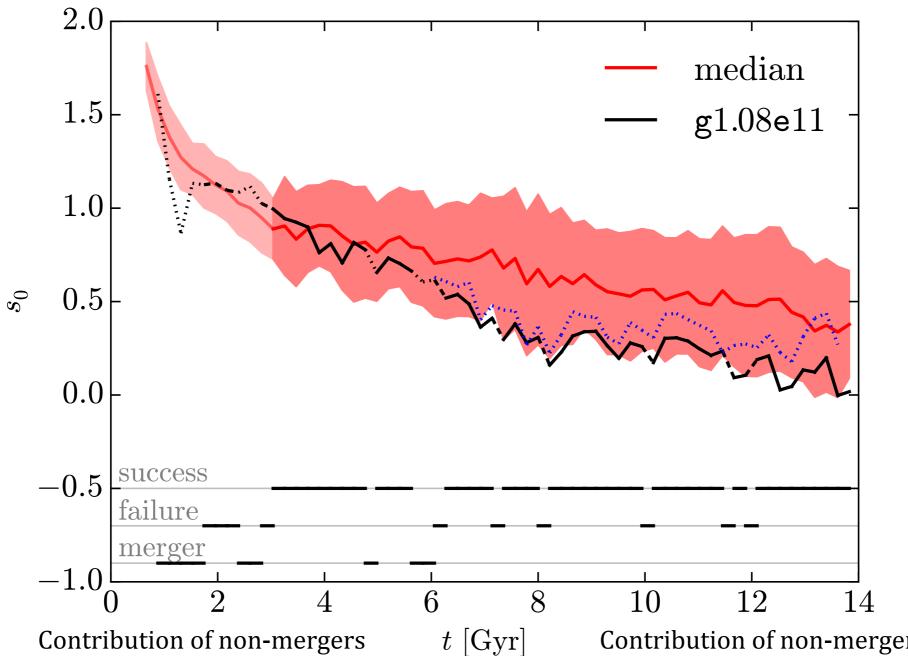




# Mergers as the main cause of failure



## Contribution to the evolution of the inner density slope



Contribution of non-mergers to  $\Sigma \Delta s_0$  after 3 Gyr:

- **-** g1.08e11:83%
- all: 81%

Successful non-mergers:

- g1.08e11: 36%
- all: 50%

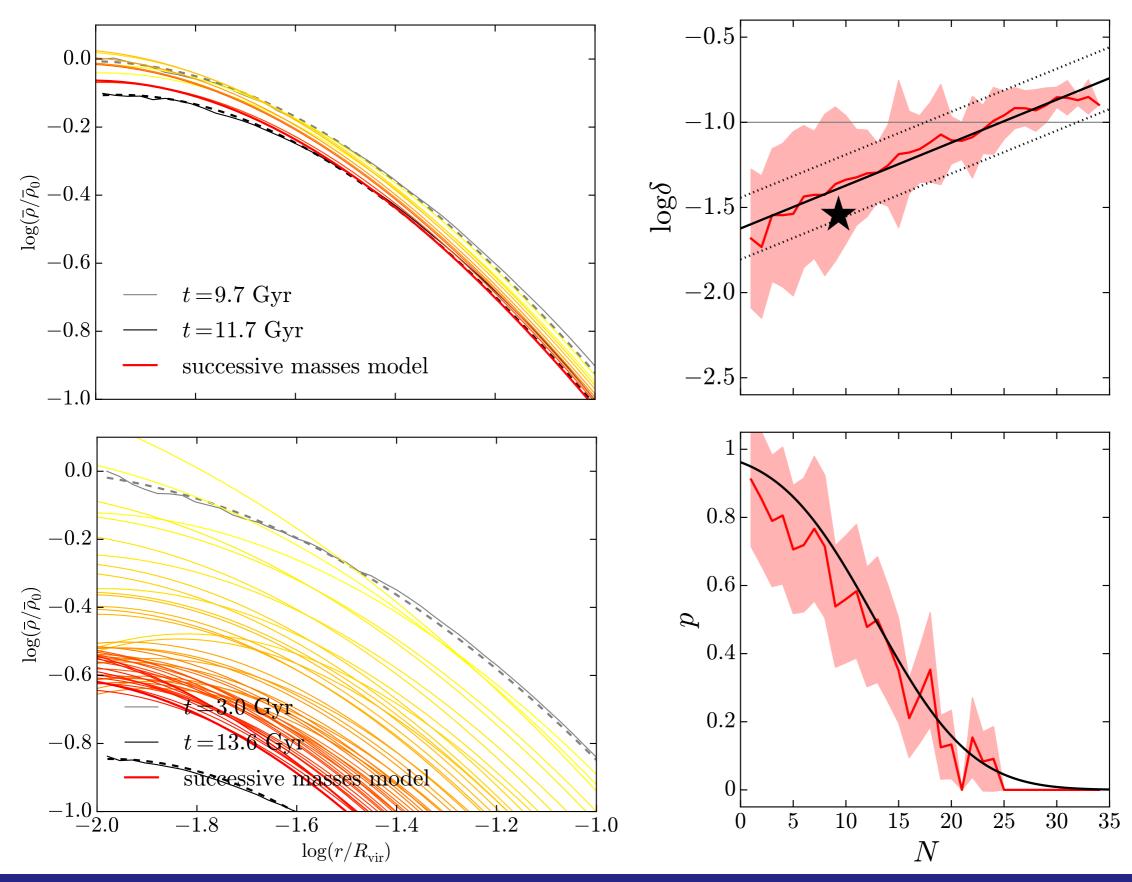
Contribution of non-mergers to  $\Sigma \mid \Delta s_0 \mid$  after 3 Gyr:

- g1.08e11: 94%
- all: 70%

Successful non-mergers:

- **-** g1.08e11: 78%
- all: 59%

# **Multiple episodes (preliminary)**



## **Another model for core formation**

#### A toy model for core formation from stochastic density fluctuations (El-Zant, Freundlich & Combes 16)

The gravitational potential fluctuations arise from feedback-induced stochastic density fluctuations and deviate DM particles from their trajectories as in a diffusion process.

Fourier decomposition of the density contrast:

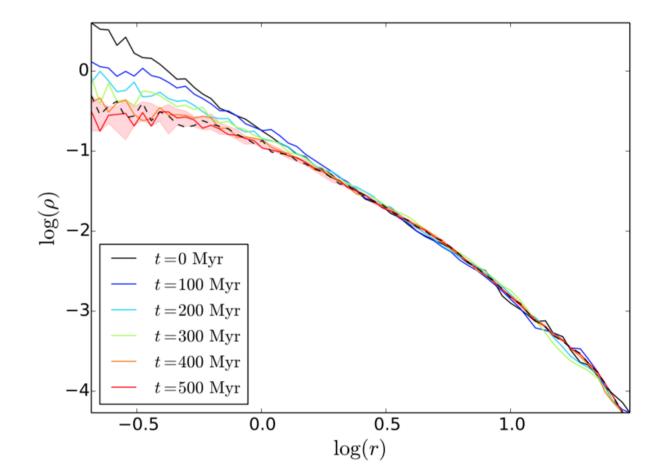
$$\delta(\vec{r}) = \frac{V}{(2\pi)^3} \int \delta_{\vec{k}} e^{i\vec{k}.\vec{r}} d^3\vec{k}$$

Each perturbation  $\delta_{\vec{k}}$  induces a 'kick'

$$\vec{F}_{\vec{k}} = 4\pi i \ G \rho_0 \ \vec{k} \ k^{-2} \ \delta_{\vec{k}}$$

Which cumulatively induces the dark matter particles to deviate from their trajectories by

$$\langle \Delta v^2 \rangle = 2 \int_0^T (T-t) \langle F(0)F(t) \rangle dt.$$



#### **♦** Assumptions:

- Unperturbed homogeneous gaseous medium  $ho_{\mathbf{0}}$
- Isotropic & stationary density fluctuations within *d*
- Power-law power spectrum  $\langle |\delta_{\vec{k}}|^2 \rangle \propto k^{-n}$
- Minimum and maximum cutoff scales  $\lambda_{min} \ll \lambda_{max}$

lacktriangle In the diffusion limit  $\lambda_{max} \ll R$  we obtain the relaxation time

$$t_{\mathrm{relax}} = \frac{n v_r \langle v \rangle^2}{8\pi (G \rho_0)^2 V \langle |\delta_{k_{min}}|^2 \rangle}$$

 $v_r$ : average DM velocity/fluctuating field;  $\langle v \rangle$ : initial orbital velocity of the particle;  $V = d^3$ ;  $k_{min} = 2\pi/\lambda_{max}$ .

Cf. also

- Marsh & Niemeyer 18,
- Bar-Or, Fouvry & Tremaine 18 and
- El-Zant, Freundlich & Combes 19, in prep. in the context of fuzzy dark matter.

### **Conclusion**

#### Freundlich, Dekel, Jiang et al., in prep.:

- ★ A simple theoretical model based on outflow episodes to explain both the formation of dark matter cores and UDGs.
- ◆ Possible improvements: Mtot/M, non-spherical systems (stellar distribution of UDGs)
- ◆ Controlled experiments: Warrener, van den Bosch et al. in prep.
- ◆ Comparison with other models: **El-Zant, Freundlich & Combes (2016)**, Bar-Or, Fouvry & Tremaine (2018)

# thanks

